

$[u]$ $[c]$ $[]$
 $[s]$ $[b]$

High Energy Physics

Searching for top squarks at CMS

Claudio Campagnari

UC Santa Barbara

6 February 2014

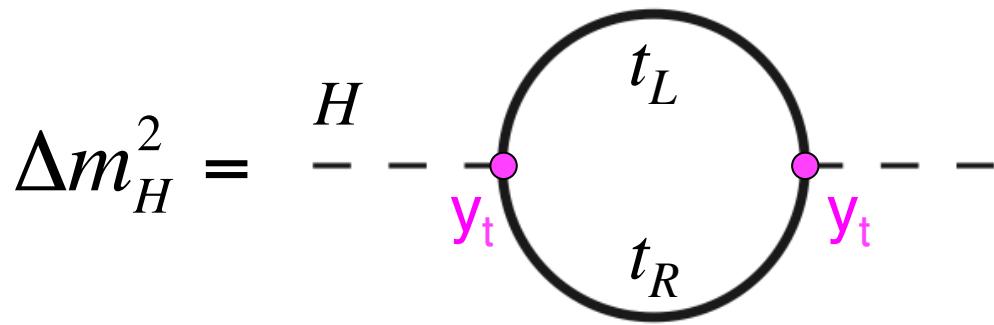
Outline

- Why searching for top squarks (stops)
- Top squarks production and decay
- Search in lepton+jets mode at CMS
- Limitations
- Conclusions and prospects

SUSY.....

Hierarchy problem, naturalness

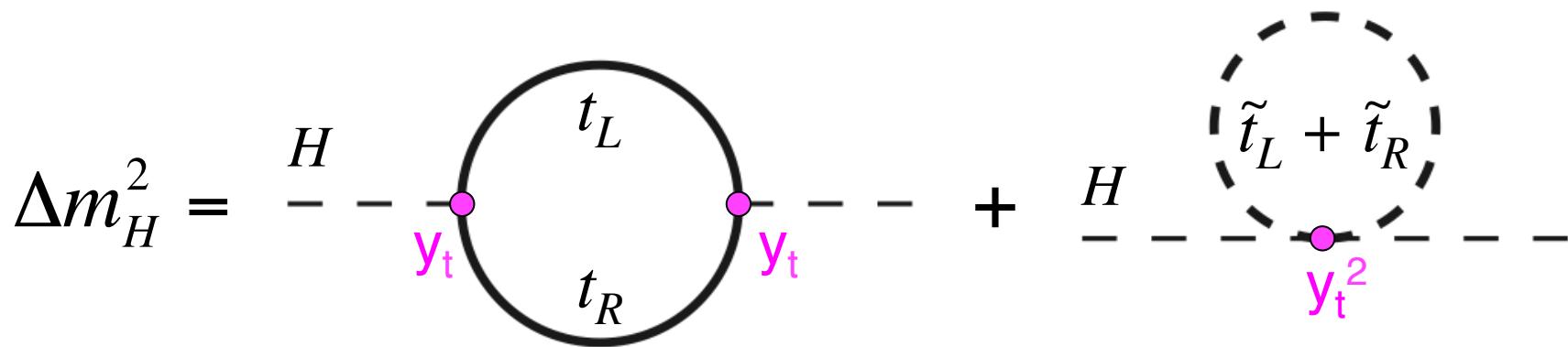
$$\Delta m_H^2 \sim |y_t|^2 \left[-\Lambda_{UV}^2 + \frac{3}{2} m_t^2 \log\left(\frac{\Lambda_{UV}^2}{m_t^2}\right) \right]$$



- In SM enormous radiative corrections to M_{higgs} : $\Delta m^2 \approx \Lambda_{\text{UV}}^2$

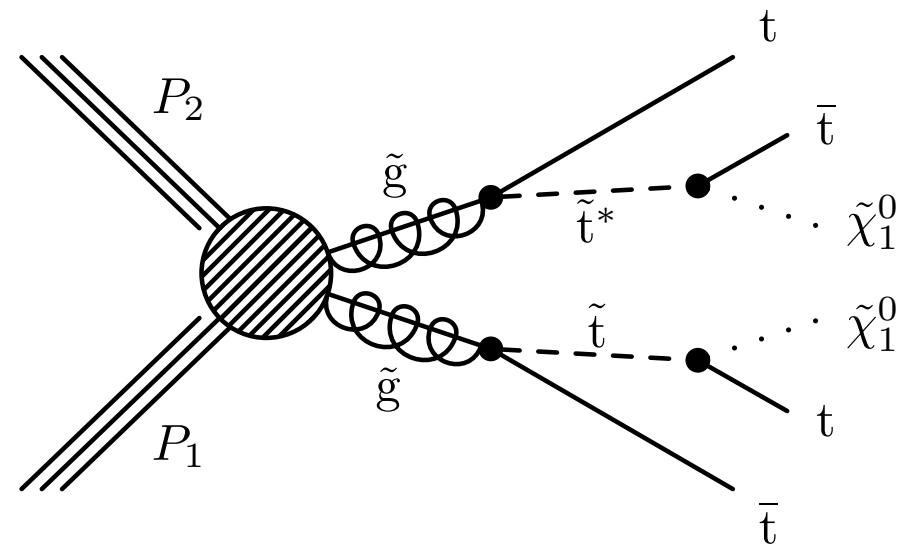
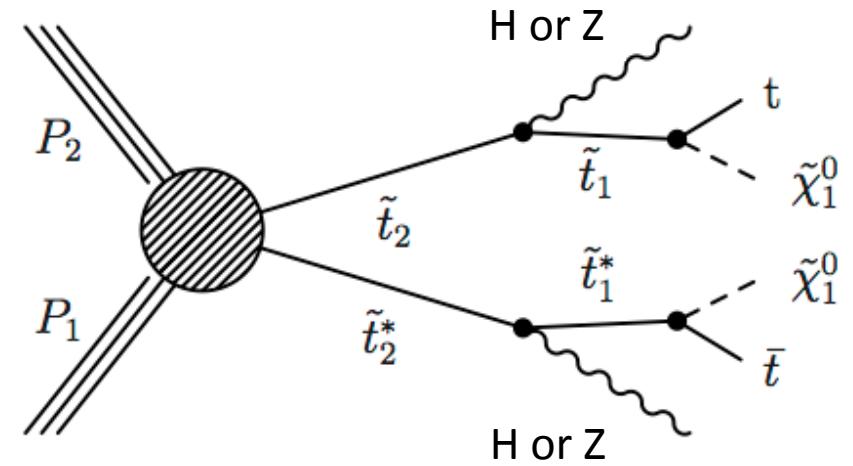
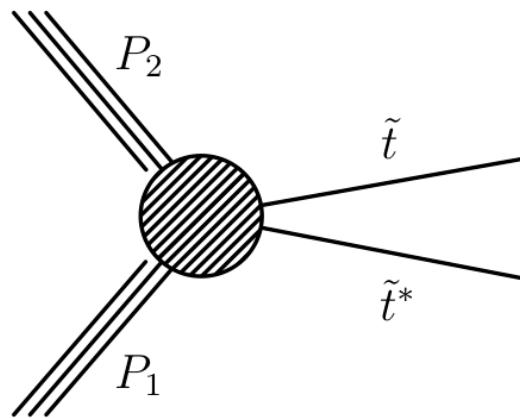
SUSY solution

$$\Delta m_H^2 \sim |y_t|^2 \left[\cancel{-\Lambda_{UV}^2} + \frac{3}{2} m_t^2 \log \left(\frac{\Lambda_{UV}^2}{m_t^2} \right) + \cancel{+\Lambda_{UV}^2} - m_{\tilde{t}}^2 \log \left(\frac{\Lambda_{UV}^2}{m_{\tilde{t}}^2} \right) + \dots \right]$$

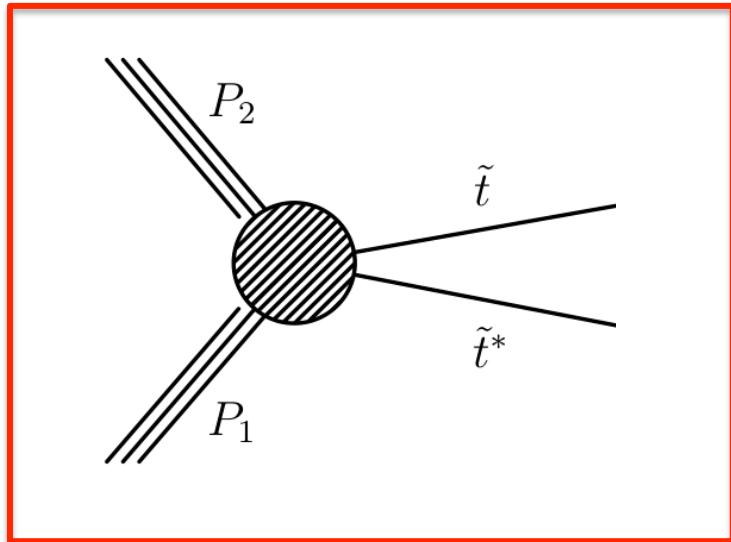


- In SM enormous radiative corrections to M_{higgs} : $\Delta m^2 \approx \Lambda_{\text{UV}}^2$
- Stop loop cancels Λ_{UV}^2 term, adds $\approx m_{\text{stop}}^2$ term
- **Light stops ($\leq 0.5\text{-}1 \text{ TeV}$) needed for “natural” (not fine-tuned) solution to hierarchy problem**

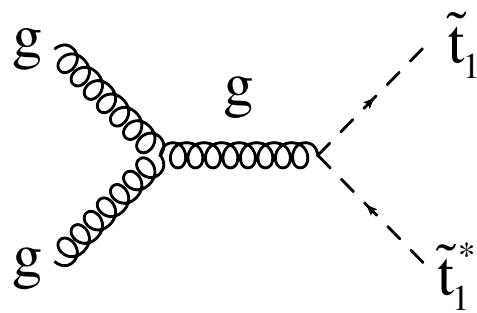
Top squark production processes



Top squark production processes

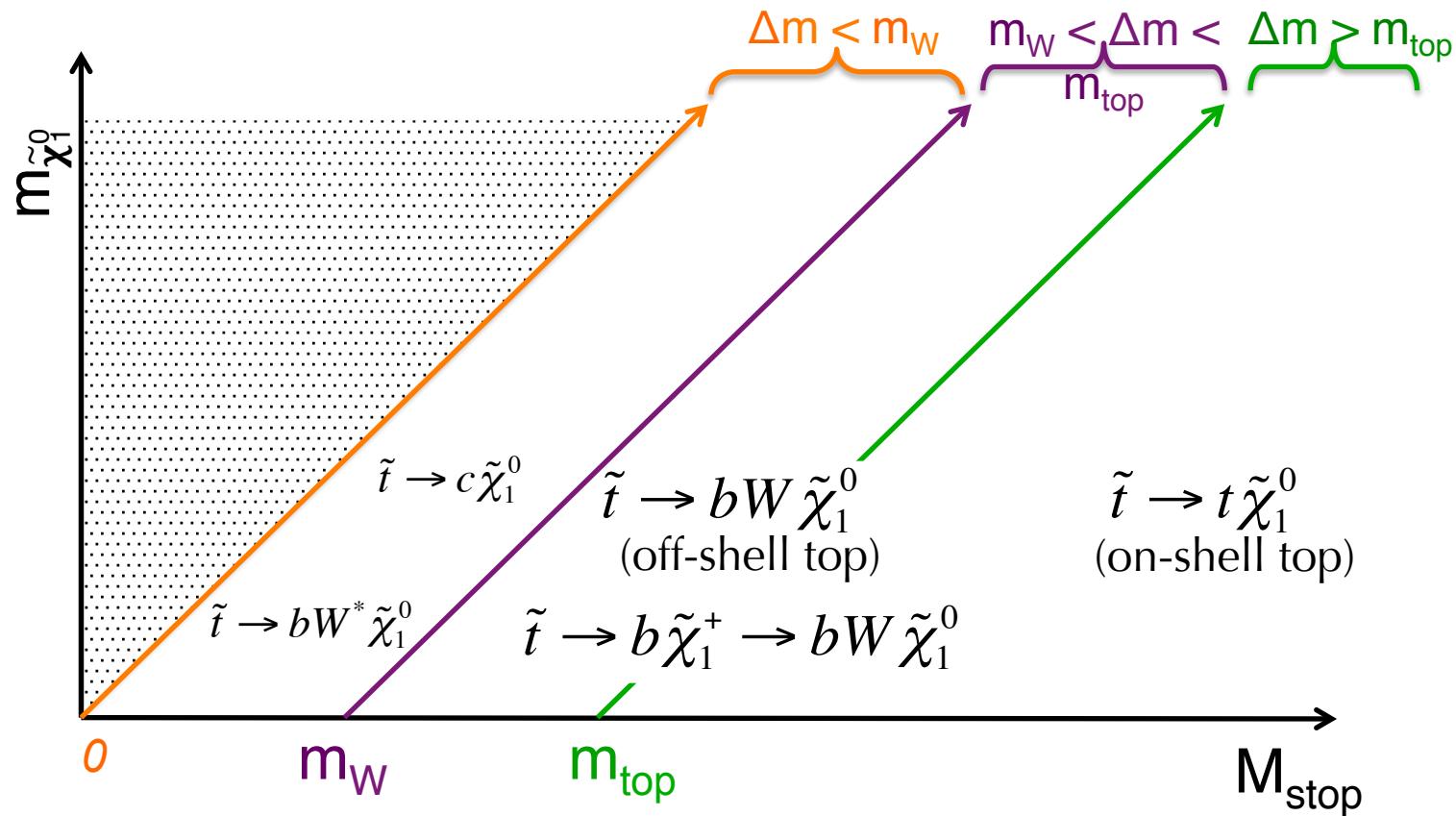


Will concentrate on pair production.



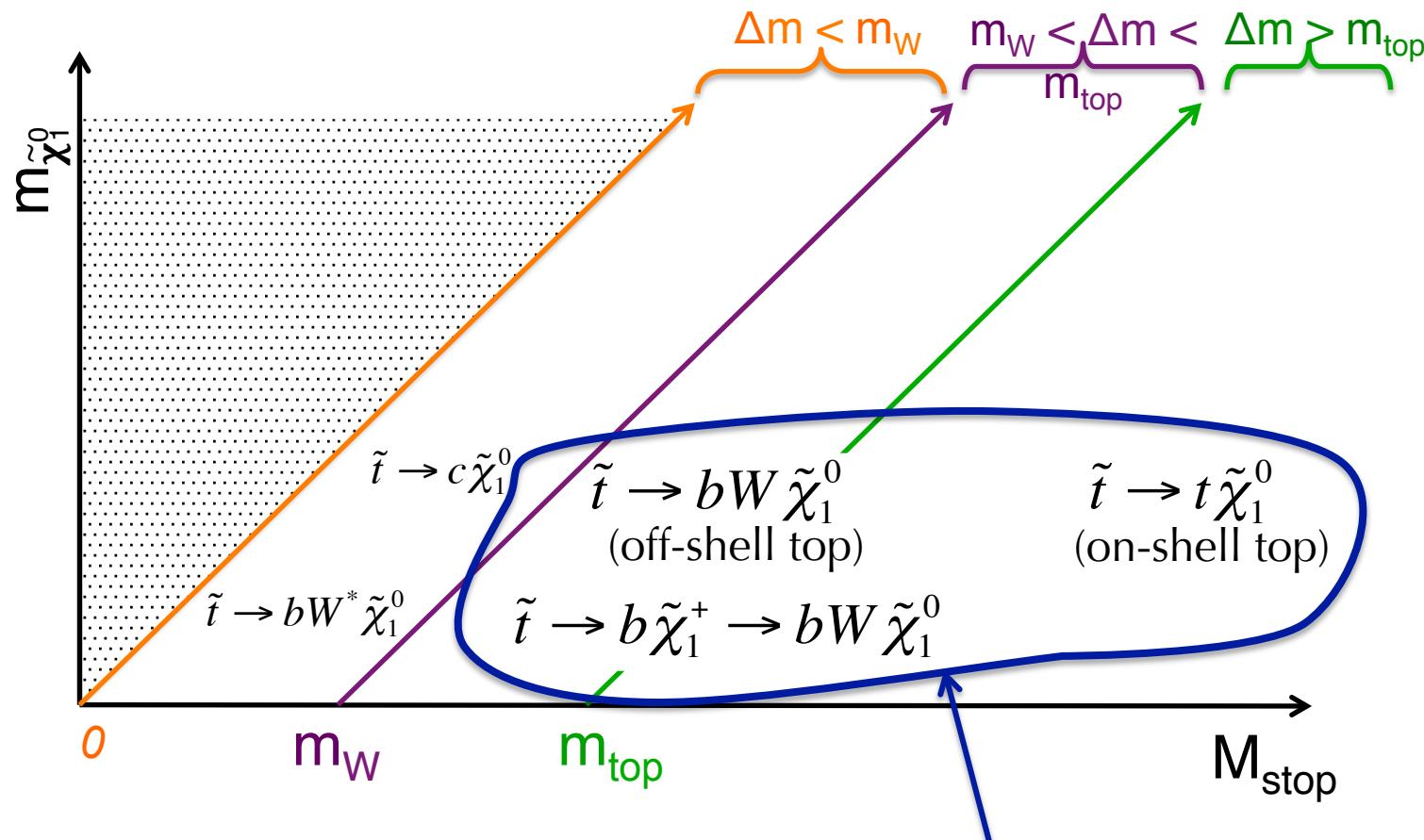
Top squark decay modes (RPC)

$$\Delta m = m_{\text{stop}} - m_{\tilde{\chi}_1^0}$$



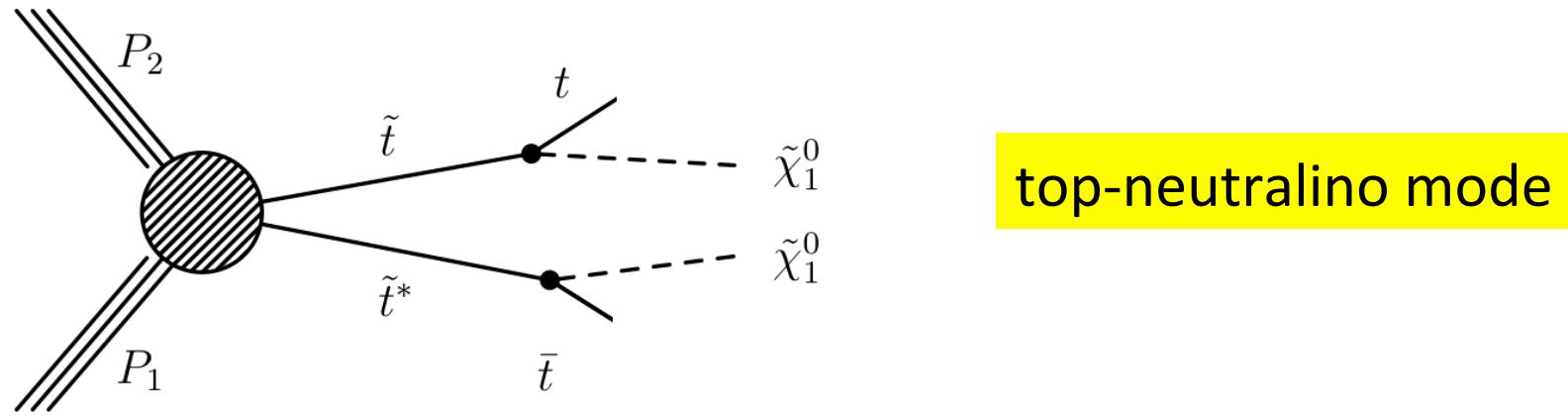
Top squark decay modes (RPC)

$$\Delta m = m_{\text{stop}} - m_{\tilde{\chi}_1^0}$$

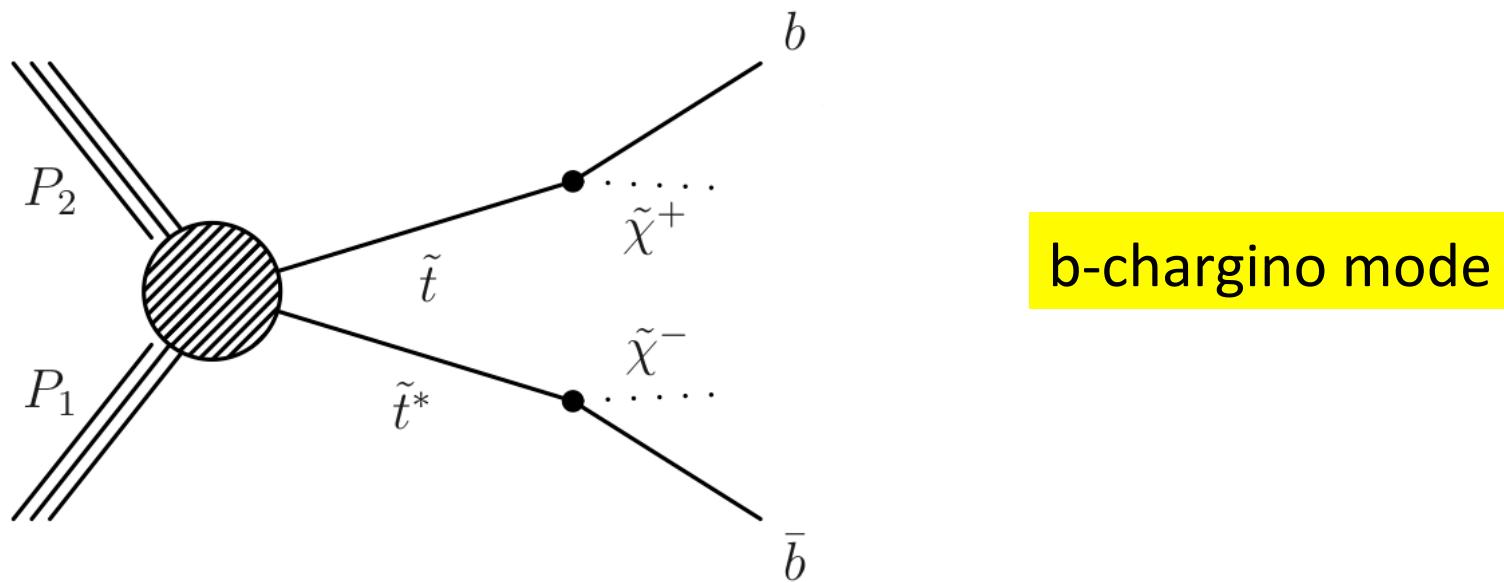


I will talk about these

Top squark decay modes

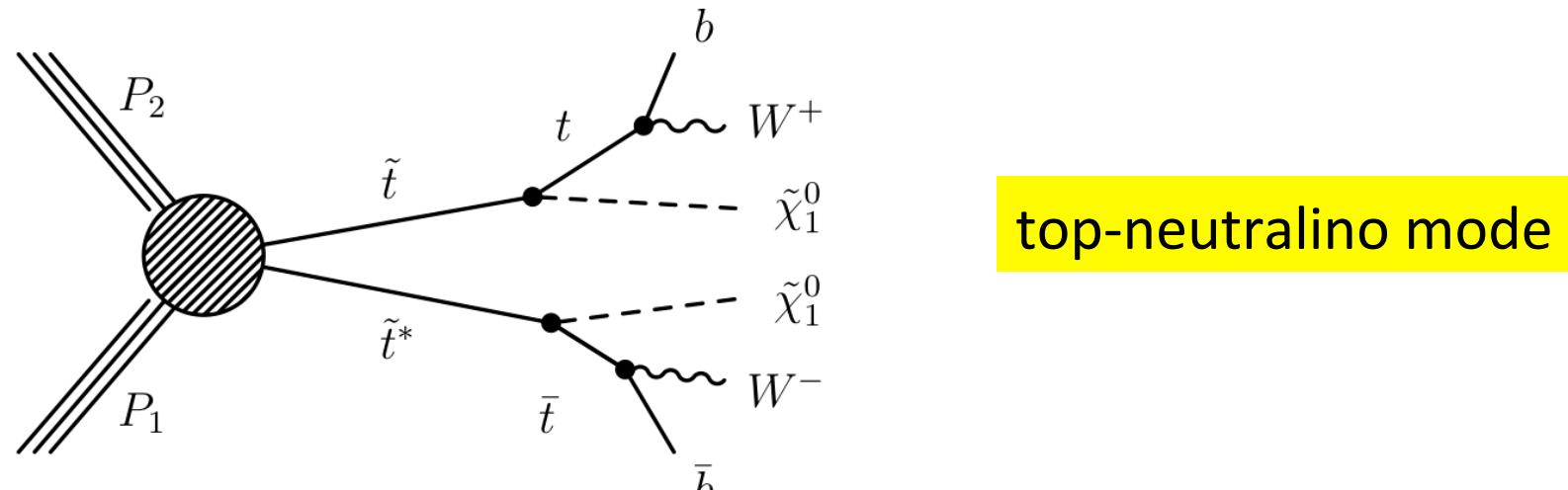


top-neutralino mode

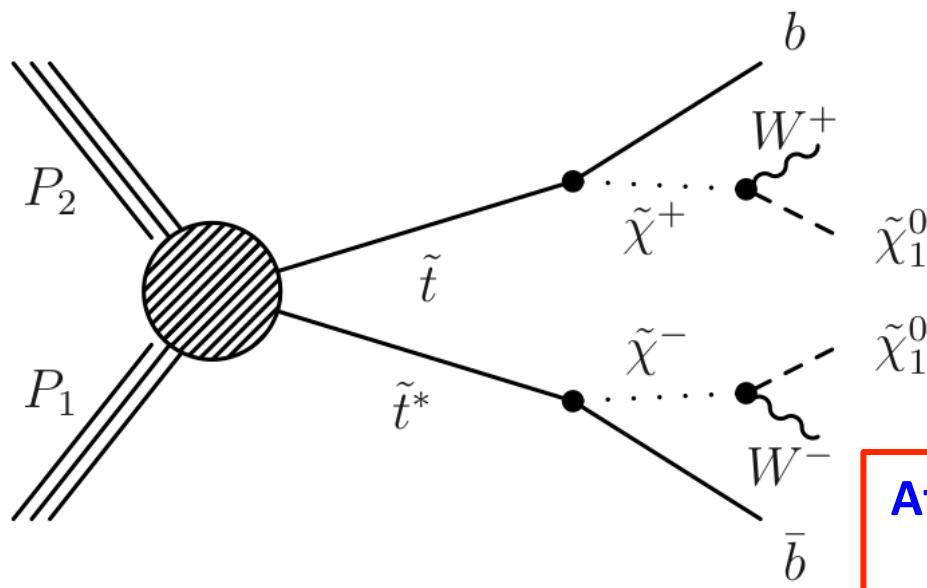


b-chargino mode

Top squark decay modes



top-neutralino mode



b-chargino mode

After top or chargino decay the final state
particles are the same

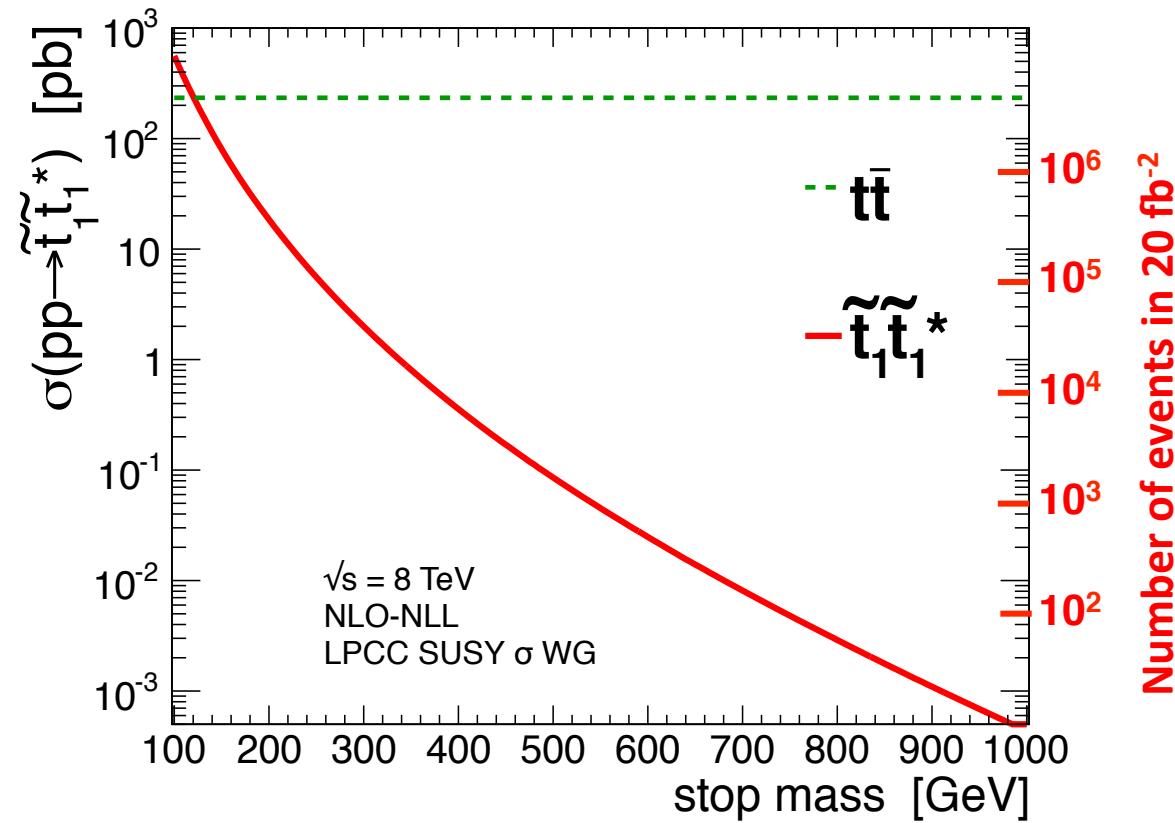
Signal and background, general considerations

- Signal is “ttbar + MET”
 - MET from neutralinos
- Background is ttbar
 - Also: W+jets, single-top, rare processes (eg: ttbarW)
- Can look in three channels:
 - 0 leptons
 - 1 lepton
 - 2 leptons

Signal and background, general considerations

- Signal is “ttbar + MET”
 - MET from neutralinos
 - Background is ttbar
 - Also: W+jets, single-top, rare processes (eg: ttbarW)
 - Can look in three channels:
 - 0 leptons
 - 1 lepton
 - 2 leptons
-  ← This talk
EPJC 73 (2013) 2677

What is the challenge?



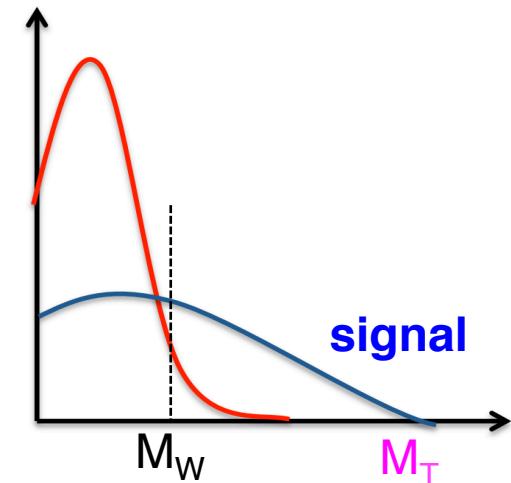
The ttbar cross-section is enormous!

Lepton-MET Transverse mass (M_T)

- In semileptonic ttbar, MET is from ν from $W \rightarrow l\nu$
→ M_T is bound by M_W
- In signal events, MET is from ν from $W \rightarrow l\nu$ and
from two LSPs
→ M_T easily extend past M_W

Lepton-MET Transverse mass (M_T)

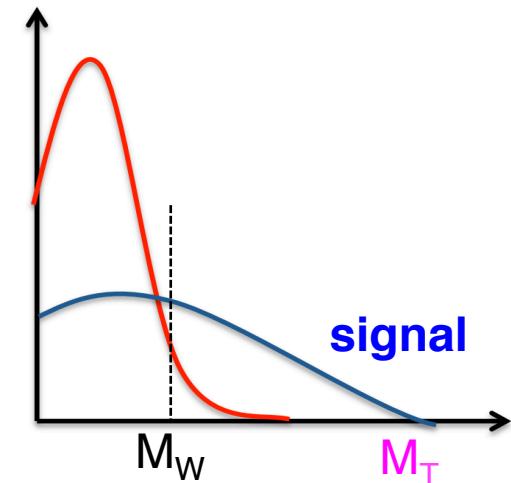
- In semileptonic ttbar, MET is from ν from $W \rightarrow l\nu$
→ M_T is bound by M_W
- In signal events, MET is from ν from $W \rightarrow l\nu$ and
from two LSPs
→ M_T easily extend past M_W



Lepton-MET Transverse mass (M_T)

- In semileptonic ttbar, MET is from ν from $W \rightarrow l\nu$
→ M_T is bound by M_W
- In signal events, MET is from ν from $W \rightarrow l\nu$ and
from two LSPs
→ M_T easily extend past M_W

It's a cake walk!

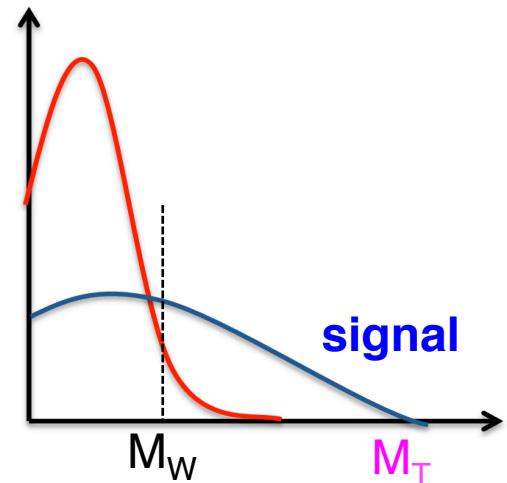


Lepton-MET Transverse mass (M_T)

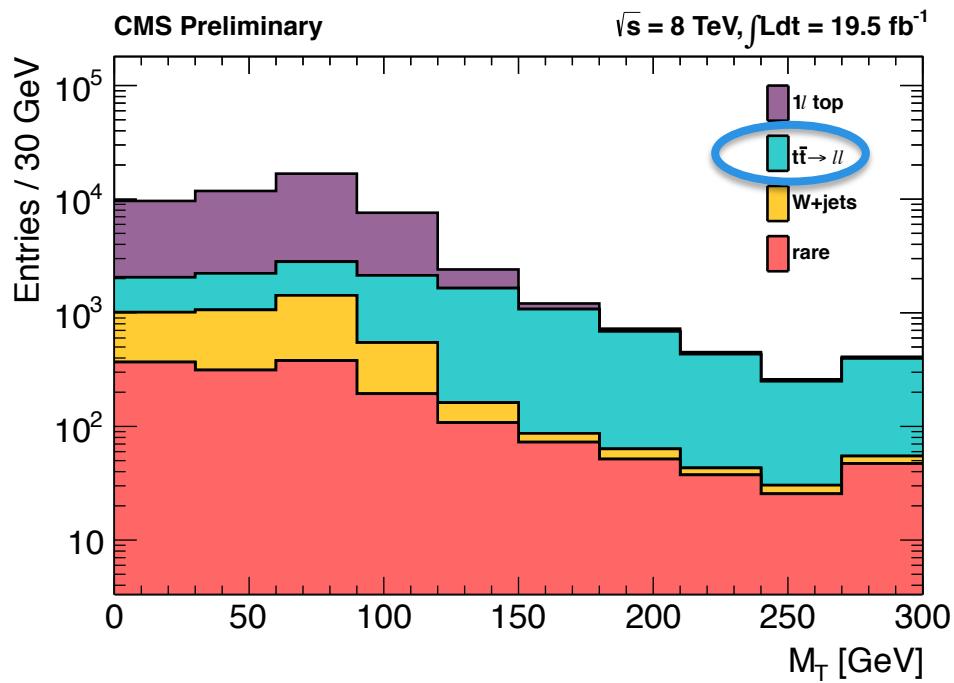
- In semileptonic ttbar, MET is from ν from $W \rightarrow l\nu$
 $\rightarrow M_T$ is bound by M_W
- In signal events, MET is from ν from $W \rightarrow l\nu$ and
from two LSPs
 $\rightarrow M_T$ easily > M_W

Not so fast!!!

It's a cake walk!

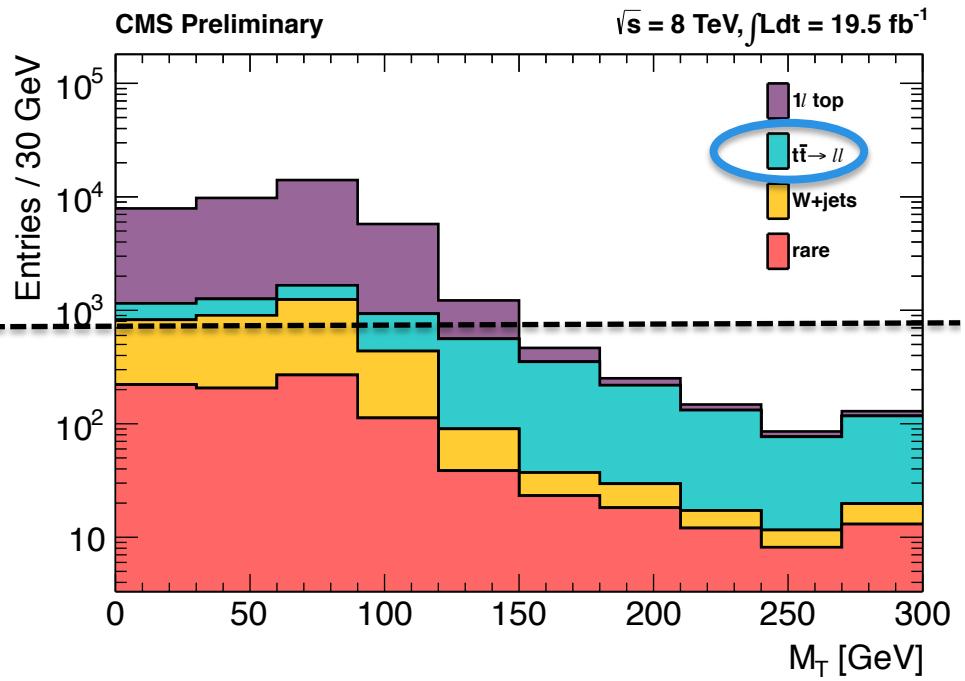
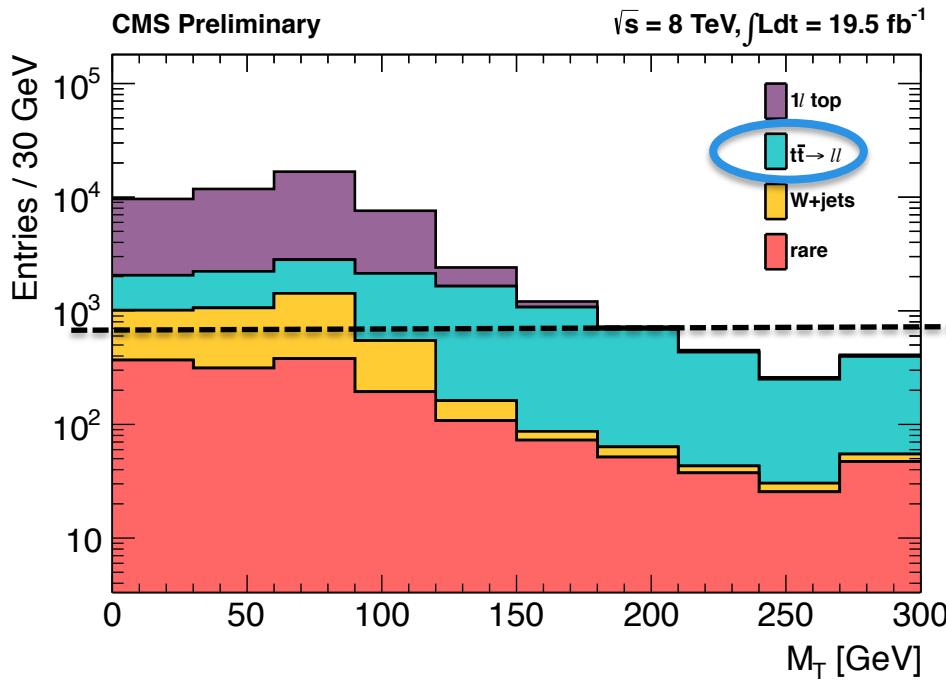


M_T for lepton+MET+4 jets



M_T tail dominated
by $t\bar{t}$ → dileptons

M_T for lepton+MET+4 jets



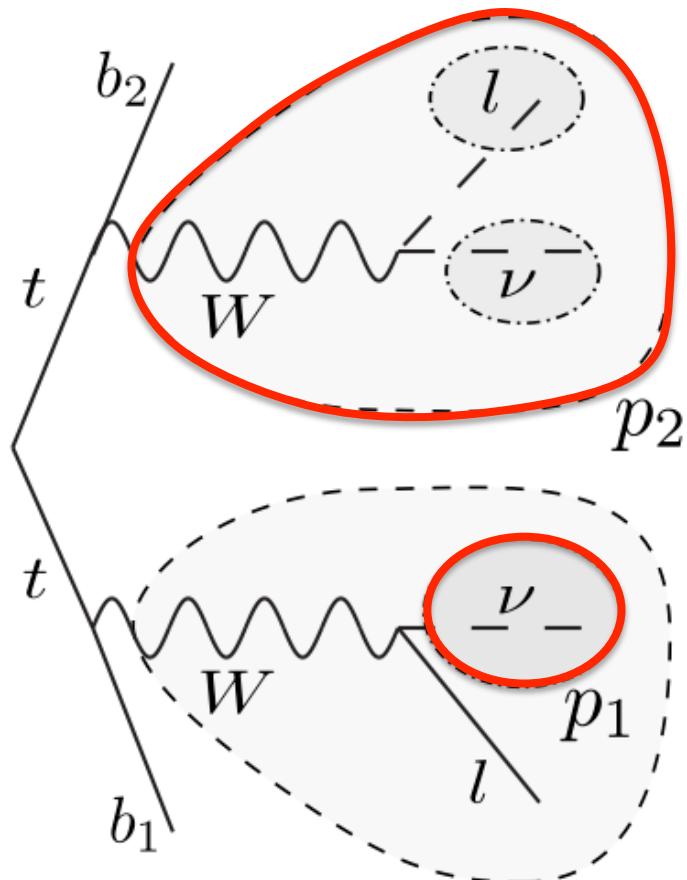
M_T tail dominated
by $t\bar{t}$ \rightarrow dileptons

“Aggressive” 2nd lepton veto
helps, but does not solve
problem completely

Kinematical Variables

It is clear that more kinematical information in addition to MET and M_T is needed to beat down the background

MT2W: a variable against dileptons



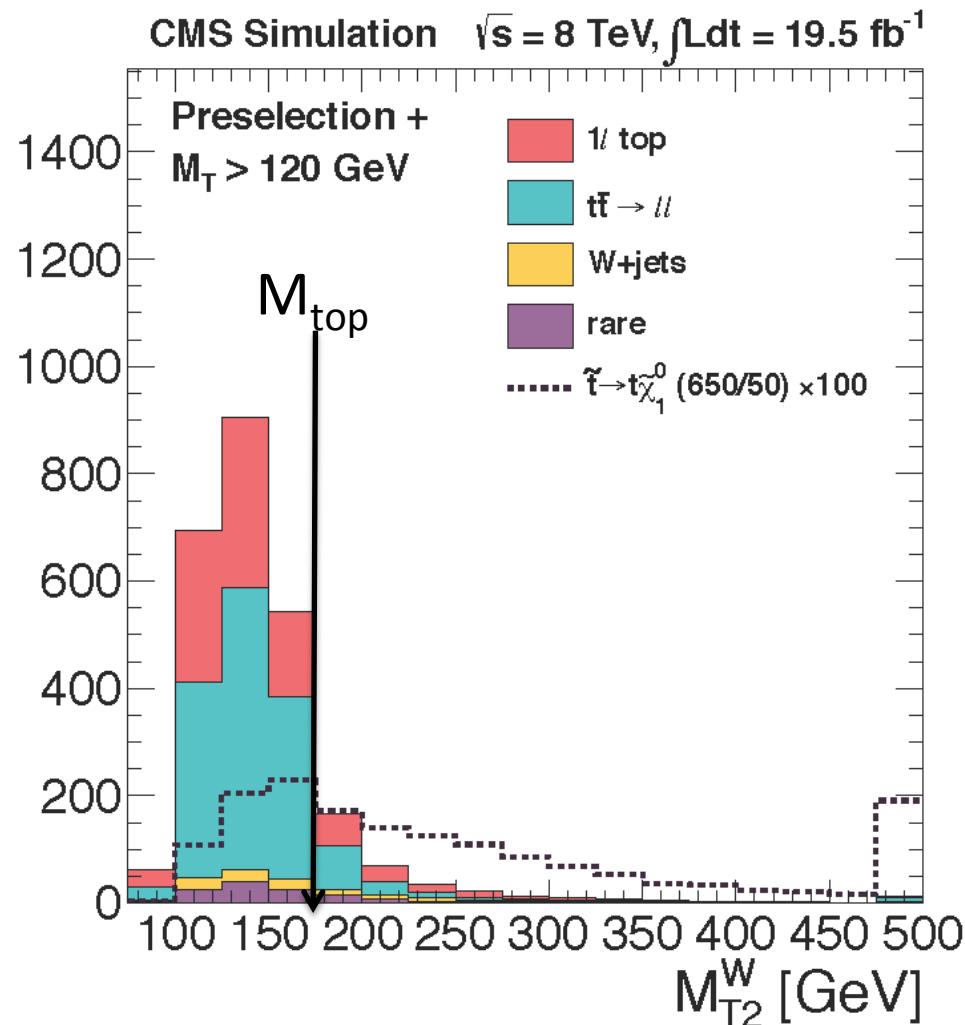
— = “missing” particles

**MT2W is the minimum
“mother” mass compatible
with all P_T and invariant
mass constraints**

Bai, Cheng, Gallicchio, Gu
JHEP 07 (2012) 110

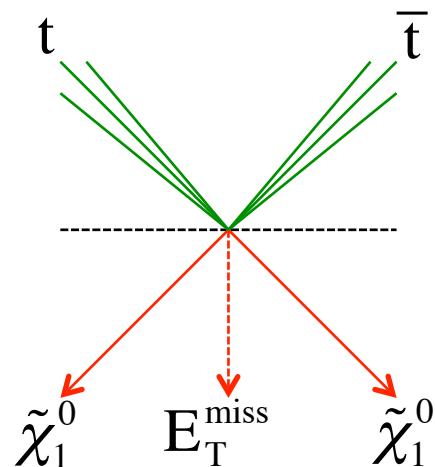
$$M_{T2}^W = \min \left\{ m_y \text{ consistent with: } \begin{bmatrix} \vec{p}_1^T + \vec{p}_2^T = \vec{E}_T^{mis}, p_1^2 = 0, (p_1 + p_l)^2 = p_2^2 = M_W^2, \\ (p_1 + p_l + p_{b1})^2 = (p_2 + p_{b2})^2 = m_y^2 \end{bmatrix} \right\}$$

MT2W works very well!



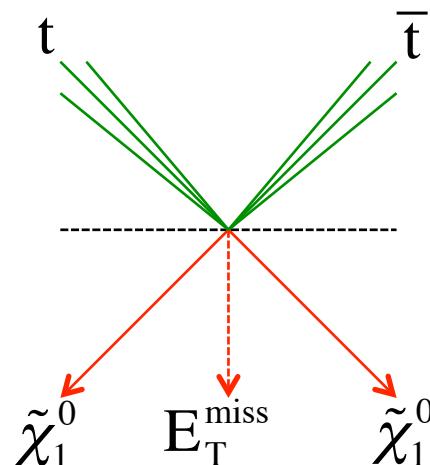
Correlation btw MET and had. activity (part 1)

Many signal events look like this:

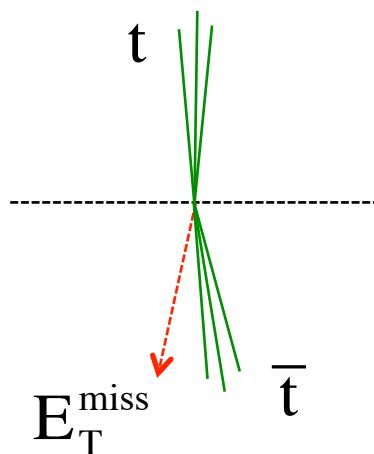


Correlation btw MET and had. activity (part 1)

Many signal events look like this:

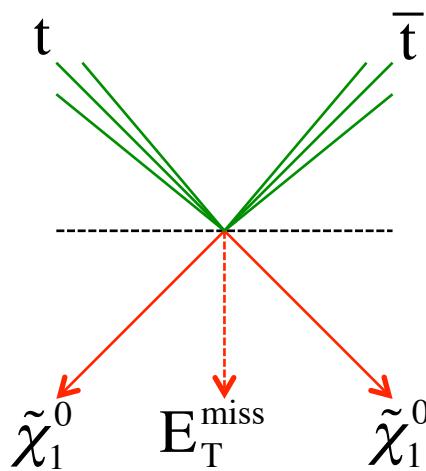


Most background events look like this:



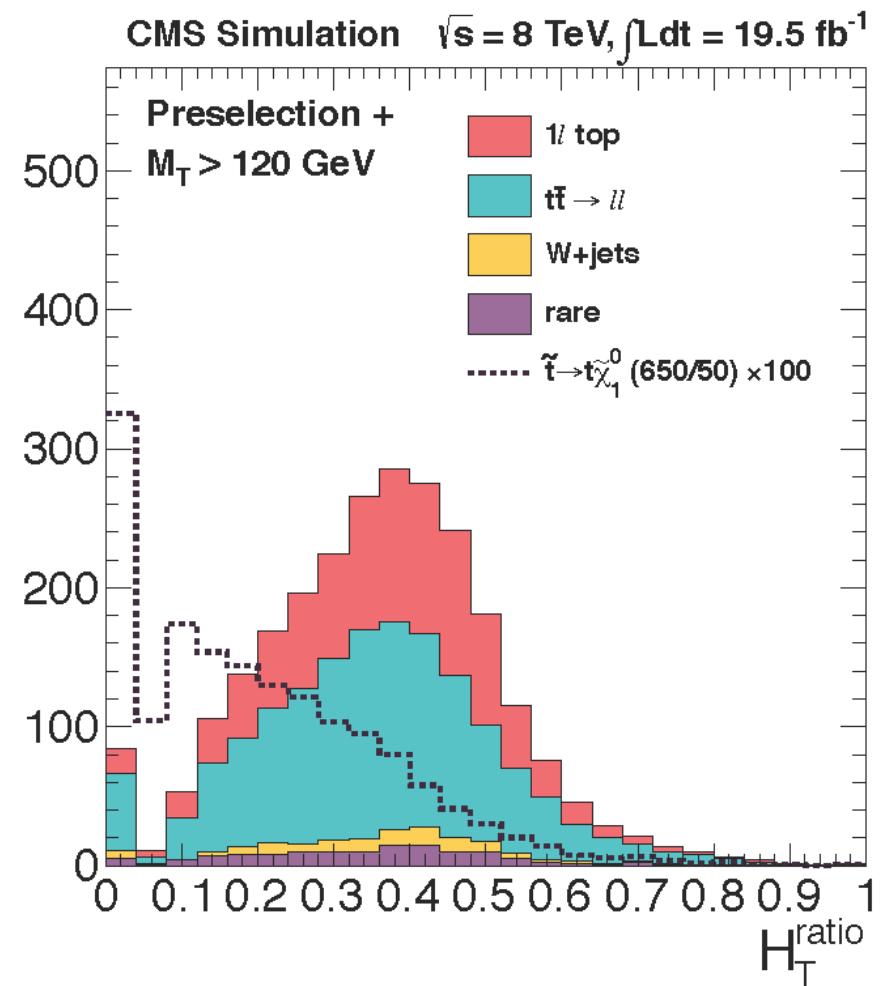
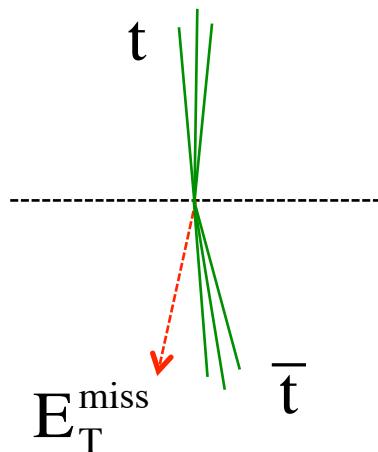
Correlation btw MET and had. activity (part 1)

Many signal events look like this:



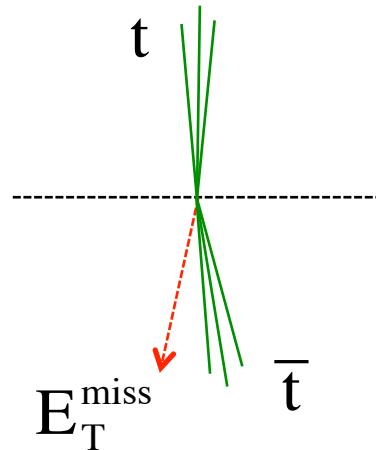
The fraction of H_T in same hemisphere as the MET is a useful variable

Most background events look like this:



Correlation btw MET and had. activity (part 2)

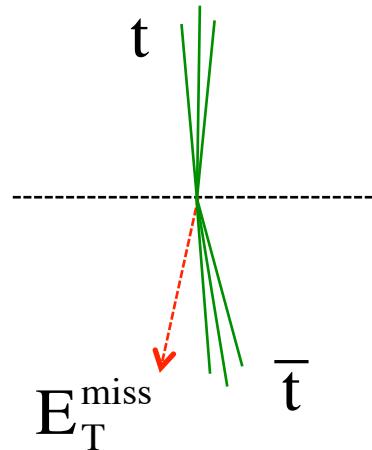
Most background events look like this:



Suggests use of global event shape variables, eg, sphericity, thrust.....

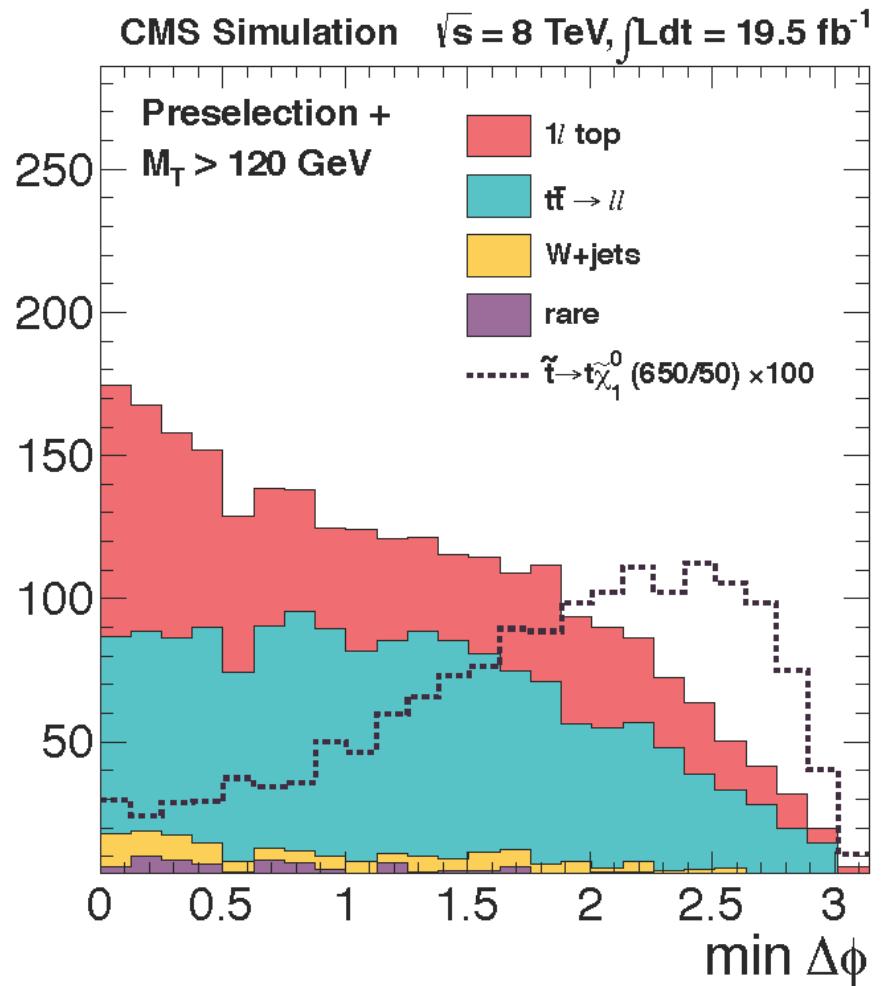
Correlation btw MET and had. activity (part 2)

Most background events look like this:

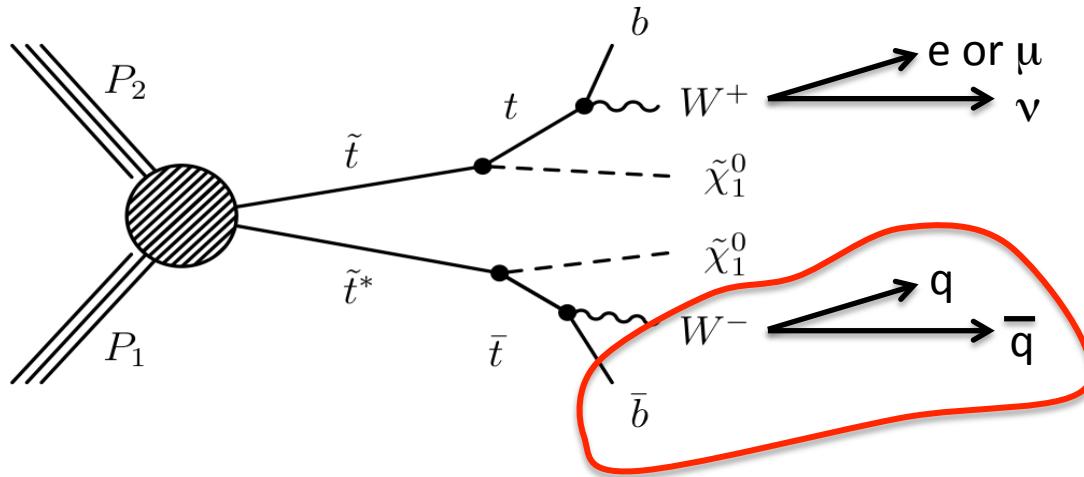


Suggests use of global event shape variables, eg, sphericity, thrust.....

To our surprise: simple variable
 $\min[\Delta\phi(\text{jet}_1, \text{MET}), \Delta\phi(\text{jet}_2, \text{MET})]$
works the best



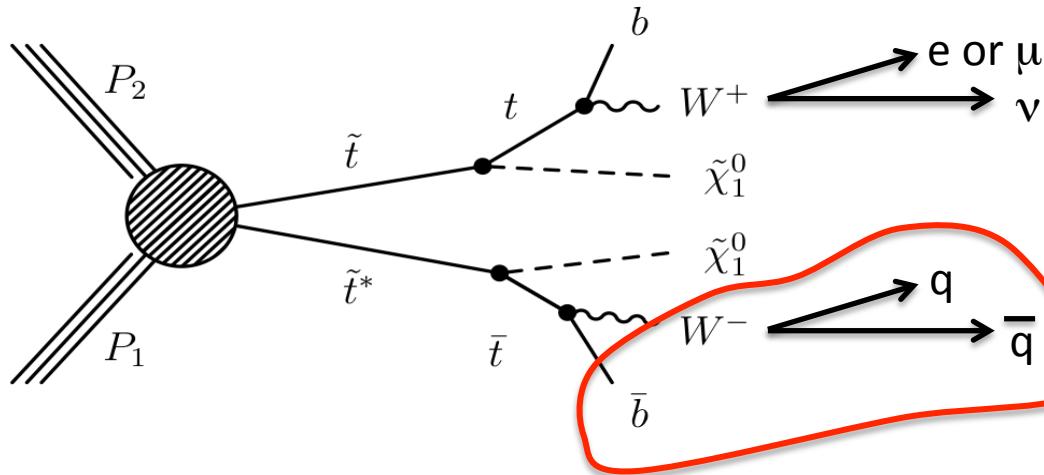
Hadronic top mass reconstruction



top-neutralino mode

- Signal has hadronically decaying top
- Main BG (dileptons) does not

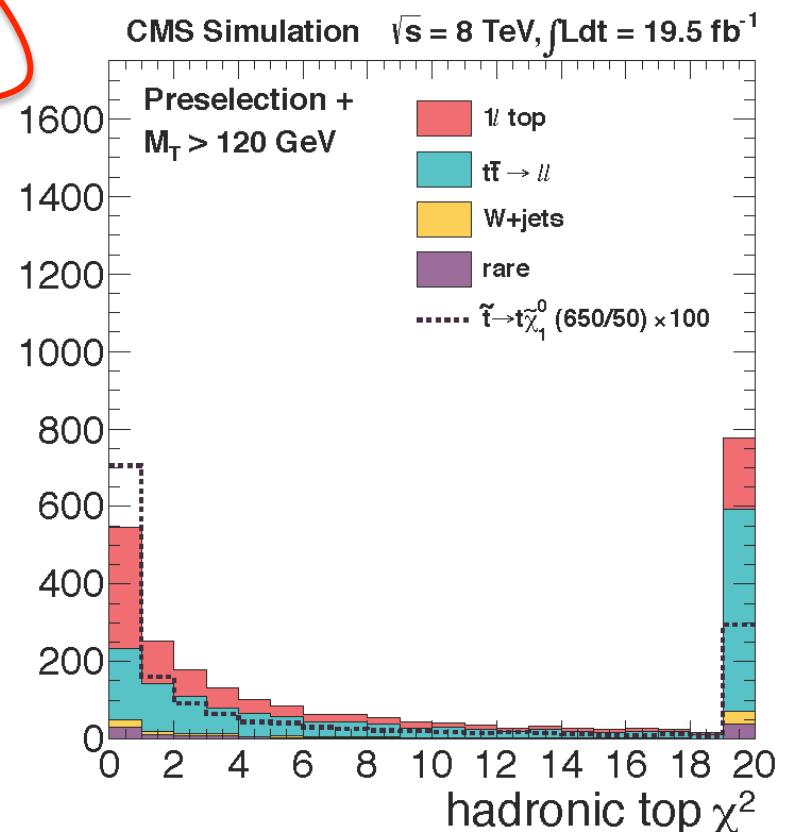
Hadronic top mass reconstruction



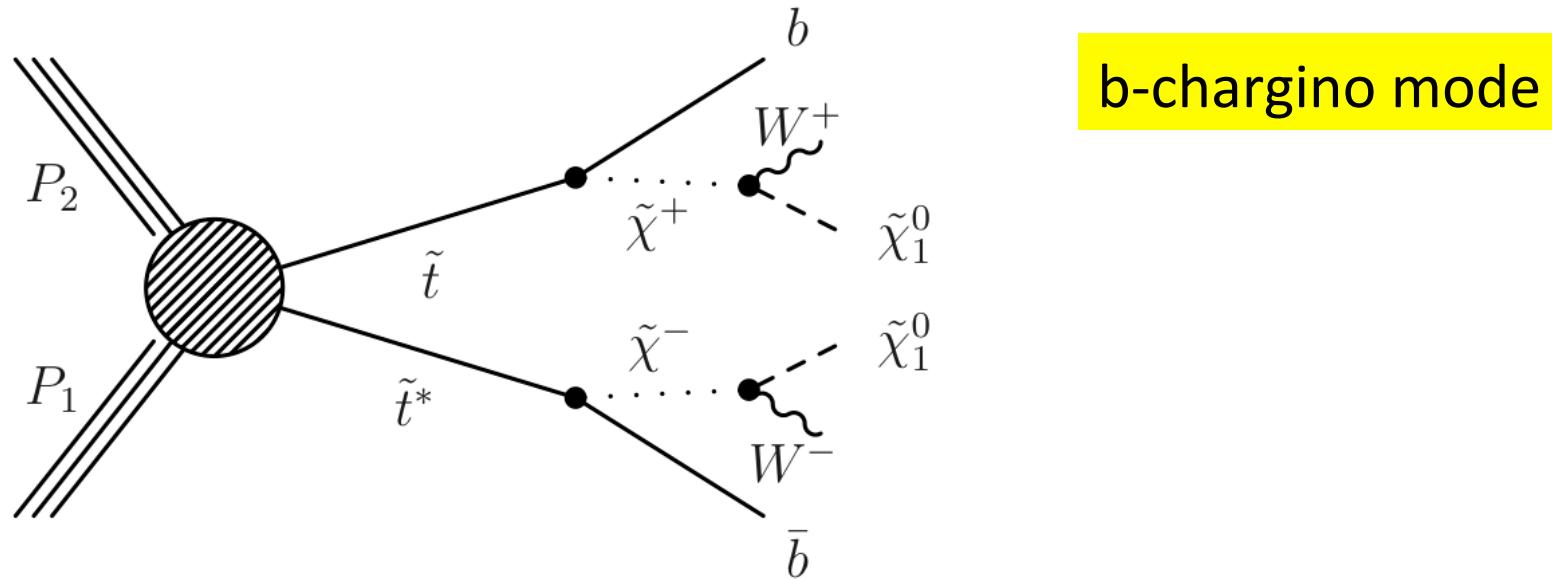
top-neutralino mode

- Signal has hadronically decaying top
- Main BG (dileptons) does not

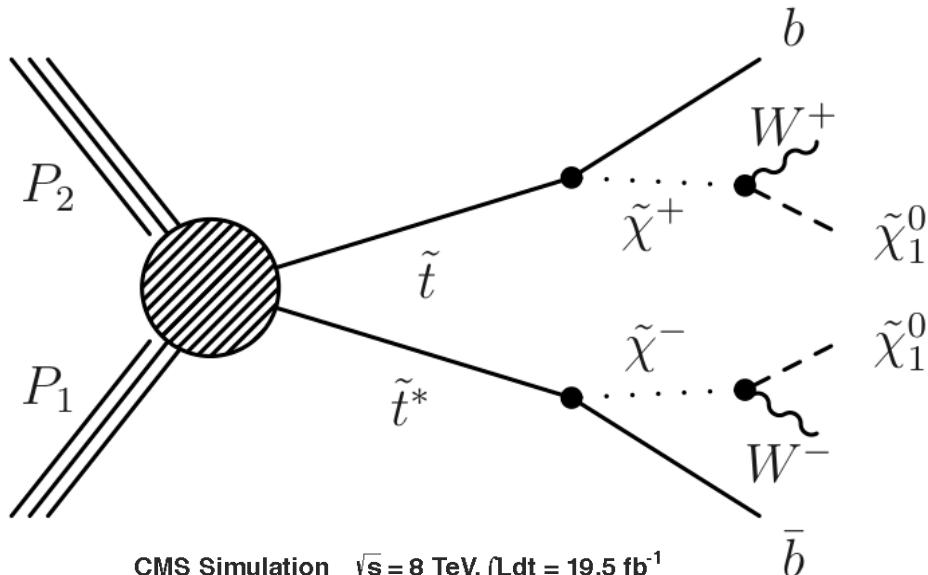
→ Build 3-jet χ^2 to hadronic top hypothesis



b-quark properties

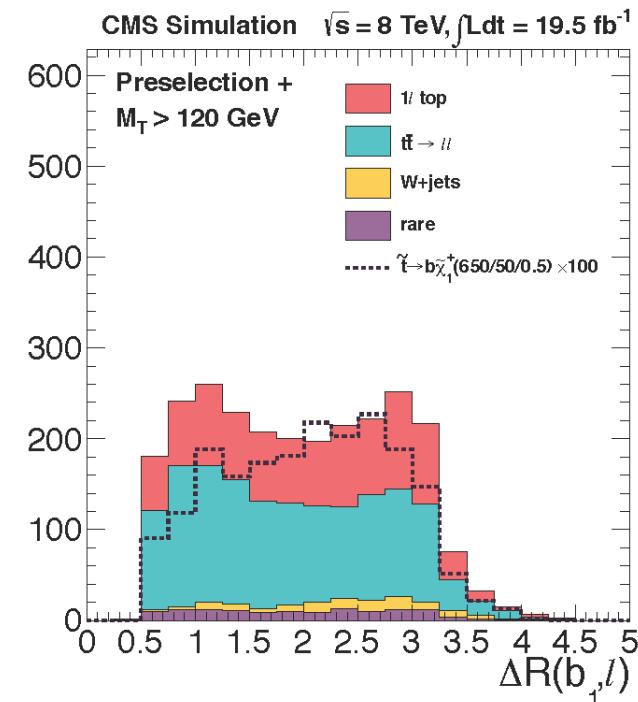
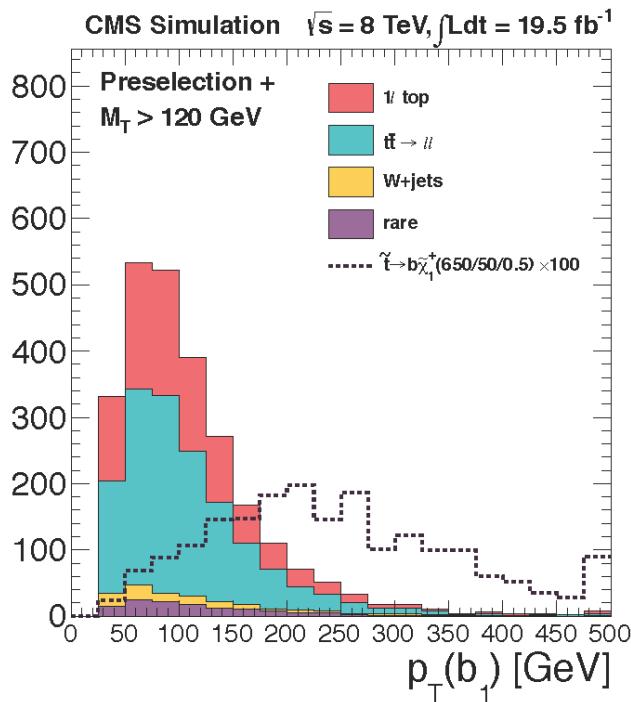


b-quark properties



b-chargino mode

Obviously kinematical properties of b-quarks are different depending on whether the b's come from top decay (BG) or directly from stop decay (signal)



Search strategy in a nutshell

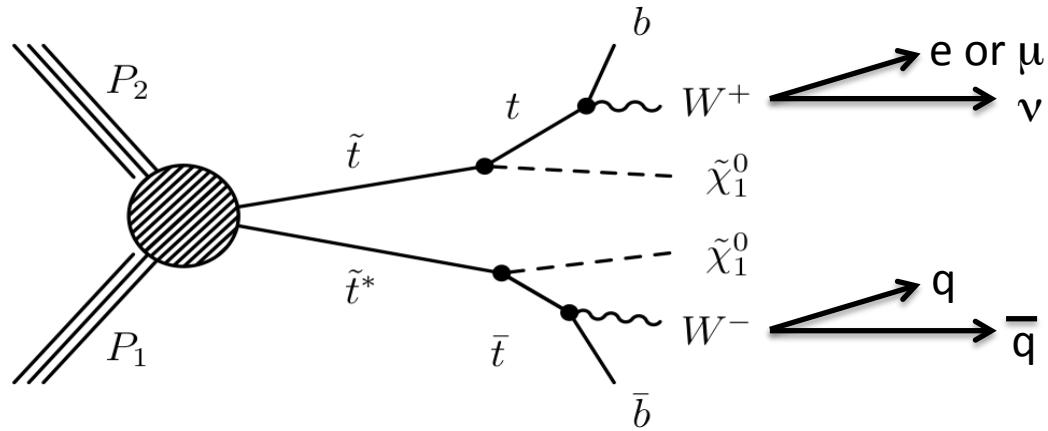
Signal Selection

- Start with a lepton + jets preselection
- Kill as many $t\bar{t}$ → dileptons as possible
- Use kinematical variables to reduce background
 - Cut-and-count
 - Multivariate
- Different “signal regions” to cover as much phase space as possible

Background Determination

- From Monte Carlo
- Calibrate/correct Monte Carlo with “control regions”

Signal Selection: Preselection



- 1 isolated e or μ , $P_T > 30$ GeV
- ≥ 4 jets, $P_T > 30$ GeV, $|\eta| < 2.4$
- at least one btagged jet
- MET > 100 GeV
- 2nd lepton veto

Signal Selection: dilepton veto

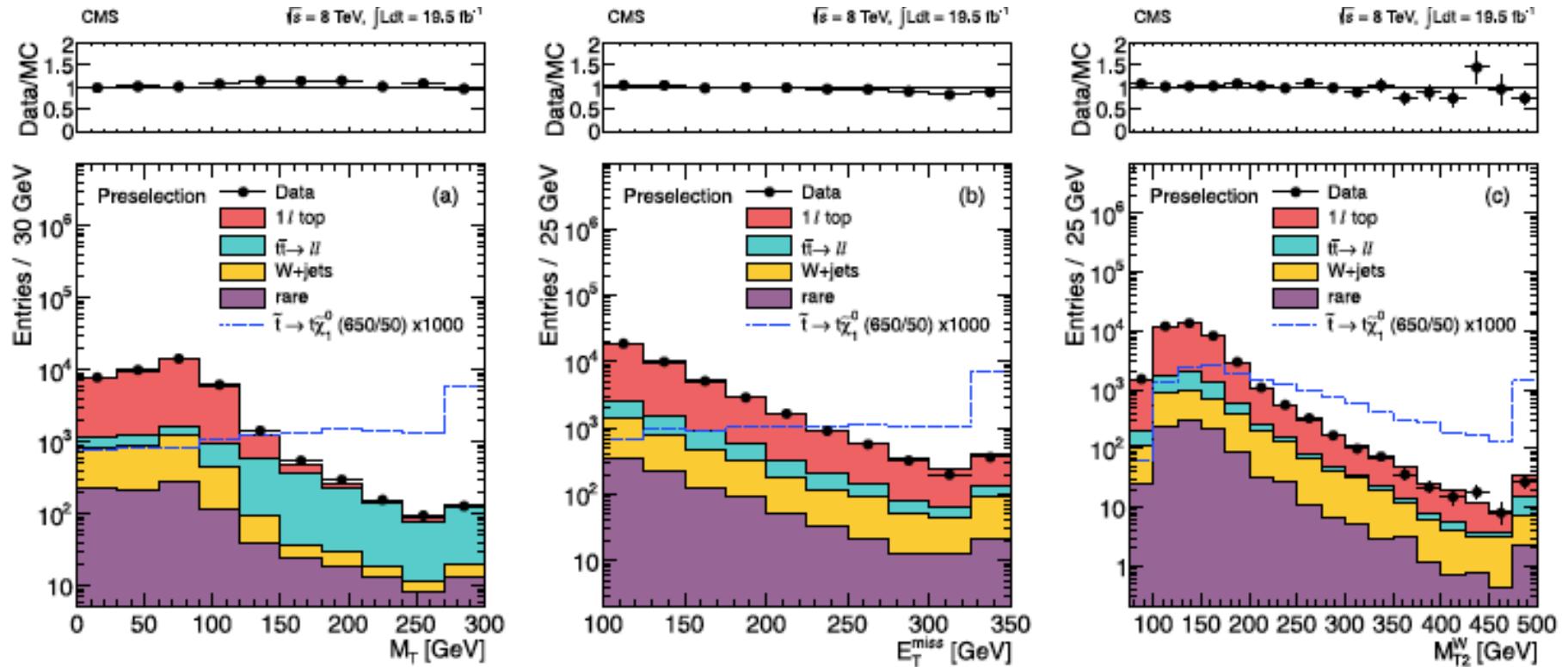
- **Veto events with one isolated track $P_T > 10 \text{ GeV}$**
 - Also catches $W \rightarrow \tau \rightarrow \pi \nu$
- **If the track passes very loose electron or muon ID requirements, lower the P_T cut to 5 GeV and loosen the isolation further**
- **Veto events with identified hadronic τ candidates of $P_T > 20 \text{ GeV}$**
 - Catches some multiprong tau decays

Signal Selection: cut-and-count vs. multivariate

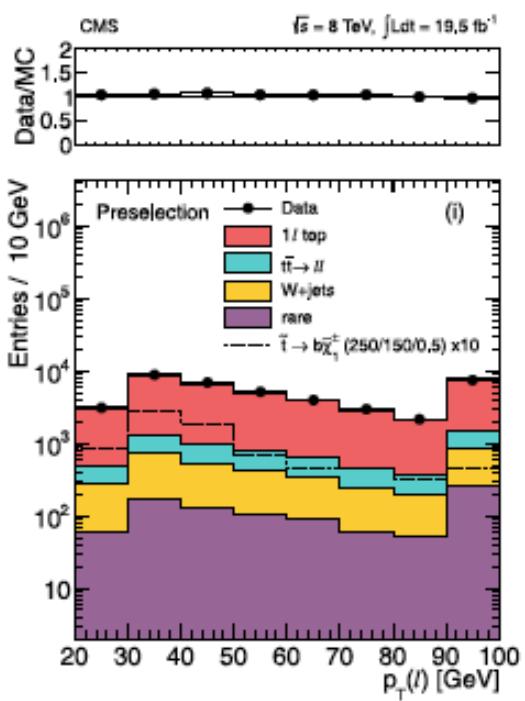
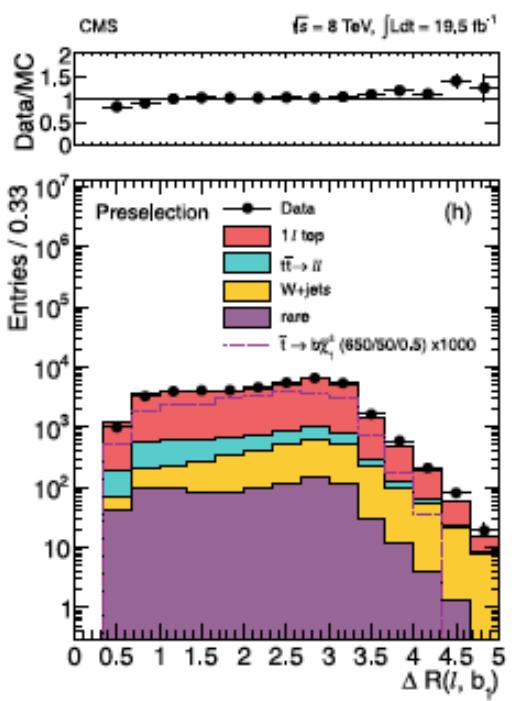
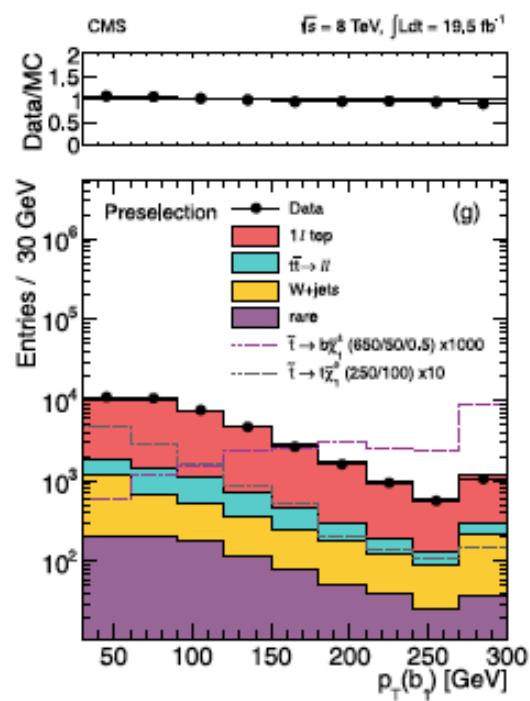
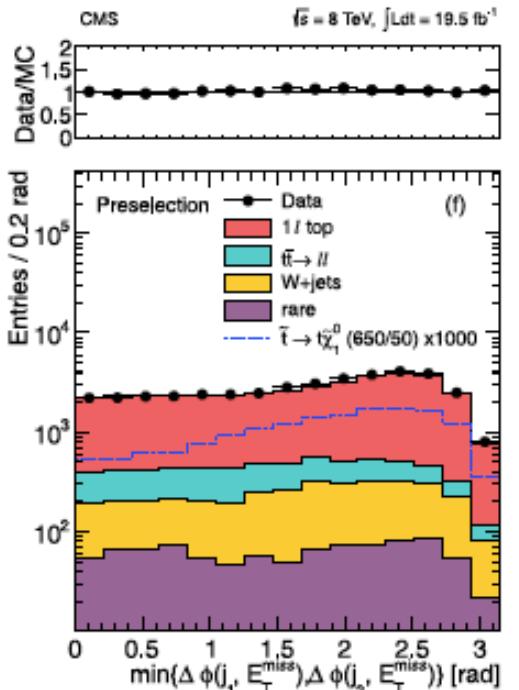
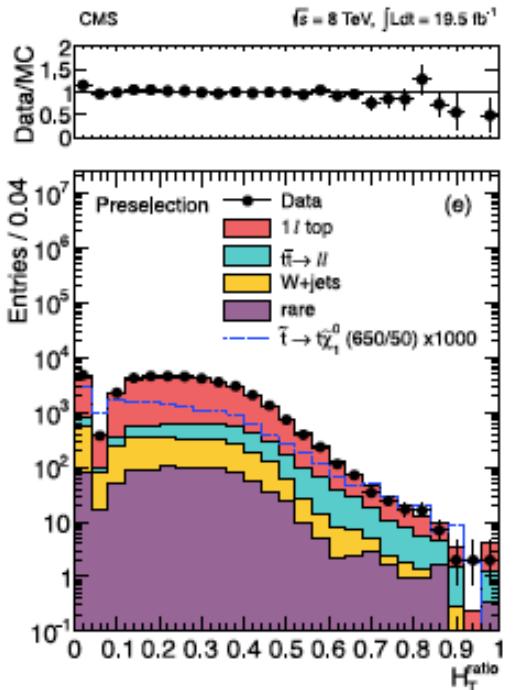
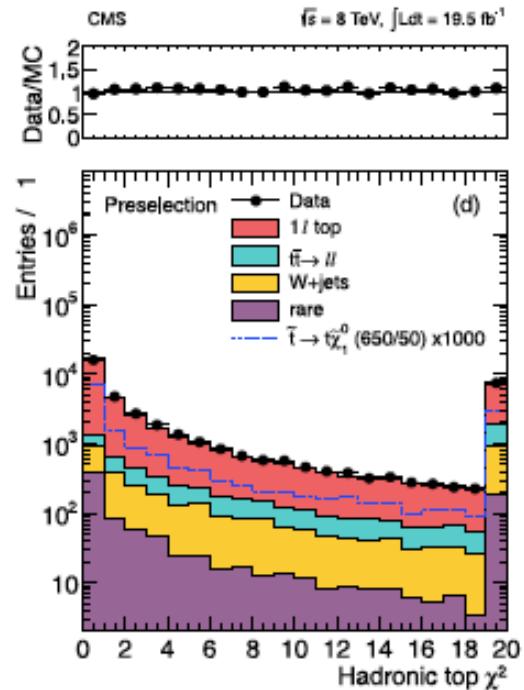
- Multivariate analysis has “ultimate sensitivity”
- “Cut-and-count” arguably more robust
- More importantly: cut-and-count less sensitive to model details. (Will come back to that)

Do both analyses in parallel

Kinematical quantities well understood



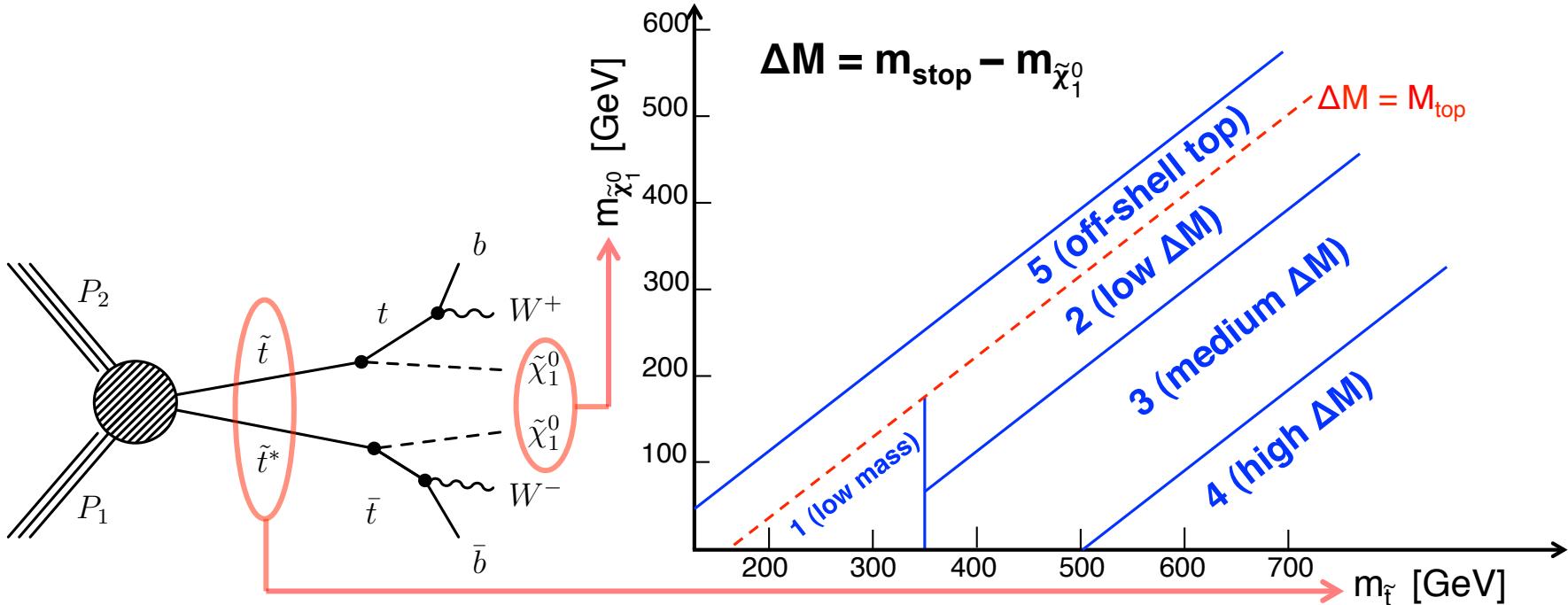
After preselection



Signal Region Selection

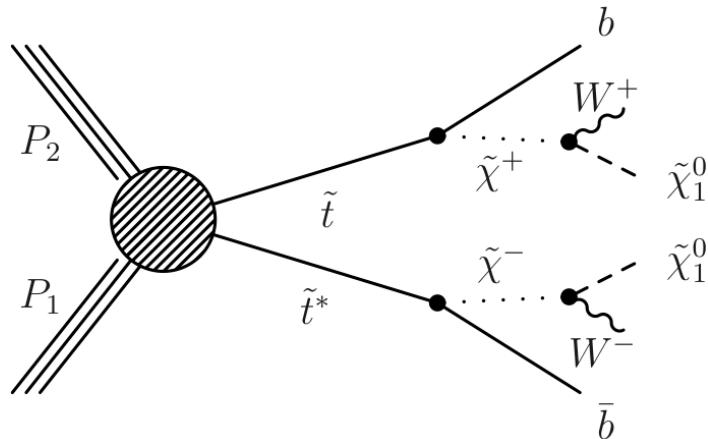
- Cross-section and kinematical properties of signal vary widely as a function of stop mass
- Must introduce different signal regions to target different corners of phase space

top-neutralino mode

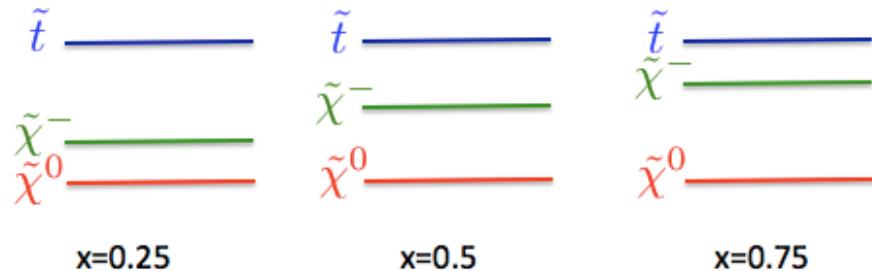


Kinematics depend on $\Delta M \rightarrow$ train 5 different BDTs

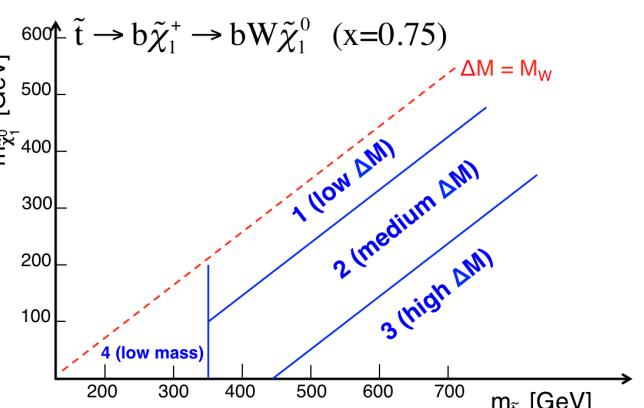
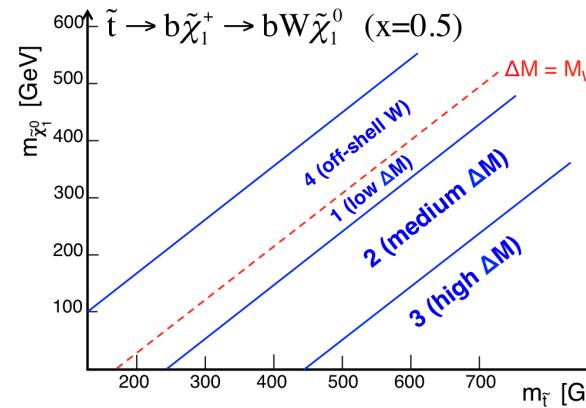
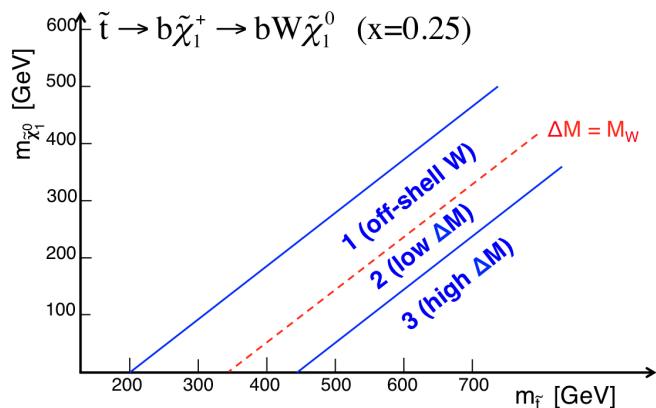
b-chargino mode



Consider 3 mass spectra:



$$\Delta M = M(\text{chargino}) - M(\text{LSP})$$



Kinematics depend on $x, \Delta M \rightarrow$ train 11 different BDTs

Signal regions summary

Selection	$\tilde{t} \rightarrow t\tilde{\chi}_1^0$				$\tilde{t} \rightarrow b\tilde{\chi}_1^+$			
	BDT	cut-based		BDT	cut-based			
		Low ΔM	High ΔM		Low ΔM	High ΔM		
E_T^{miss} (GeV)	yes	> 150, 200, 250, 300	> 150, 200, 250, 300	yes	> 100, 150, 200, 250	> 100, 150, 200, 250		
M_{T2}^W (GeV)	yes		> 200	yes		> 200		
$\min \Delta\phi$	yes	> 0.8	> 0.8	yes		> 0.8		
H_T^{ratio}	yes			yes				
hadronic top χ^2	(on-shell top)	< 5	< 5					
leading b-jet p_T (GeV)	(off-shell top)			yes				> 100
$\Delta R(\ell, \text{leading b-jet})$				yes				
lepton p_T				(off shell W)				

- We end up with 18 (BDT) and 16 (cut-and-count) signal regions (SRs)
- $M_T > 120$ GeV cut common to all SRs (not in BDT)

Search strategy in a nutshell

Signal Selection

- Start with a lepton + jets preselection
- Kill as many $t\bar{t}$ → dileptons as possible
- Use kinematical variables to reduce background
 - Cut-and-count
 - Multivariate
- Different “signal regions” to cover as much phase space as possible

Background Determination

- From Monte Carlo
- Calibrate/correct Monte Carlo with “control regions”

Control Regions (CR)

Define CRs to test the MC modeling of individual variables or even the full event selection on BG-enriched samples

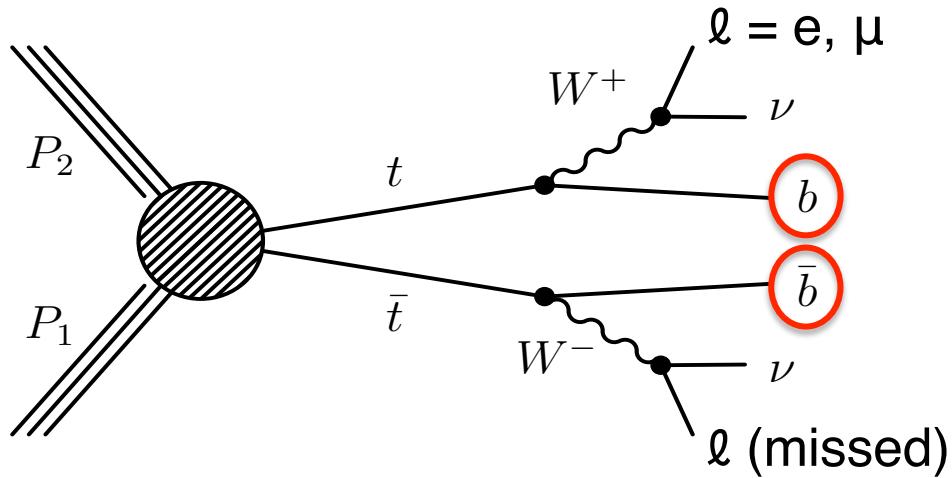
1. CR with bveto

- Enriched in W+jets.

2. CR with 2nd well-identified lepton or isolated track

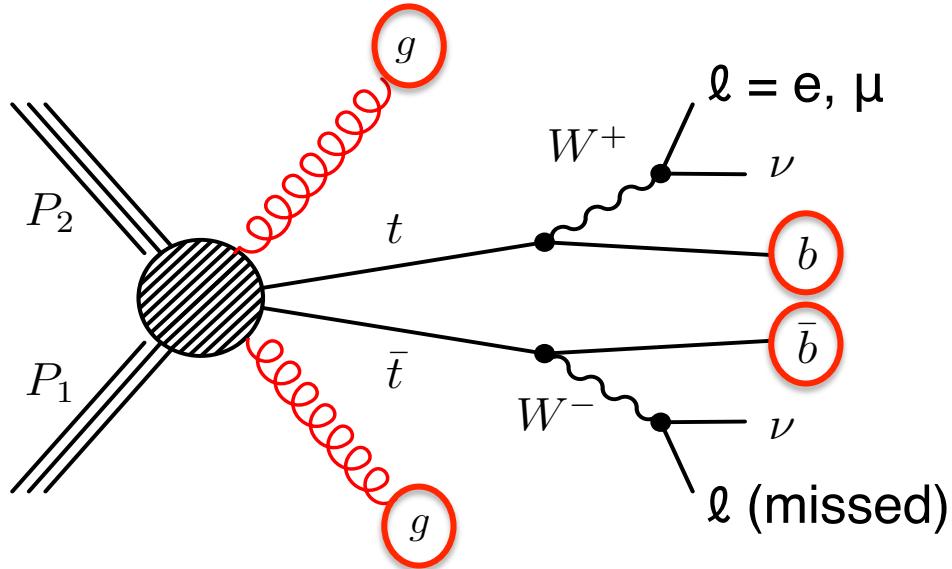
- Enriched in ttbar → dileptons

Modeling of initial state radiation (ISR)



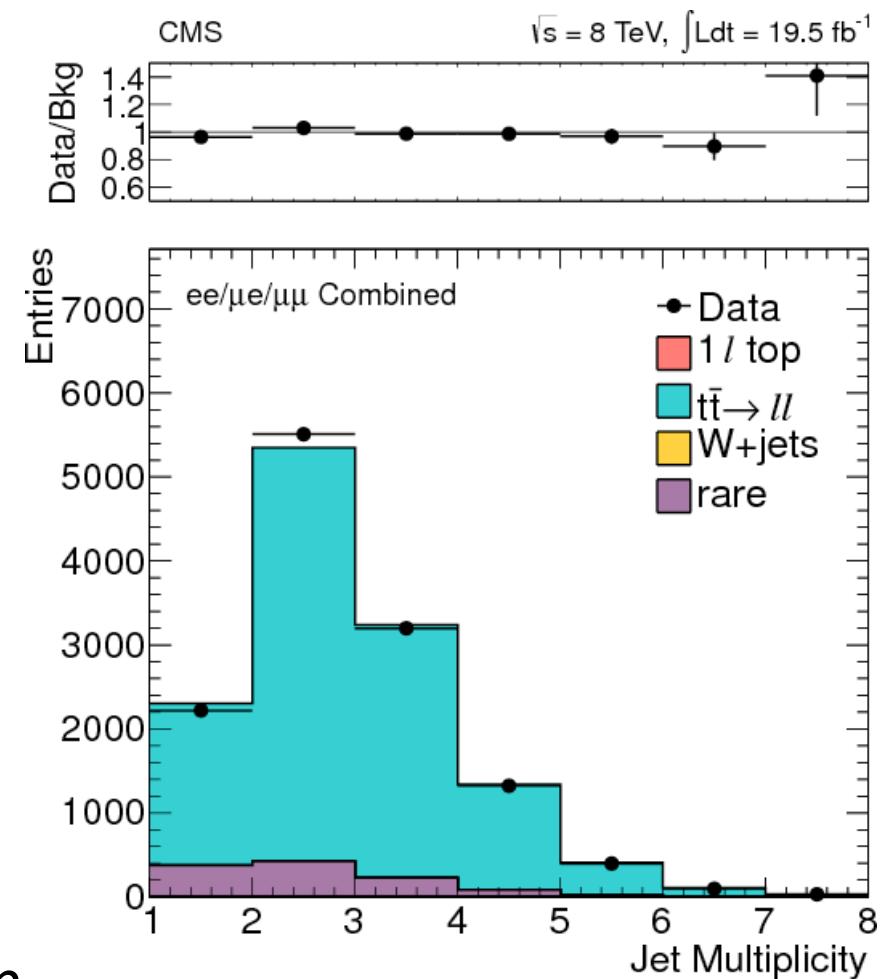
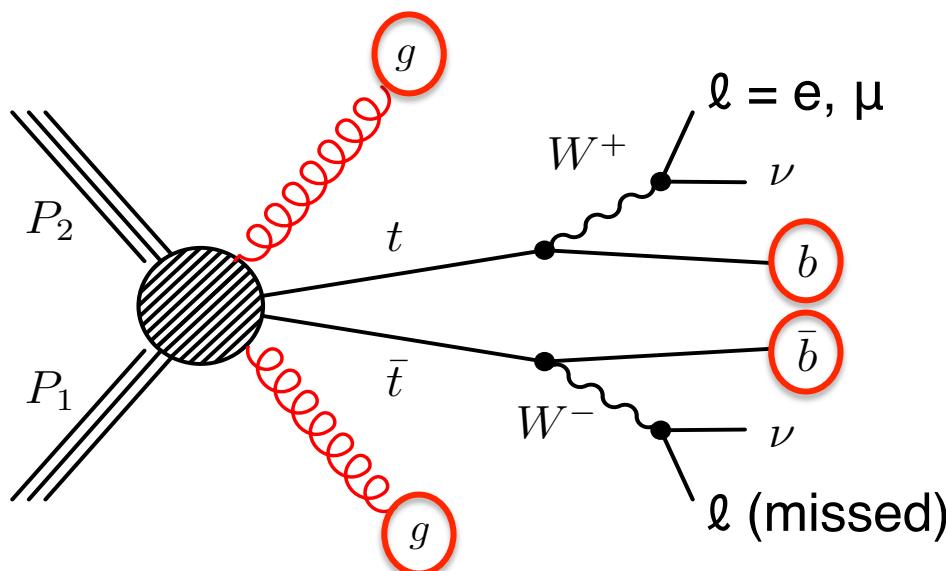
- Main background: $t\bar{t}$ → dileptons
- Only two jets

Modeling of initial state radiation (ISR)



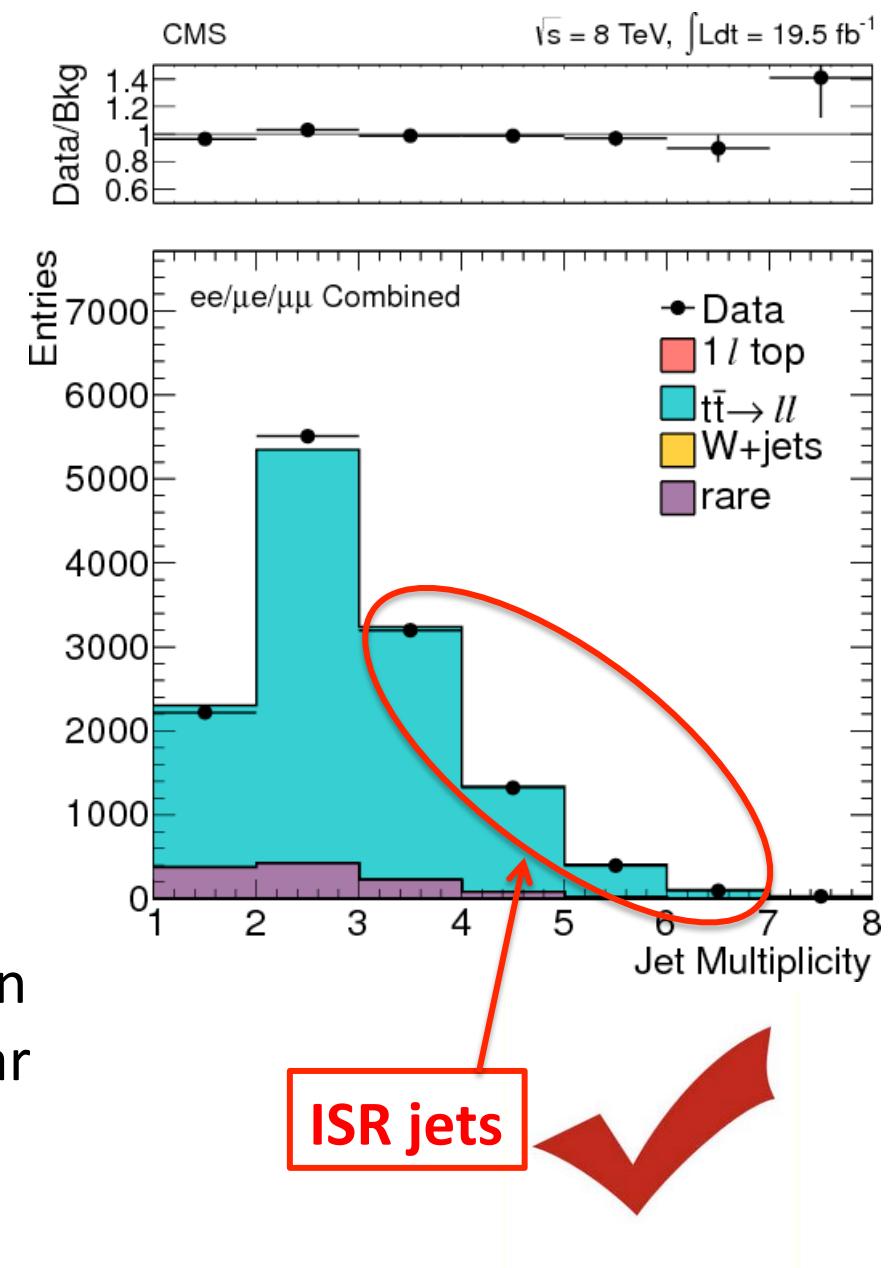
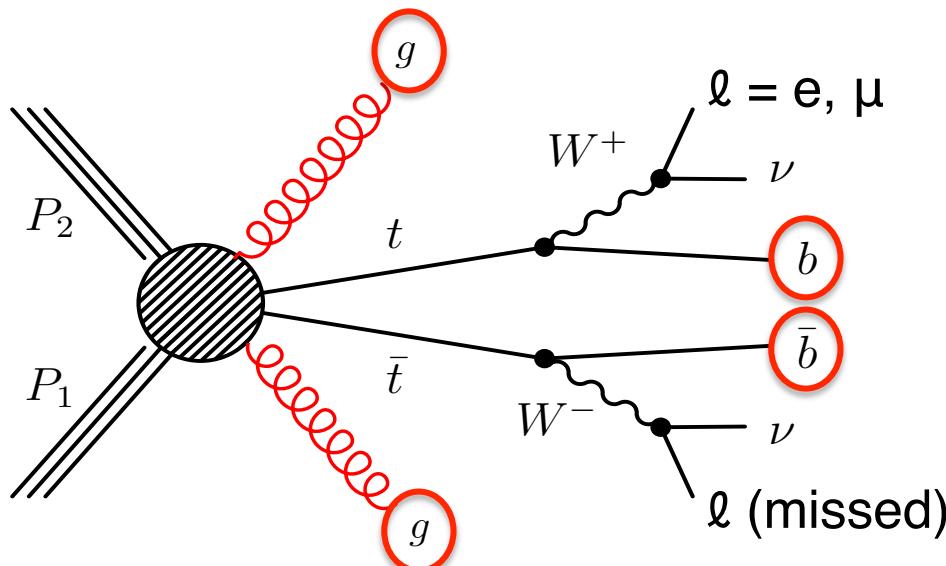
- Main background: $t\bar{t} \rightarrow \text{dileptons}$
- Only two jets
- Need 2 jets from ISR to pass selection

Modeling of initial state radiation (ISR)



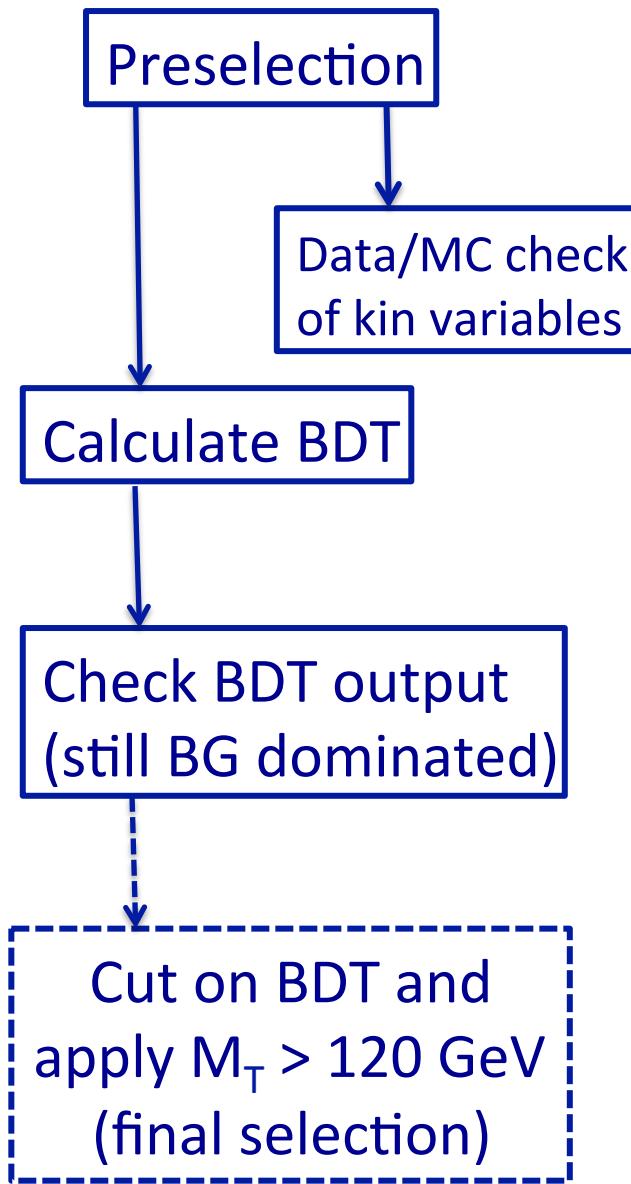
- Main background: ttbar → dileptons
- Only two jets
- Need 2 jets from ISR to pass selection
- Check jet multiplicity in dilepton ttbar

Modeling of initial state radiation (ISR)

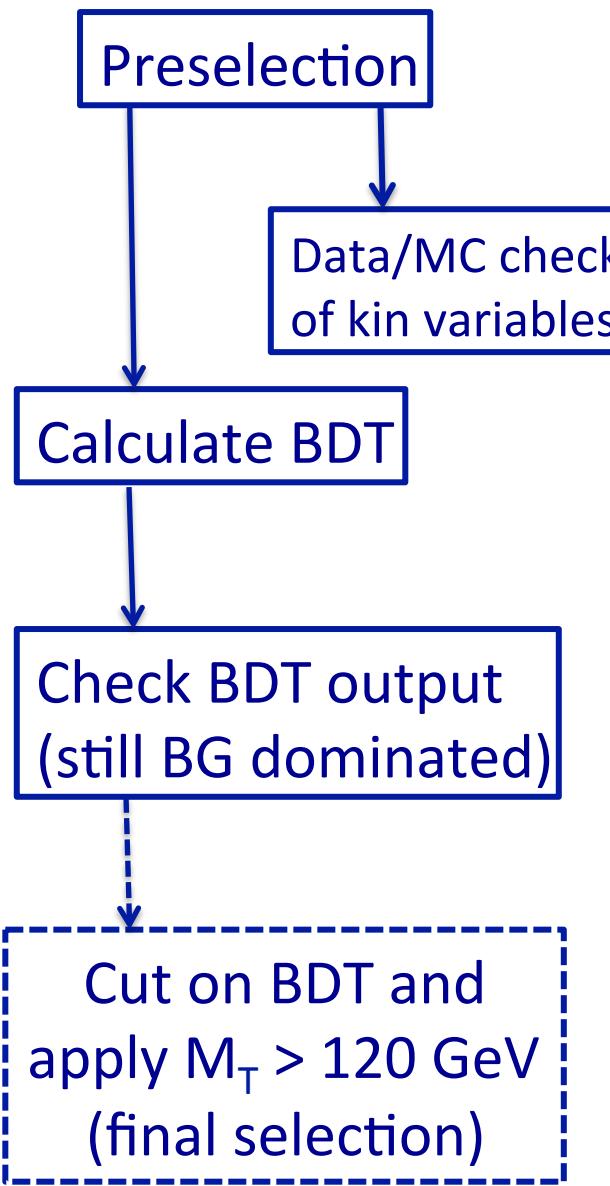


- Main background: $t\bar{t}$ → dileptons
- Only two jets
- Need 2 jets from ISR to pass selection
- Check jet multiplicity in dilepton $t\bar{t}$

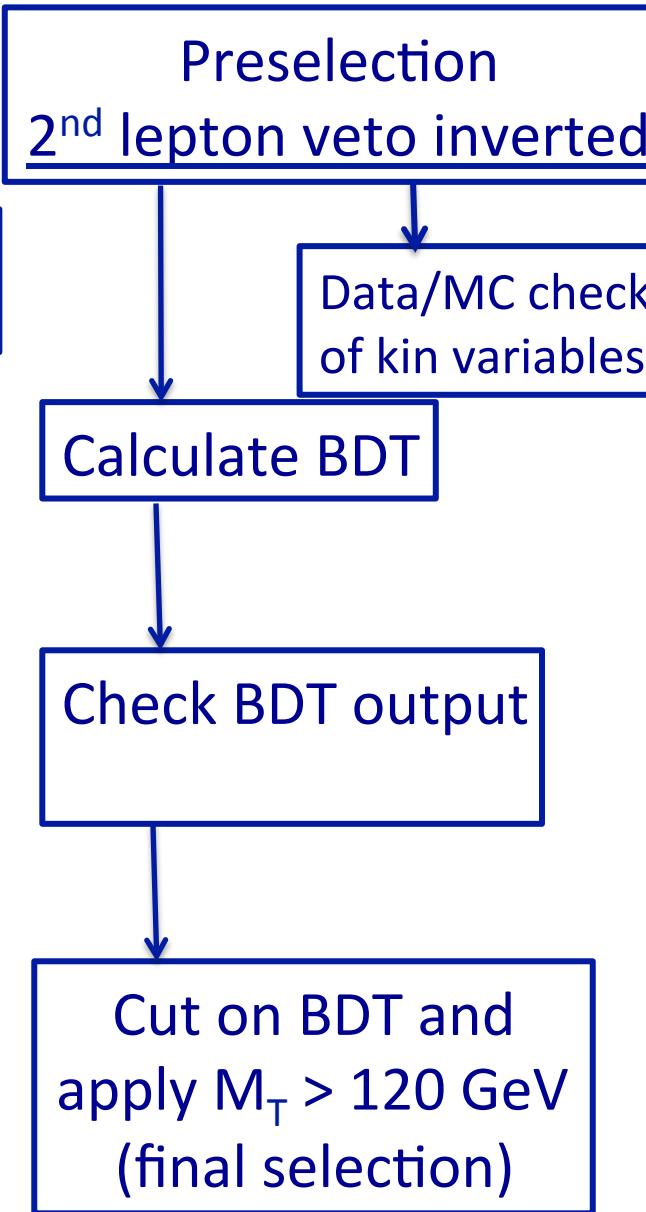
Check of $t\bar{t} \rightarrow l+jets$ BG



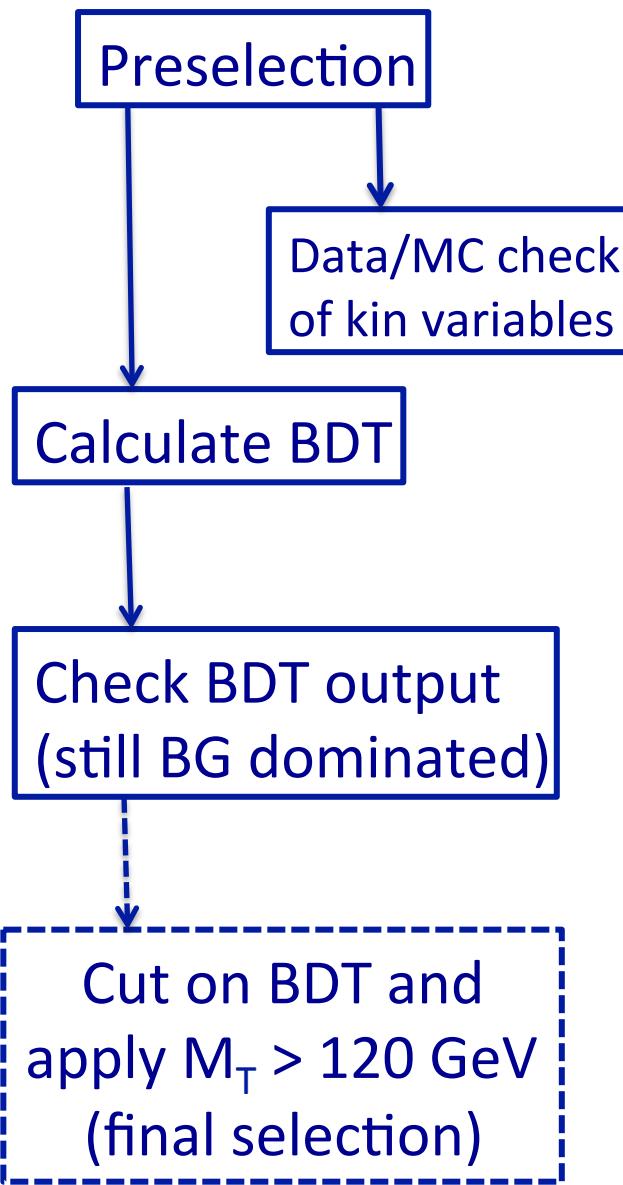
Check of $t\bar{t} \rightarrow l+jets$ BG



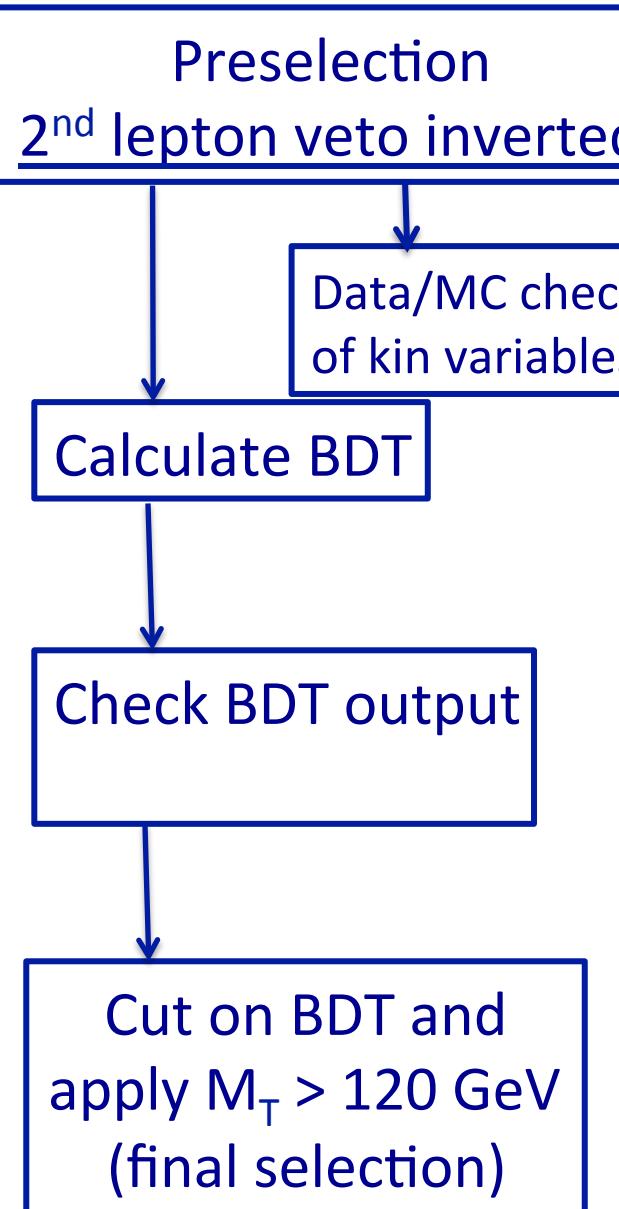
Check of $t\bar{t} \rightarrow dilepton$ BG



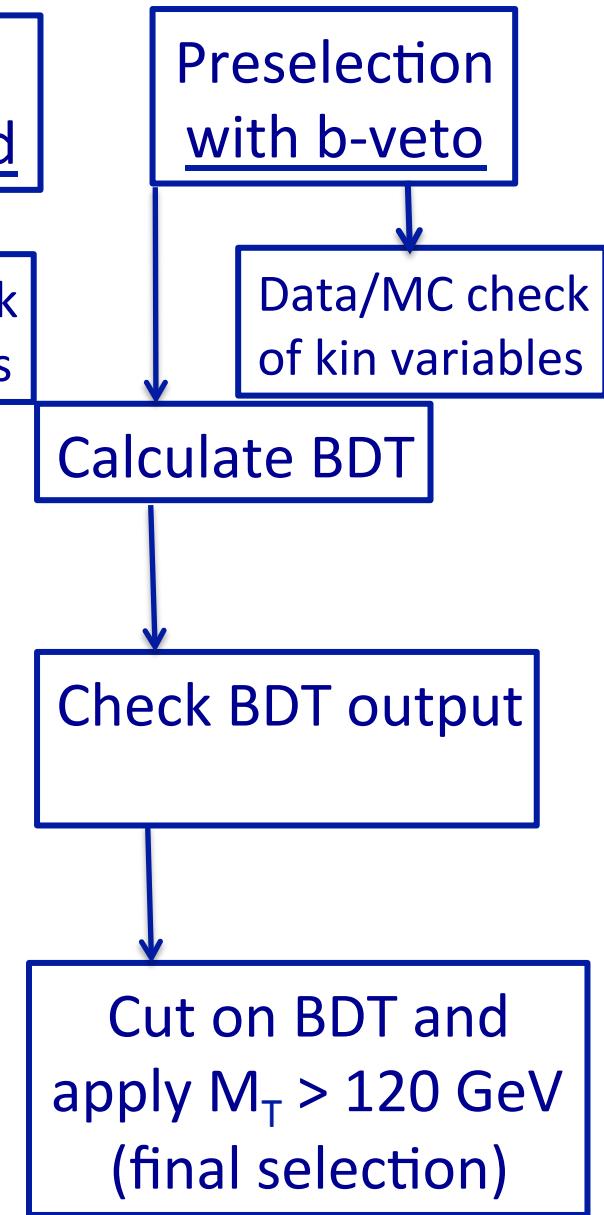
Check of $t\bar{t} \rightarrow l+jets$ BG



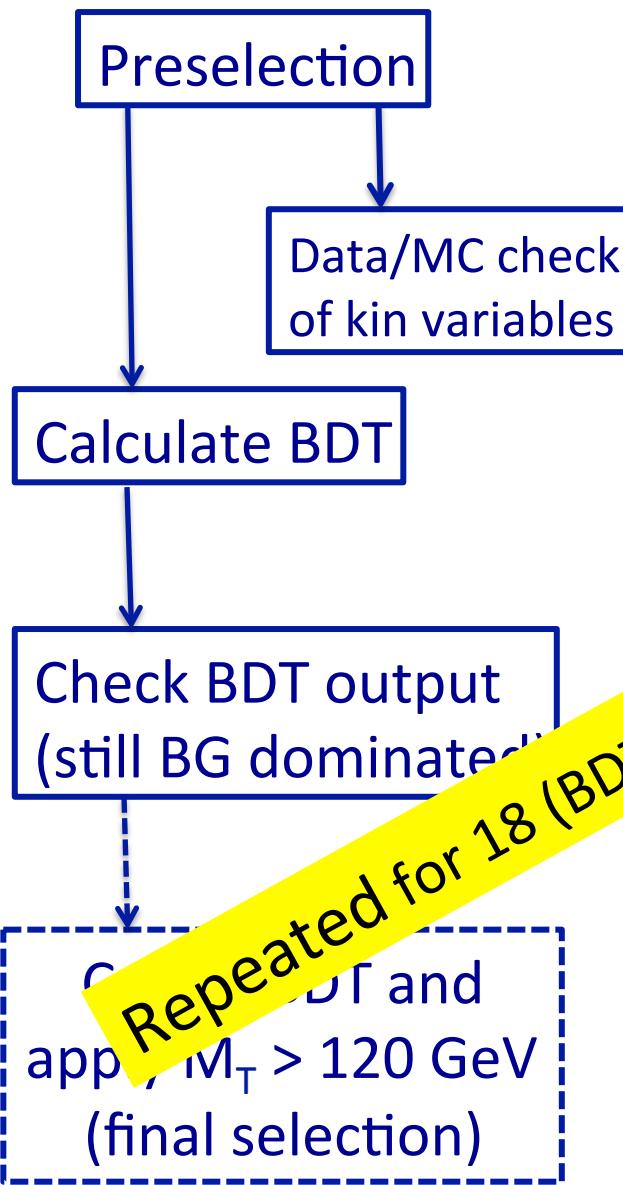
Check of $t\bar{t} \rightarrow dilepton$ BG



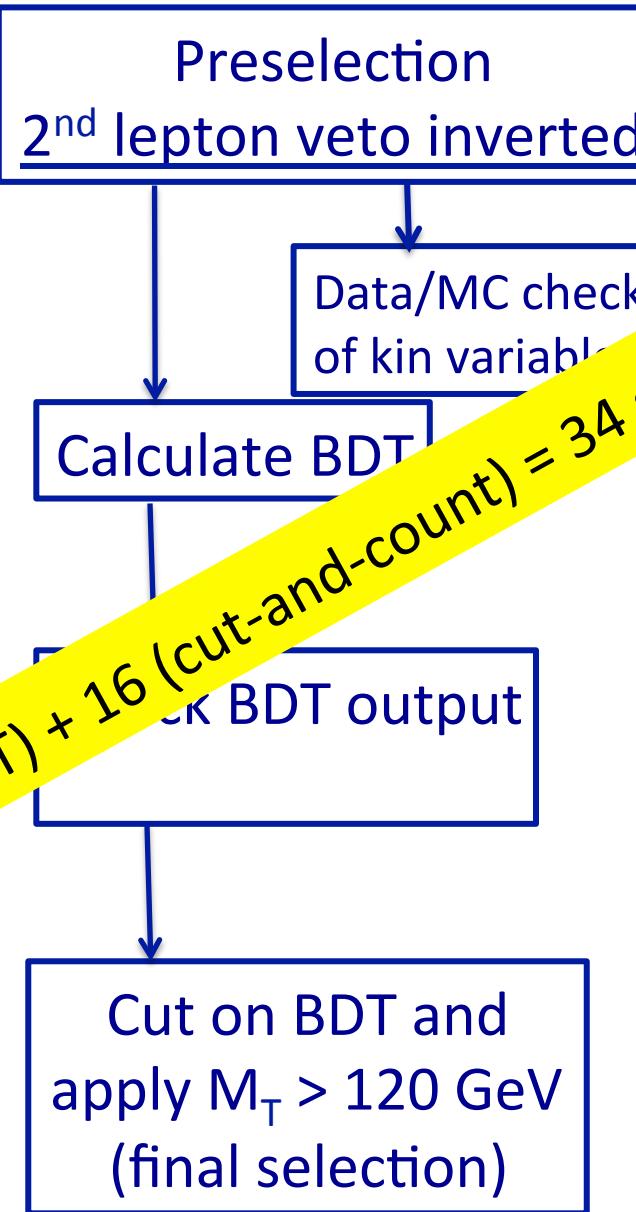
Check of $W+jets$ BG



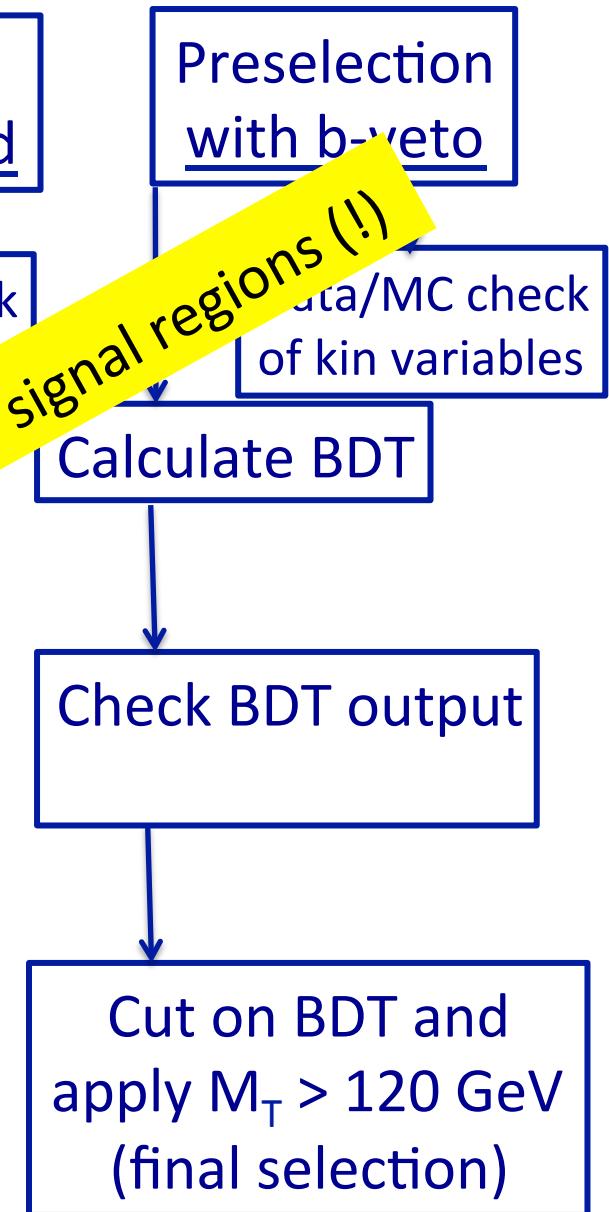
Check of $t\bar{t} \rightarrow l+jets$ BG



Check of $t\bar{t} \rightarrow dilepton$ BG

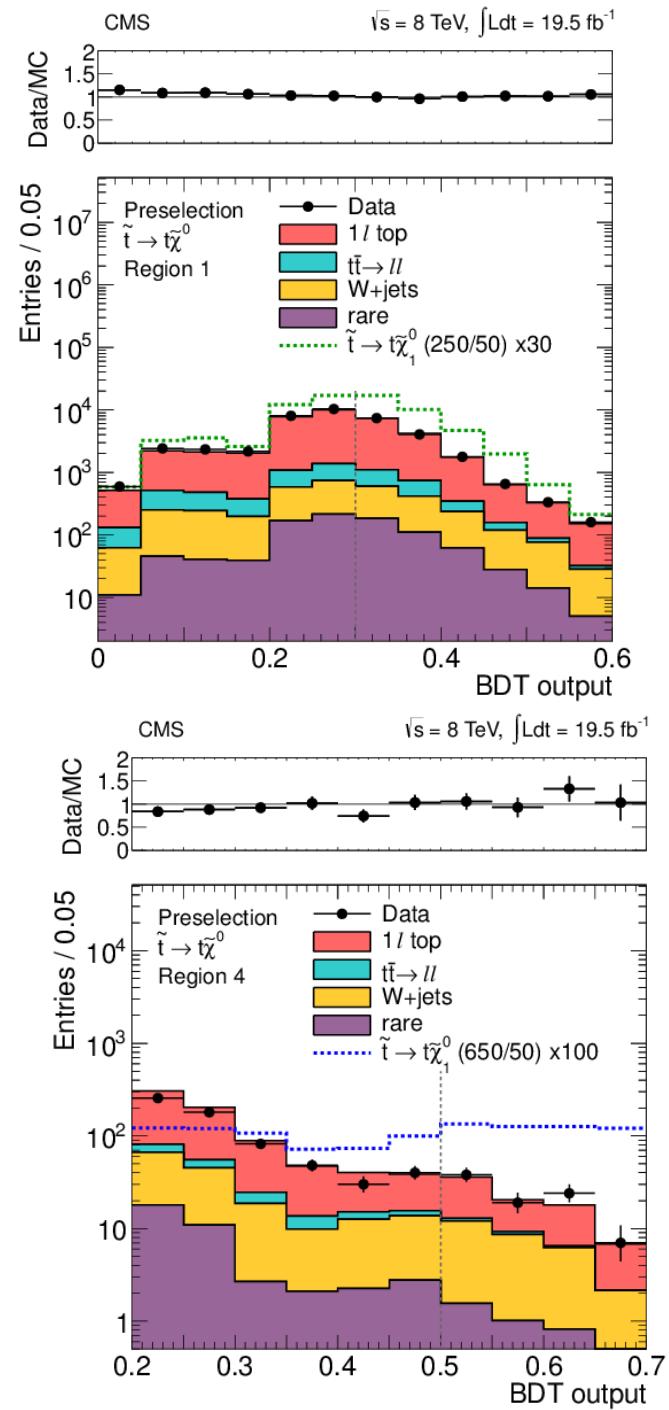
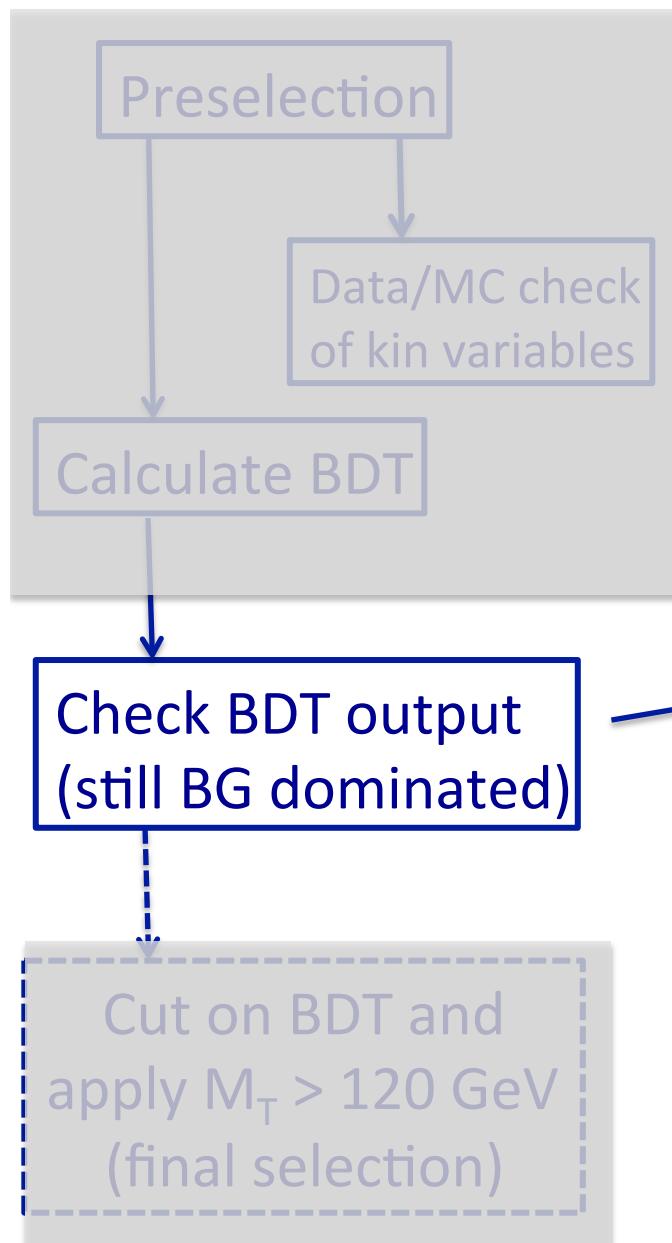


Check of $W+jets$ BG

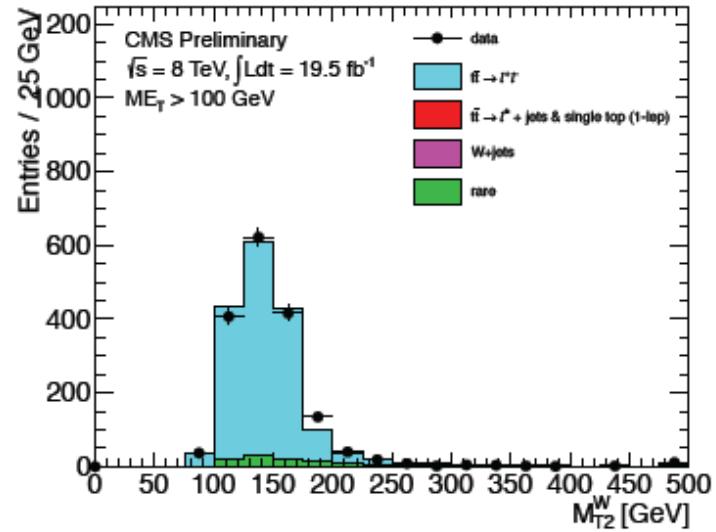
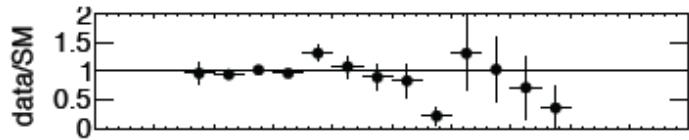
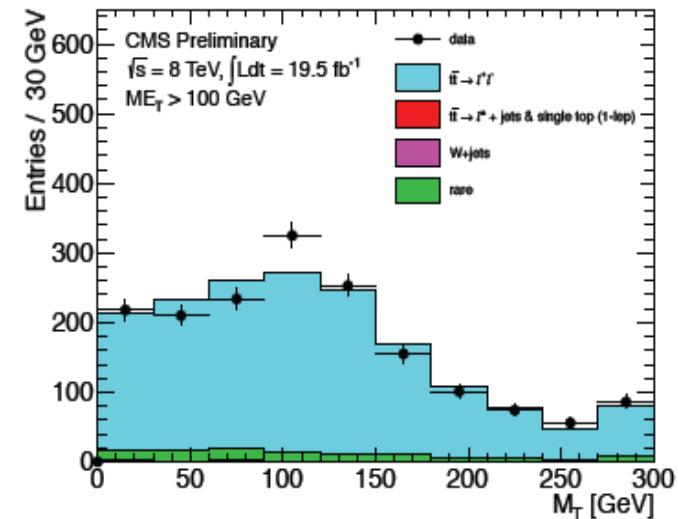
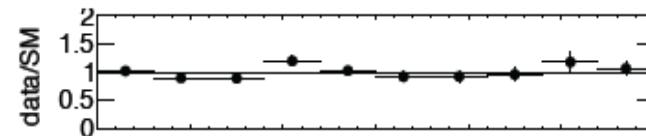
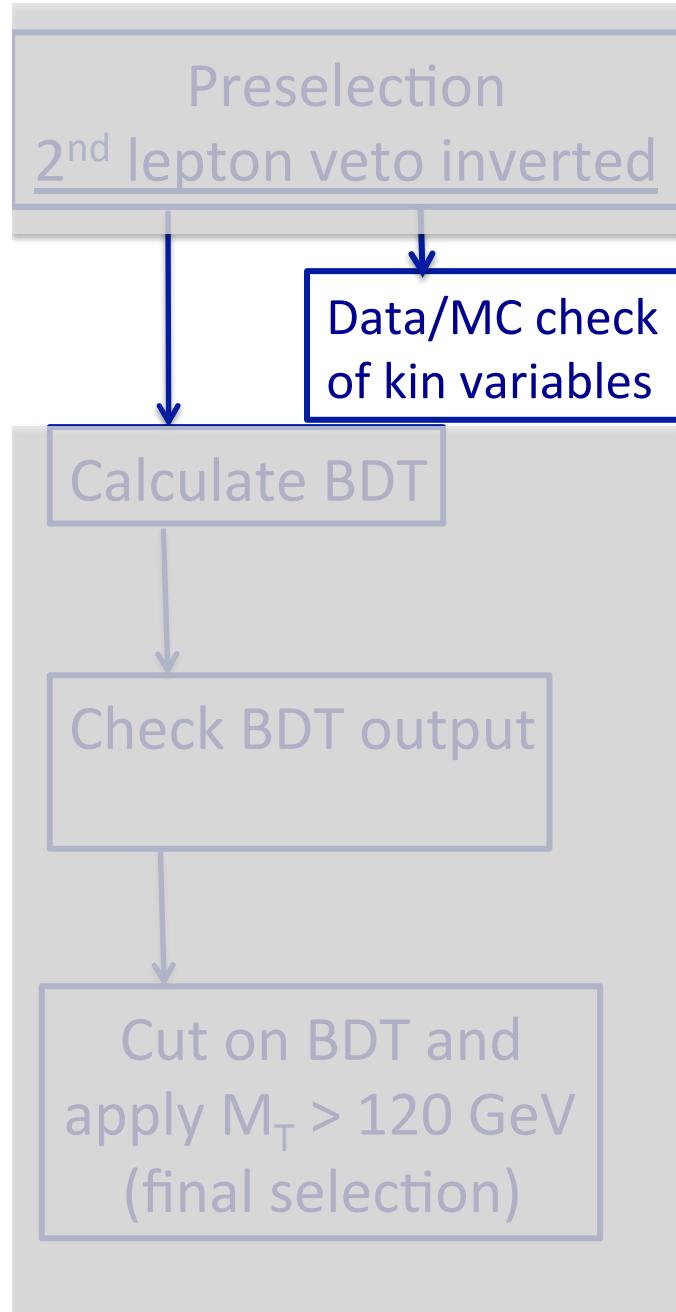


Some examples of these checks

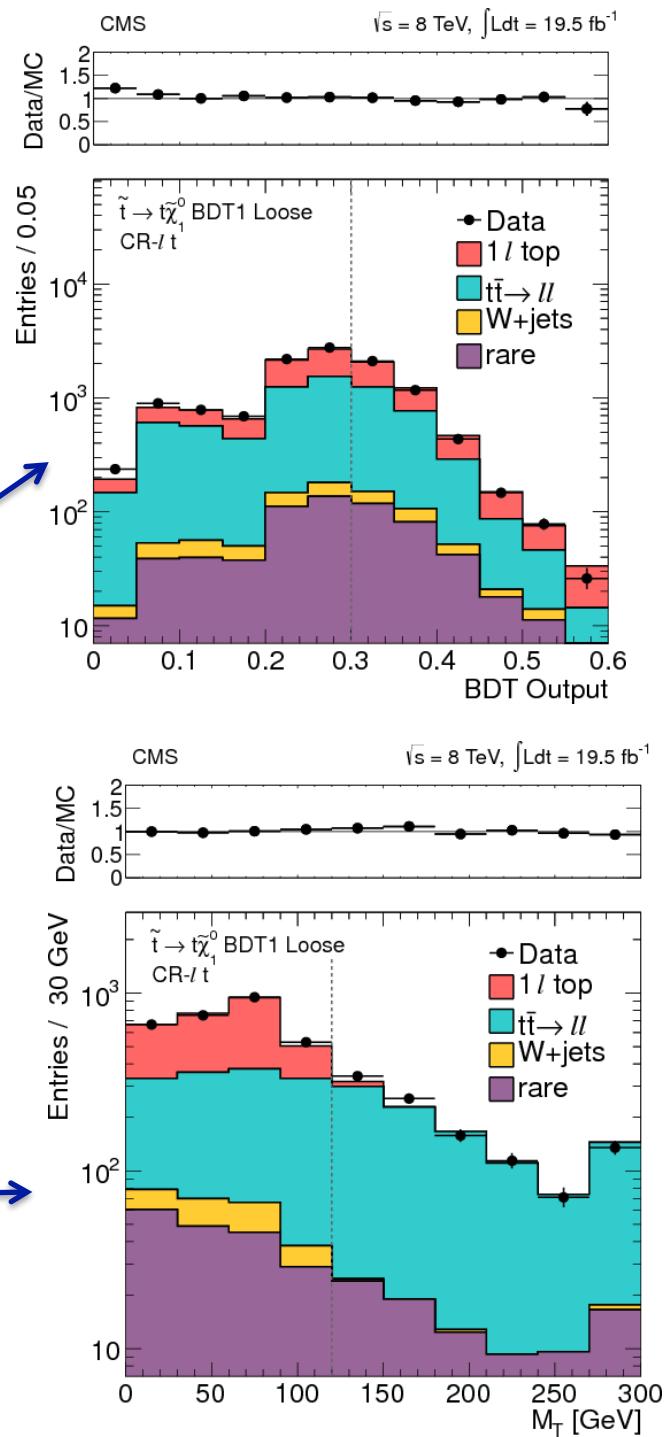
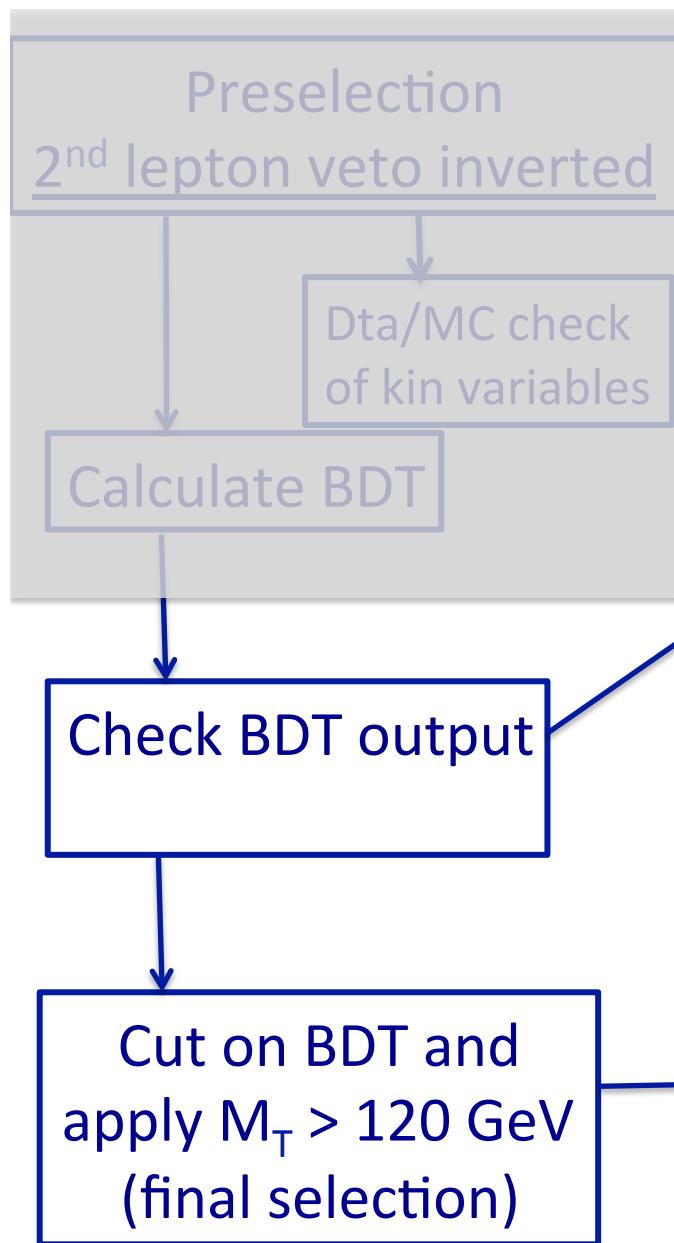
Check of $t\bar{t} \rightarrow l+jets$ BG



Check of $t\bar{t} \rightarrow$ dilepton BG

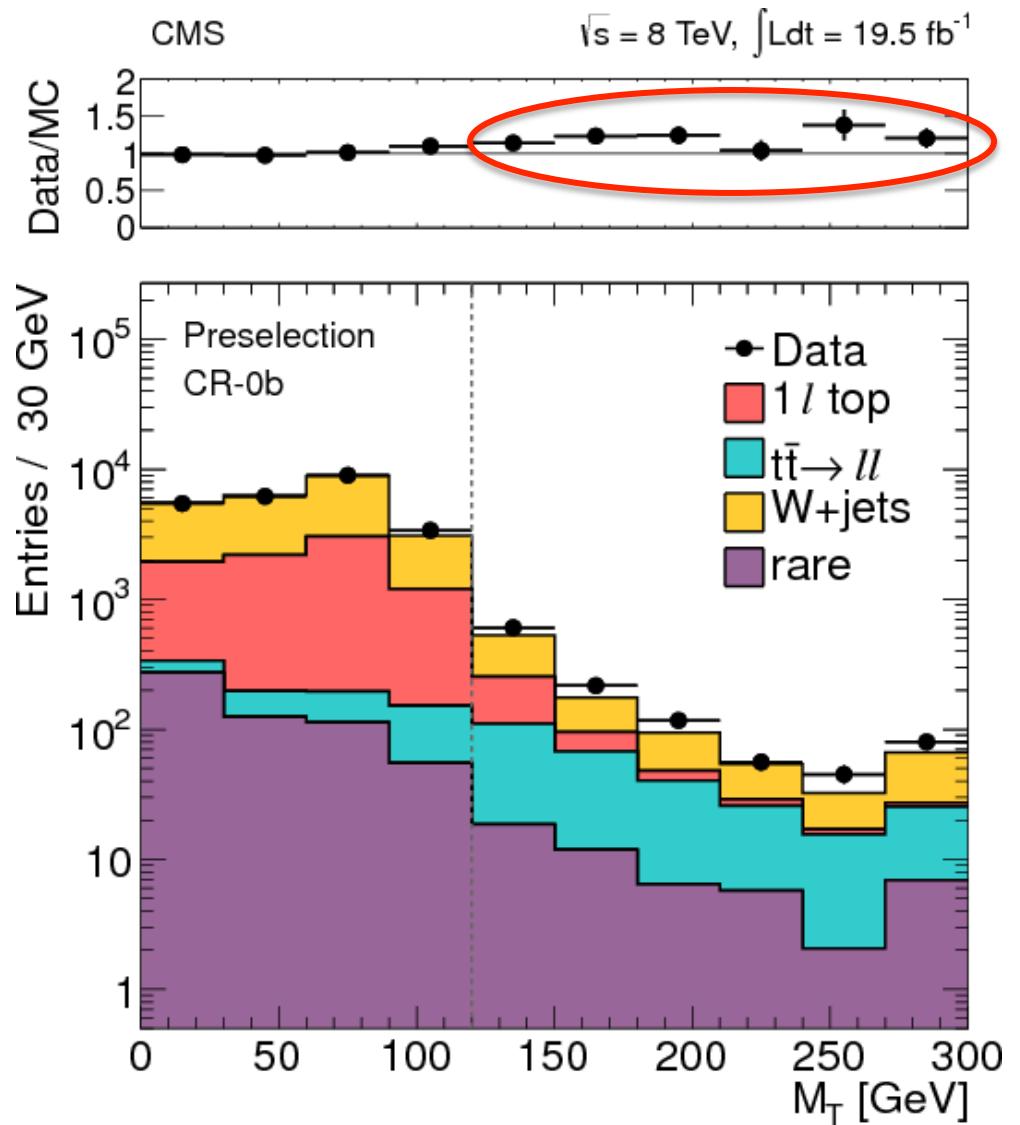
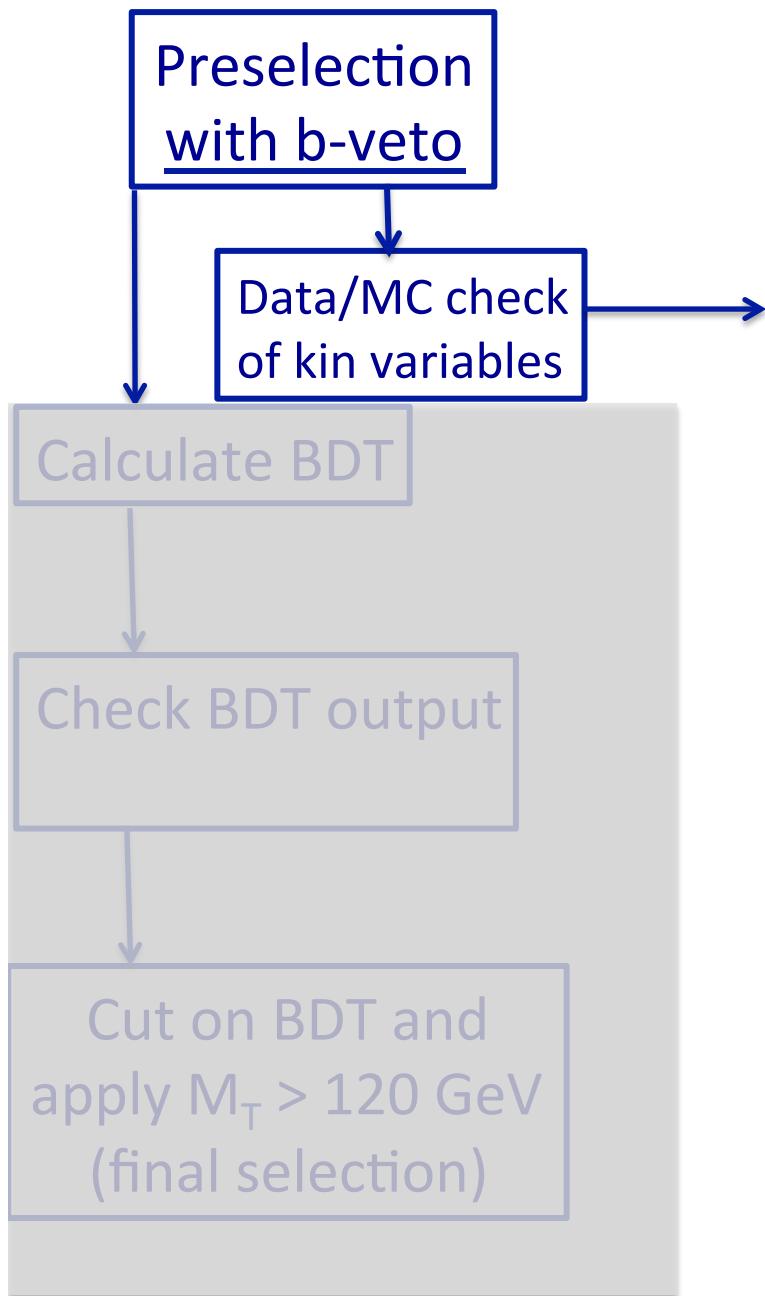


Check of $t\bar{t} \rightarrow$ dilepton BG



Next: the one check that does not look so great

Check of W+jets BG



MC does not get MET resolution right!

Issue with MET resolution

- Effect on M_T measured in W+jets, corrected via scale factor $\sim 1.2 \pm 0.3$
 - Relatively painless
- Affects ttbar $\rightarrow l+jets$ also
- Transferring scale factor to ttbar $\rightarrow l+jets$ not straightforward
 - eg: the effect of “real” tails in M_T due to off-shell W’s is very different in pp $\rightarrow W^*$ vs. t $\rightarrow W^* b$
- One of the main sources of systematics

Systematics on background

Example: top-neutralino BDT analysis (uncertainties in %)

$\tilde{t} \rightarrow t\tilde{\chi}_1^0$	BDT1–Loose	BDT1–Tight	BDT2	BDT3	BDT4	BDT5
Sample						
M_T -peak data and MC (stat.)	1.0	2.1	2.7	5.3	8.7	3.0
$t\bar{t} \rightarrow \ell\ell N_{\text{jets}}$ modeling	1.7	1.6	1.6	1.1	0.4	1.7
$t\bar{t} \rightarrow \ell\ell$ (CR- ℓt and CR- 2ℓ tests)	4.0	8.2	11.0	12.5	7.2	13.8
2nd lepton veto	1.5	1.4	1.4	0.9	0.3	1.4
$t\bar{t} \rightarrow \ell\ell$ (stat.)	1.1	2.8	3.4	7.0	7.4	3.3
W + jets cross section	1.6	2.2	2.8	1.7	2.7	2.2
W + jets (stat.)	1.1	1.9	2.0	4.6	10.8	5.2
W + jets SF uncertainty	8.3	7.7	6.8	8.1	9.7	8.6
$1 - \ell$ top (stat.)	0.4	0.8	0.8	1.4	4.4	1.2
$1 - \ell$ top tail-to-peak ratio	9.0	11.4	12.4	19.6	28.5	9.1
Rare processes cross section	1.8	3.0	4.0	8.1	15.7	0.7
Total	13.4	17.1	19.3	27.8	38.4	20.2

Systematics on background

Example: top-neutralino BDT analysis (uncertainties in %)

$\tilde{t} \rightarrow t\tilde{\chi}_1^0$	BDT1–Loose	BDT1–Tight	BDT2	BDT3	BDT4	BDT5
Sample						
M_T -peak data and MC (stat.)	1.0	2.1	2.7	5.3	8.7	3.0
$t\bar{t} \rightarrow \ell\ell N_{\text{jets}}$ modeling	1.7	1.6	1.6	1.1	0.4	1.7
$t\bar{t} \rightarrow \ell\ell$ (CR- ℓt and CR- 2ℓ tests)	4.0	8.2	11.0	12.5	7.2	13.8
2nd lepton veto	1.5	1.4	1.4	0.9	0.3	1.4
$t\bar{t} \rightarrow \ell\ell$ (stat.)	1.1	2.8	3.4	7.0	7.4	3.3
W + jets cross section	1.6	2.2	2.8	1.7	2.7	2.2
W + jets (stat.)	1.1	1.9	2.0	4.6	10.8	5.2
W + jets SF uncertainty	8.3	7.7	6.8	8.1	9.7	8.6
$1 - \ell$ top (stat.)	0.4	0.8	0.8	1.4	4.4	1.2
$1 - \ell$ top tail-to-peak ratio	9.0	11.4	12.4	19.6	28.5	9.1
Rare processes cross section	1.8	3.0	4.0	8.1	15.7	0.7
Total	13.4	17.1	19.3	27.8	38.4	20.2

Uncertainties due to MET resolution: as high as $\sim 30\%$

Systematics on background

Example: top-neutralino BDT analysis (uncertainties in %)

$\tilde{t} \rightarrow t\tilde{\chi}_1^0$	BDT1–Loose	BDT1–Tight	BDT2	BDT3	BDT4	BDT5
Sample						
M_T -peak data and MC (stat.)	1.0	2.1	2.7	5.3	8.7	3.0
$t\bar{t} \rightarrow \ell\ell N_{\text{jets}}$ modeling	1.7	1.6	1.6	1.1	0.4	1.7
$t\bar{t} \rightarrow \ell\ell$ (CR- ℓt and CR- 2ℓ tests)	4.0	8.2	11.0	12.5	7.2	13.8
2nd lepton veto	1.5	1.4	1.4	0.9	0.3	1.4
$t\bar{t} \rightarrow \ell\ell$ (stat.)	1.1	2.8	3.4	7.0	7.4	3.3
W + jets cross section	1.6	2.2	2.8	1.7	2.7	2.2
W + jets (stat.)	1.1	1.9	2.0	4.6	10.8	5.2
W + jets SF uncertainty	8.3	7.7	6.8	8.1	9.7	8.6
$1 - \ell$ top (stat.)	0.4	0.8	0.8	1.4	4.4	1.2
$1 - \ell$ top tail-to-peak ratio	9.0	11.4	12.4	19.6	28.5	9.1
Rare processes cross section	1.8	3.0	4.0	8.1	15.7	0.7
Total	13.4	17.1	19.3	27.8	38.4	20.2

Statistics of dilepton control region tests: ~ 4 - 14%

Systematics on background

Example: top-neutralino BDT analysis (uncertainties in %)

$\tilde{t} \rightarrow t\tilde{\chi}_1^0$	BDT1–Loose	BDT1–Tight	BDT2	BDT3	BDT4	BDT5
Sample						
M_T -peak data and MC (stat.)	1.0	2.1	2.7	5.3	8.7	3.0
$t\bar{t} \rightarrow \ell\ell N_{\text{jets}}$ modeling	1.7	1.6	1.6	1.1	0.4	1.7
$t\bar{t} \rightarrow \ell\ell$ (CR- ℓt and CR- 2ℓ tests)	4.0	8.2	11.0	12.5	7.2	13.8
2nd lepton veto	1.5	1.4	1.4	0.9	0.3	1.4
$t\bar{t} \rightarrow \ell\ell$ (stat.)	1.1	2.8	3.4	7.0	7.4	3.3
W + jets cross section	1.6	2.2	2.8	1.7	2.7	2.2
W + jets (stat.)	1.1	1.9	2.0	4.6	10.8	5.2
W + jets SF uncertainty	8.3	7.7	6.8	8.1	9.7	8.6
$1 - \ell$ top (stat.)	0.4	0.8	0.8	1.4	4.4	1.2
$1 - \ell$ top tail-to-peak ratio	9.0	11.4	12.4	19.6	28.5	9.1
Rare processes cross section	1.8	3.0	4.0	8.1	15.7	0.7
Total	13.4	17.1	19.3	27.8	38.4	20.2

Misc. MC statistics: ~ 4 - 11%

Systematics on background

Example: top-neutralino BDT analysis (uncertainties in %)

$\tilde{t} \rightarrow t\tilde{\chi}_1^0$	BDT1–Loose	BDT1–Tight	BDT2	BDT3	BDT4	BDT5
Sample						
M_T -peak data and MC (stat.)	1.0	2.1	2.7	5.3	8.7	3.0
$t\bar{t} \rightarrow \ell\ell N_{\text{jets}}$ modeling	1.7	1.6	1.6	1.1	0.4	1.7
$t\bar{t} \rightarrow \ell\ell$ (CR- ℓt and CR- 2ℓ tests)	4.0	8.2	11.0	12.5	7.2	13.8
2nd lepton veto	1.5	1.4	1.4	0.9	0.3	1.4
$t\bar{t} \rightarrow \ell\ell$ (stat.)	1.1	2.8	3.4	7.0	7.4	3.3
W + jets cross section	1.6	2.2	2.8	1.7	2.7	2.2
W + jets (stat.)	1.1	1.9	2.0	4.6	10.8	5.2
W + jets SF uncertainty	8.3	7.7	6.8	8.1	9.7	8.6
$1 - \ell$ top (stat.)	0.4	0.8	0.8	1.4	4.4	1.2
$1 - \ell$ top tail-to-peak ratio	9.0	11.4	12.4	19.6	28.5	9.1
Rare processes cross section	1.8	3.0	4.0	8.1	15.7	0.7
Total	13.4	17.1	19.3	27.8	38.4	20.2

In the tight signal regions “rare” process matter

Systematics on background

Example: top-neutralino BDT analysis (uncertainties in %)

$\tilde{t} \rightarrow t\tilde{\chi}_1^0$	BDT1–Loose	BDT1–Tight	BDT2	BDT3	BDT4	BDT5
M_T -peak data and MC (stat.)	1.0	2.1	2.7	5.3	8.7	3.0
$t\bar{t} \rightarrow \ell\ell N_{\text{jets}}$ modeling	1.7	1.6	1.6	1.1	0.4	1.7
$t\bar{t} \rightarrow \ell\ell$ (CR- ℓt and CR- 2ℓ tests)	4.0	8.2	11.0	12.5	7.2	13.8
2nd lepton veto	1.5	1.4	1.4	0.9	0.3	1.4
$t\bar{t} \rightarrow \ell\ell$ (stat.)	1.1	2.8	3.4	7.0	7.4	3.3
W + jets cross section	1.6	2.2	2.8	1.7	2.7	2.2
W + jets (stat.)	1.1	1.9	2.0	4.6	10.8	5.2
W + jets SF uncertainty	8.3	7.7	6.8	8.1	9.7	8.6
$1 - \ell$ top (stat.)	0.4	0.8	0.8	1.4	4.4	1.2
$1 - \ell$ top tail-to-peak ratio	9.0	11.4	12.4	19.6	28.5	9.1
Rare processes cross section	1.8	3.0	4.0	8.1	15.7	0.7
Total	13.4	17.1	19.3	27.8	38.4	20.2

Total uncertainty: ~ 13 – 40%

Expectations

Example: top-neutralino BDT analysis (number of events)

$\tilde{t} \rightarrow t\tilde{\chi}_1^0$	BDT1–Loose	BDT1–Tight	BDT2	BDT3	BDT4	BDT5
$t\bar{t} \rightarrow \ell\ell$	438 ± 37	68 ± 11	46 ± 10	5 ± 2	0.3 ± 0.3	48 ± 13
1ℓ top	251 ± 93	37 ± 17	22 ± 12	4 ± 3	0.8 ± 0.9	30 ± 12
W + jets	27 ± 7	7 ± 2	6 ± 2	2 ± 1	0.8 ± 0.3	5 ± 2
Rare	47 ± 23	11 ± 6	10 ± 5	3 ± 1	1.0 ± 0.5	4 ± 2
Total	763 ± 102	124 ± 21	85 ± 16	13 ± 4	2.9 ± 1.1	87 ± 18
$\tilde{t} \rightarrow t\tilde{\chi}_1^0$ (250/50)	285 ± 8.5	50 ± 3.5	28 ± 2.6	4.4 ± 1.0	0.3 ± 0.3	34 ± 2.9
$\tilde{t} \rightarrow t\tilde{\chi}_1^0$ (650/50)	12 ± 0.2	7.2 ± 0.2	9.8 ± 0.2	6.5 ± 0.2	4.3 ± 0.1	2.9 ± 0.1

Good sensitivity across broad mass range

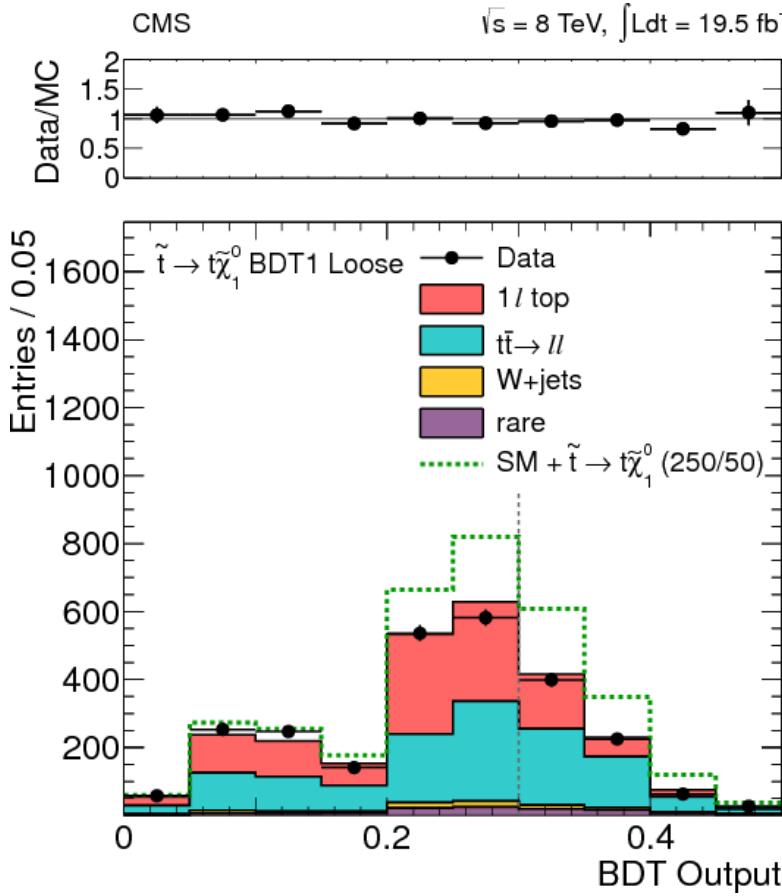
Results

Example: top-neutralino BDT analysis (number of events)

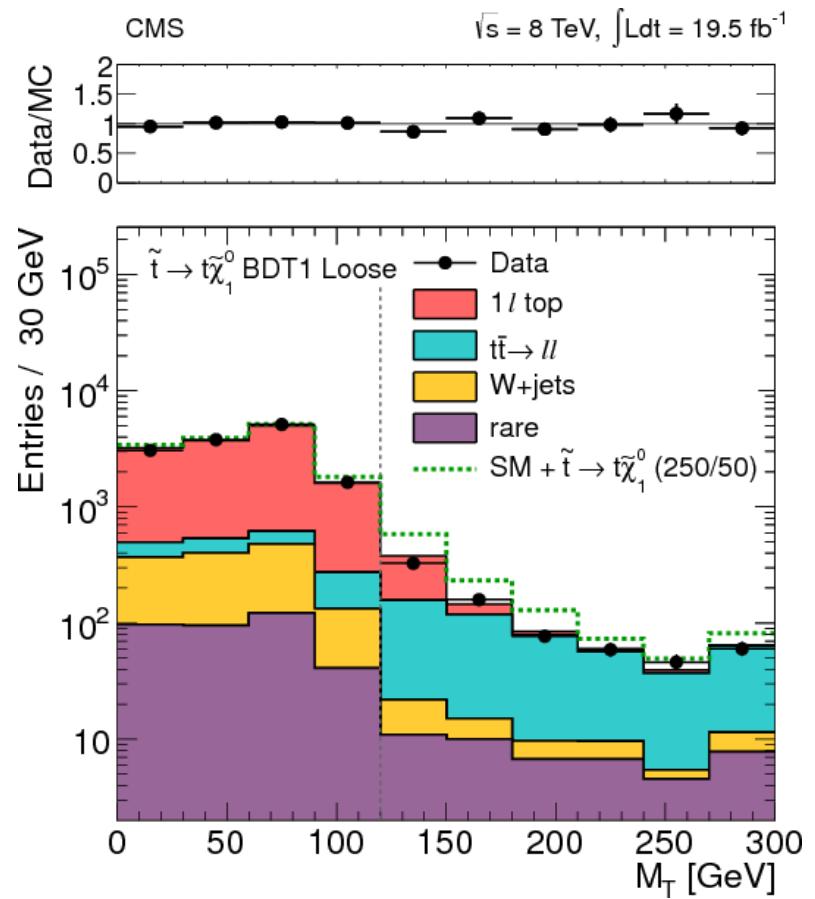
$\tilde{t} \rightarrow t\tilde{\chi}_1^0$	BDT1–Loose	BDT1–Tight	BDT2	BDT3	BDT4	BDT5
Sample						
$t\bar{t} \rightarrow \ell\ell$	438 ± 37	68 ± 11	46 ± 10	5 ± 2	0.3 ± 0.3	48 ± 13
1ℓ top	251 ± 93	37 ± 17	22 ± 12	4 ± 3	0.8 ± 0.9	30 ± 12
W + jets	27 ± 7	7 ± 2	6 ± 2	2 ± 1	0.8 ± 0.3	5 ± 2
Rare	47 ± 23	11 ± 6	10 ± 5	3 ± 1	1.0 ± 0.5	4 ± 2
Total	763 ± 102	124 ± 21	85 ± 16	13 ± 4	2.9 ± 1.1	87 ± 18
Data	728	104	56	8	2	76

No excess anywhere

Example BDT and M_T distributions



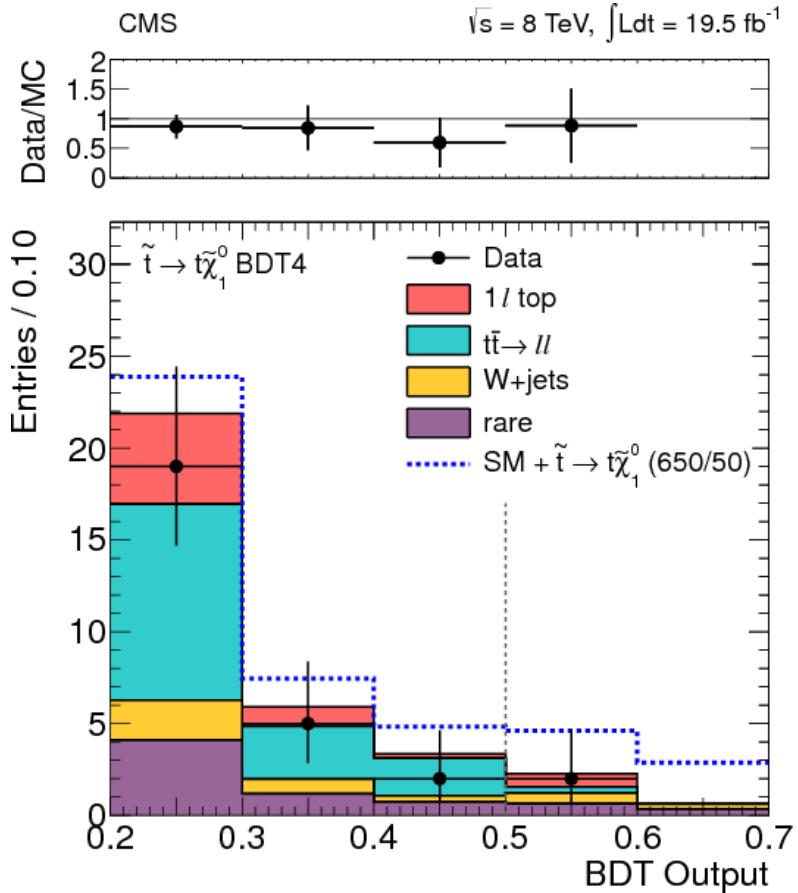
BDT with cut at $M_T > 120 \text{ GeV}$



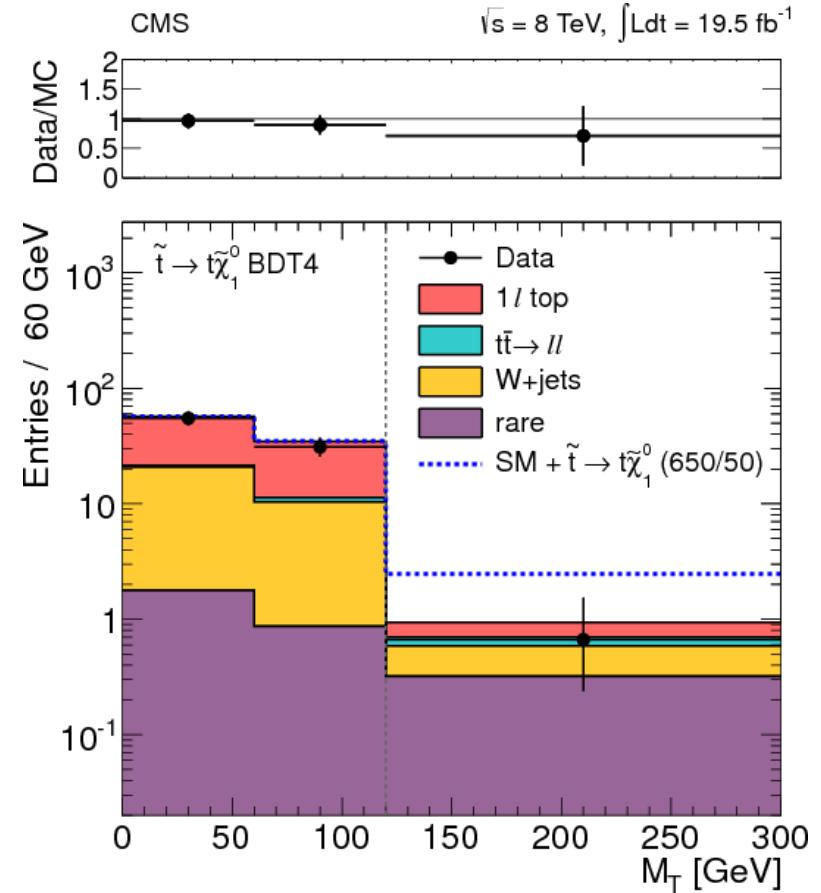
M_T with cut on BDT ($BDT > 0.3$)

Looks OK

Example BDT and M_T distributions



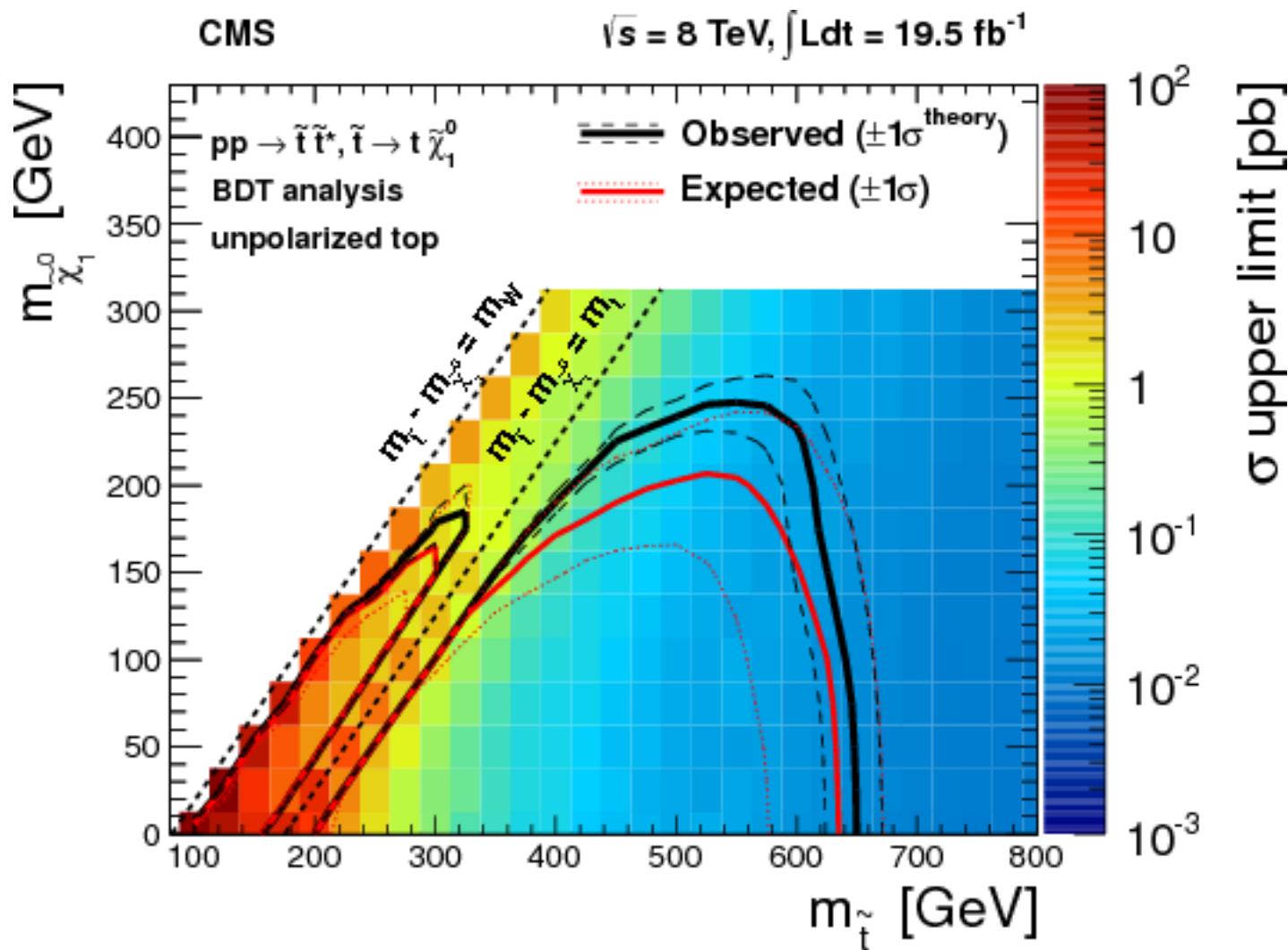
BDT with cut at $M_T > 120 \text{ GeV}$



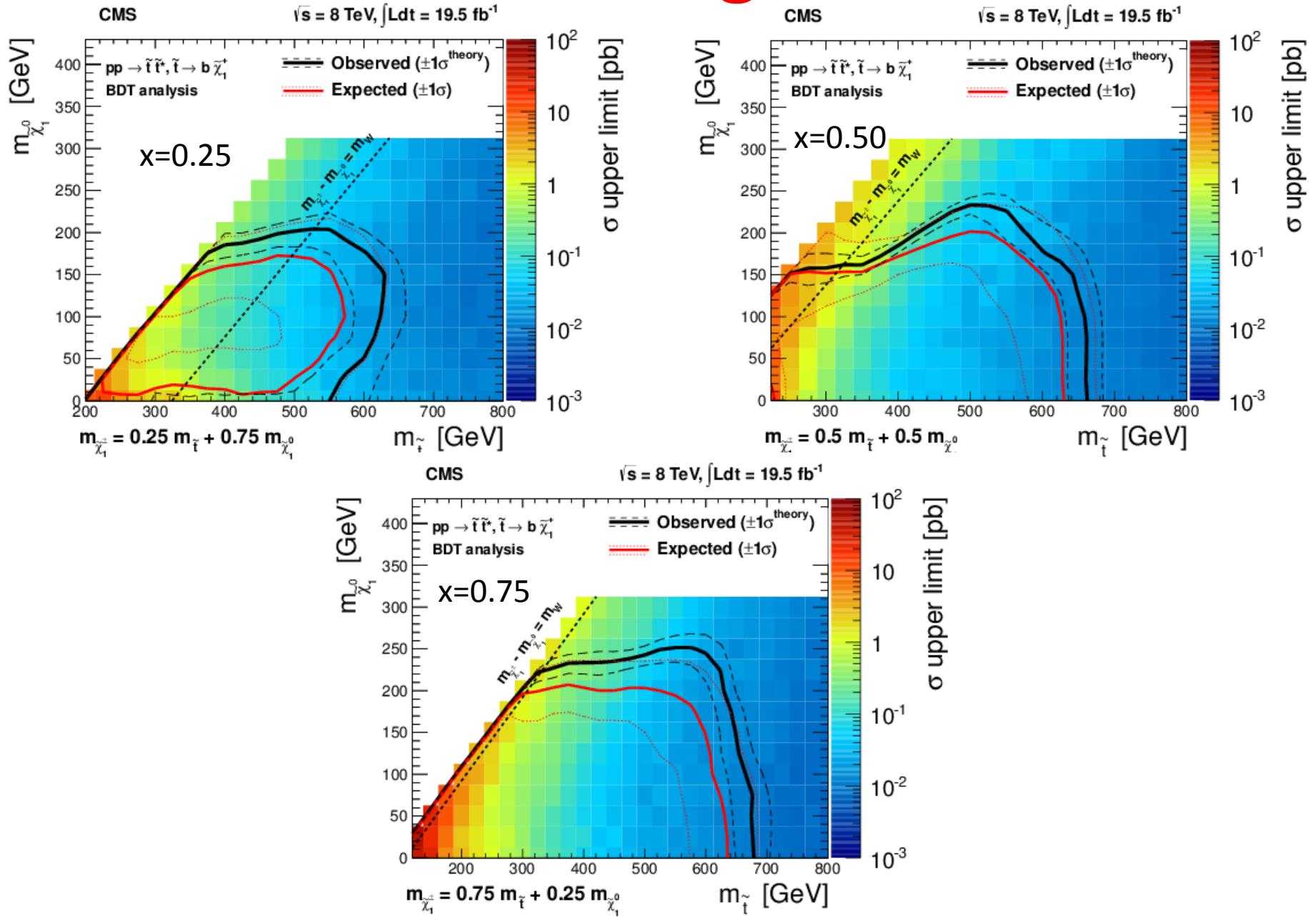
M_T with cut on BDT ($\text{BDT} > 0.5$)

Looks OK

Limits: top-neutralino mode

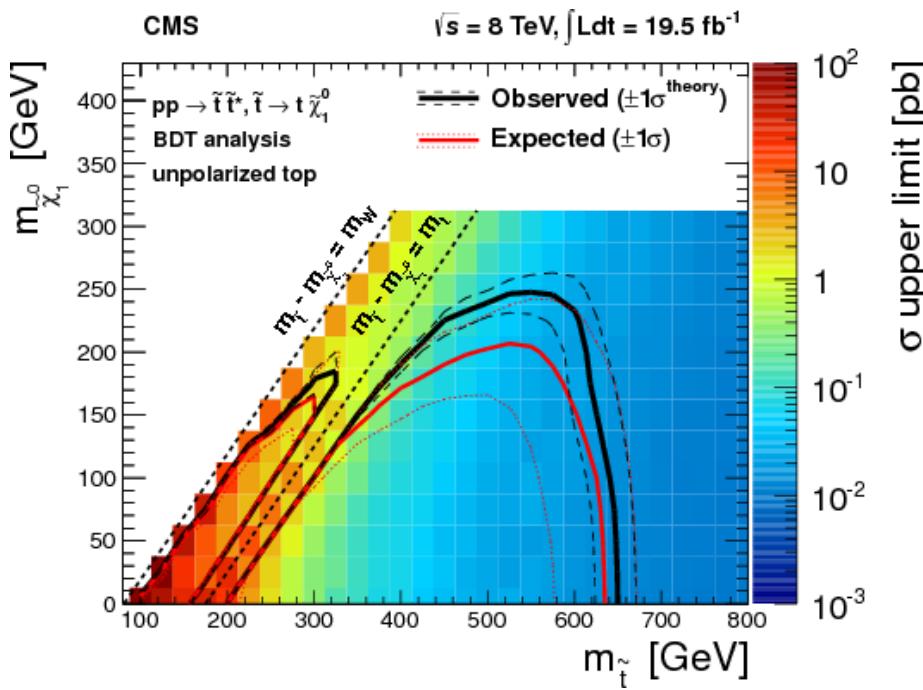


Limits: b-chargino mode

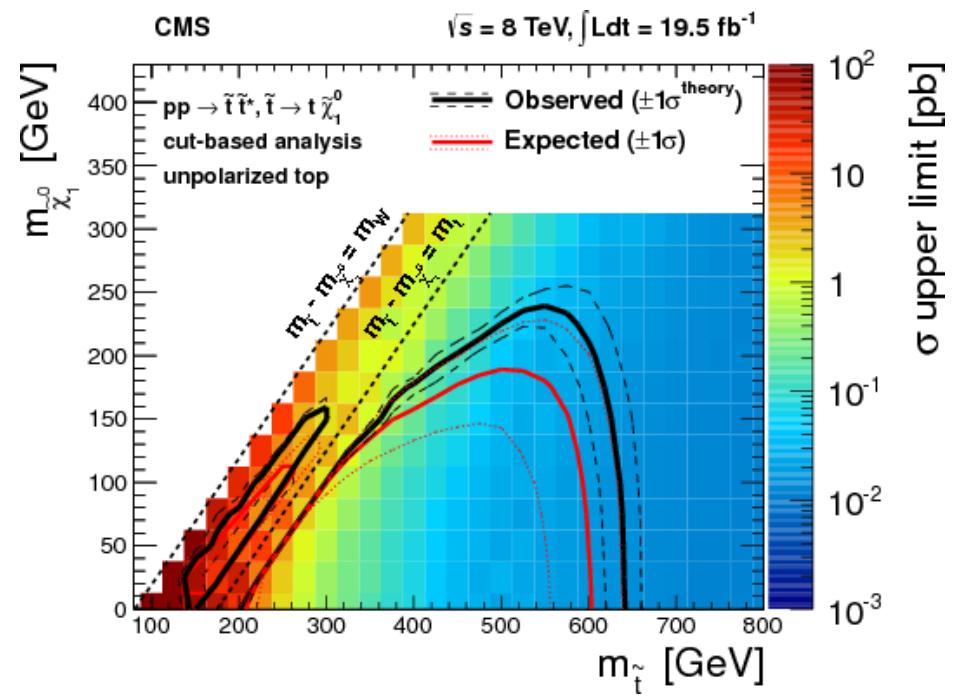


Cut-and-count limits a little worse

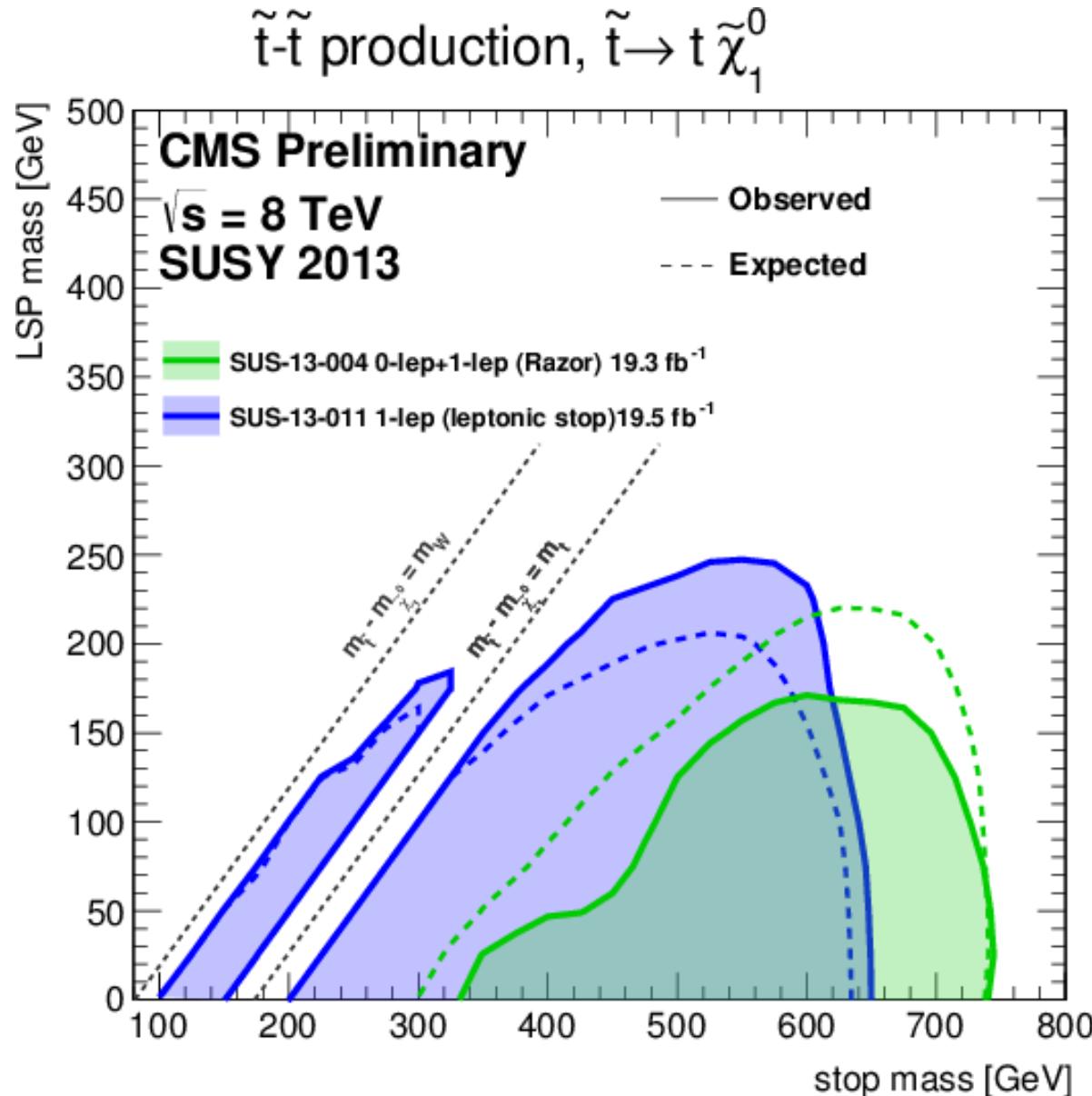
BDT exclusion region



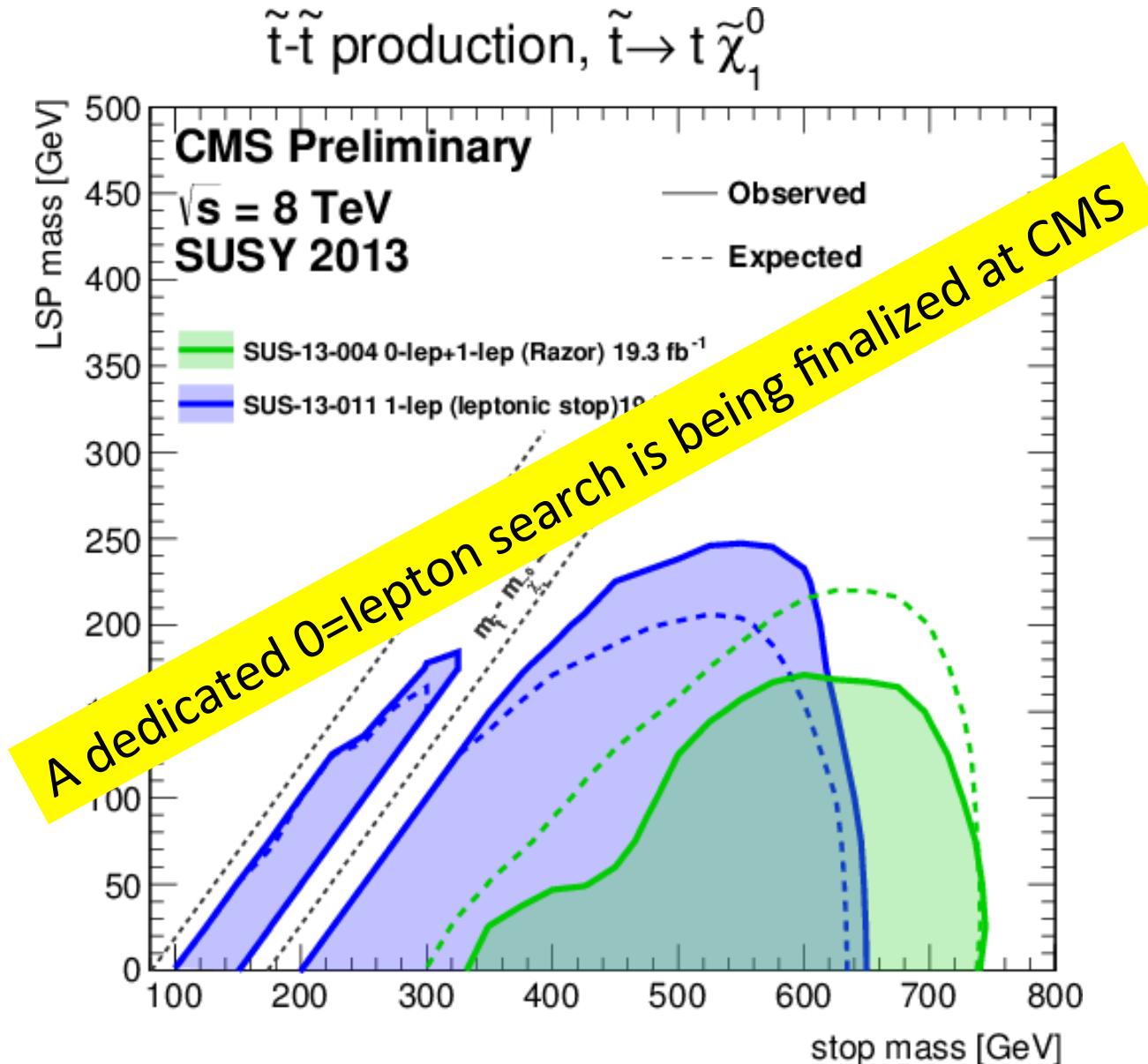
Cut-and-count exclusion region



Comparison with generic 0-lepton search

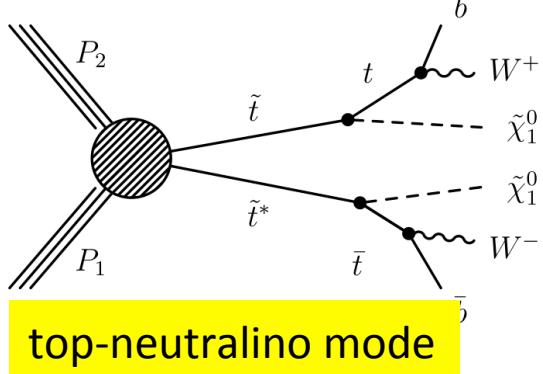


Comparison with generic 0-lepton search



Some (slightly) dirty laundry

Polarization in stop decays



The stop_1 and stop_2 are linear combinations of stop_L and stop_R

$$\begin{aligned}\tilde{t}_1 &= \cos \theta_t \tilde{t}_L + \sin \theta_t \tilde{t}_R, \\ \tilde{t}_2 &= -\sin \theta_t \tilde{t}_L + \cos \theta_t \tilde{t}_R,\end{aligned}$$

← Lighter stop
← Heavier stop

The LSP is a mixture of wino, bino, higgsino

$$\tilde{N} = (\tilde{B}, \tilde{W}^3, \tilde{H}_d^0, \tilde{H}_u^0) \quad \tilde{\chi}_j^0 = \sum_{k=1}^4 N_{jk} \tilde{N}_k.$$

The top chirality in stop_1 decay depends on stop mixing and neutralino mixing. It is easy to see why:

LSP	Allowed stop decays	Why
$\tilde{\chi}_1^0 = \tilde{B}_3$	$\tilde{t}_L \rightarrow t_L \tilde{\chi}_1^0 \quad \tilde{t}_R \rightarrow t_R \tilde{\chi}_1^0$	U(1) couples L to L and R to R
$\tilde{\chi}_1^0 = \tilde{W}_3$	$\tilde{t}_L \rightarrow t_L \tilde{\chi}_1^0$	SU(2) only acts on L
$\tilde{\chi}_1^0 = \tilde{H}_d^0$	none	Only couples to down-type
$\tilde{\chi}_1^0 = \tilde{H}_u^0$	$\tilde{t}_L \rightarrow t_R \tilde{\chi}_1^0 \quad \tilde{t}_R \rightarrow t_L \tilde{\chi}_1^0$	Higgs couple L to R (mass term)

Bottom line: polarization of top is complicated function of susy parameters

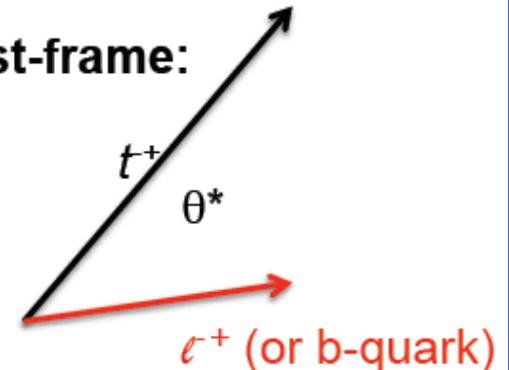
Why does top polarization matter?

Top polarization:

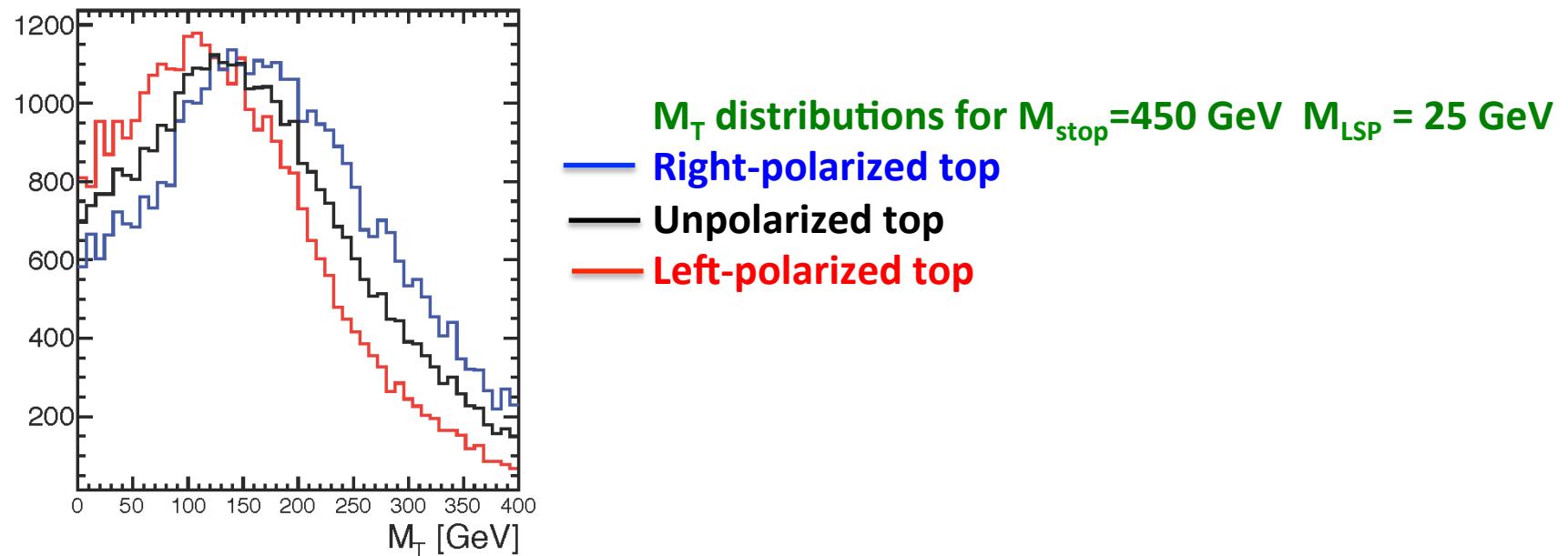
$$\frac{1}{N} \frac{dN}{d \cos \Theta^*} = \frac{1}{2} (1 + P \alpha \cos(\Theta^*))$$

- Where P is the polarization of the top
- α the “analyser quality”, which is 1 for leptons (and -0.41 for b quarks)

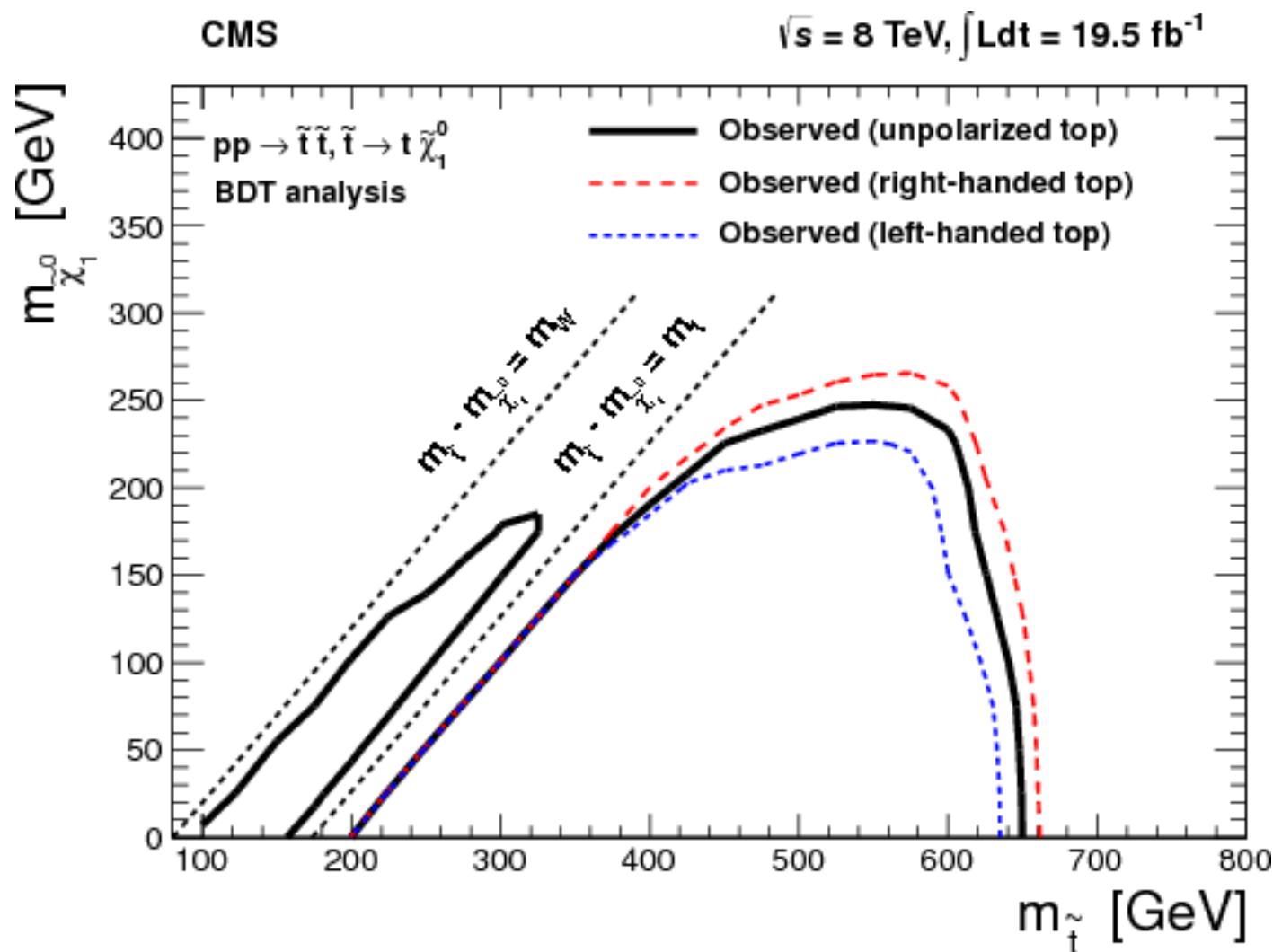
In top rest-frame:



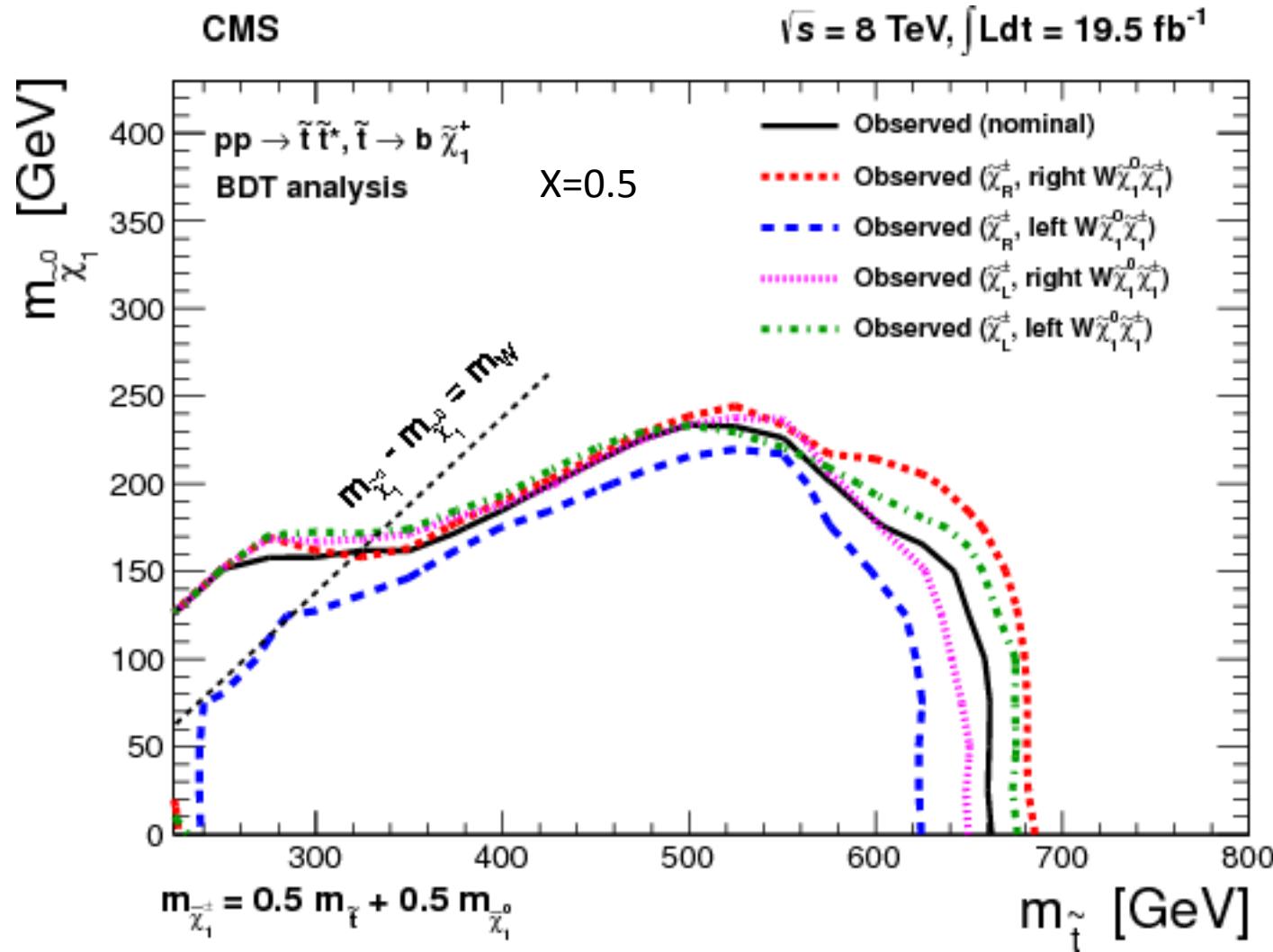
Right handed tops have higher P_T leptons \rightarrow higher transverse mass \rightarrow better acceptance



Limits for different polarization assumptions

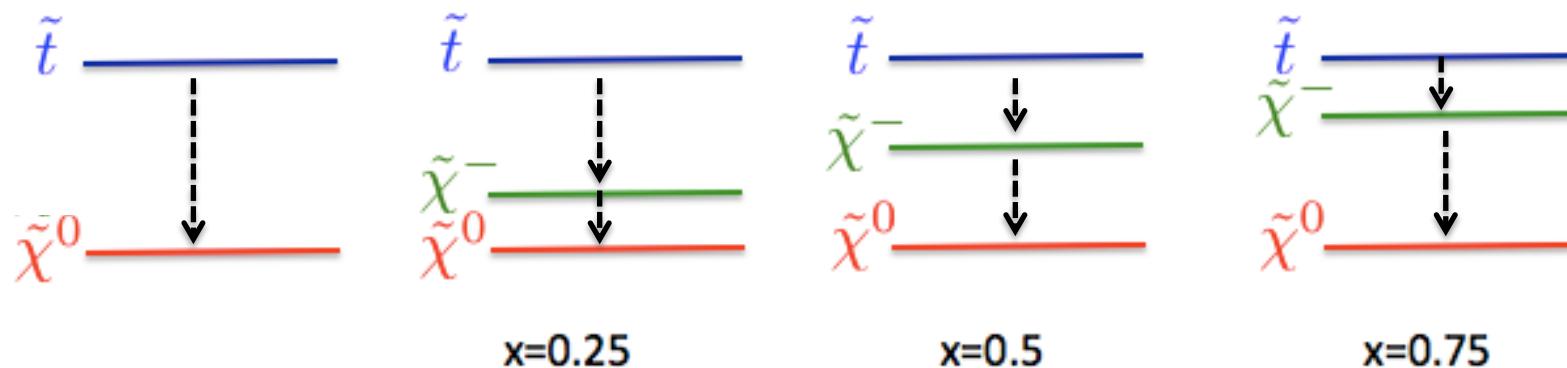


For the chargino mode is even more complicated



What about “mixed” channels?

- So far: Only considered models with following decay chains, where both stops decayed the same way
 - ie: branching ratios = 100%



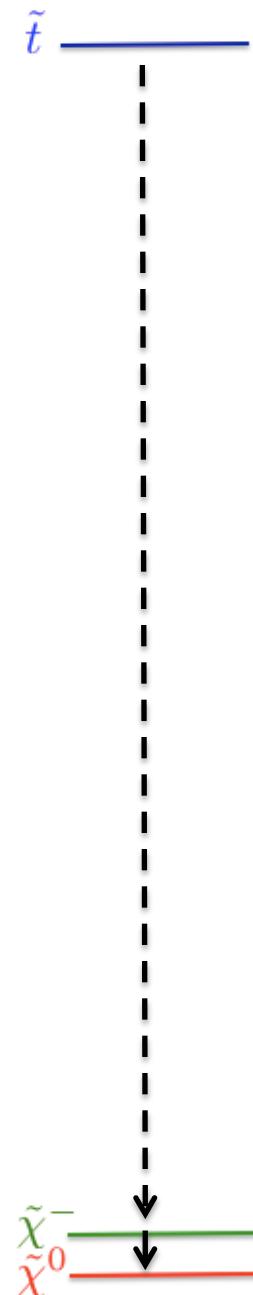
- What about branching ratio $\neq 100\%?$
 - ie: the two stops can decay in two different ways

Mixed Decays

- The cut-and-count analysis is generic enough that it should have about the same sensitivity for mixed and unmixed decays
- This is one of the reasons why the cut-and-count analysis is crucial!
- But there is an important loophole

Mixed decay loophole: nearly degenerate chargino-LSP

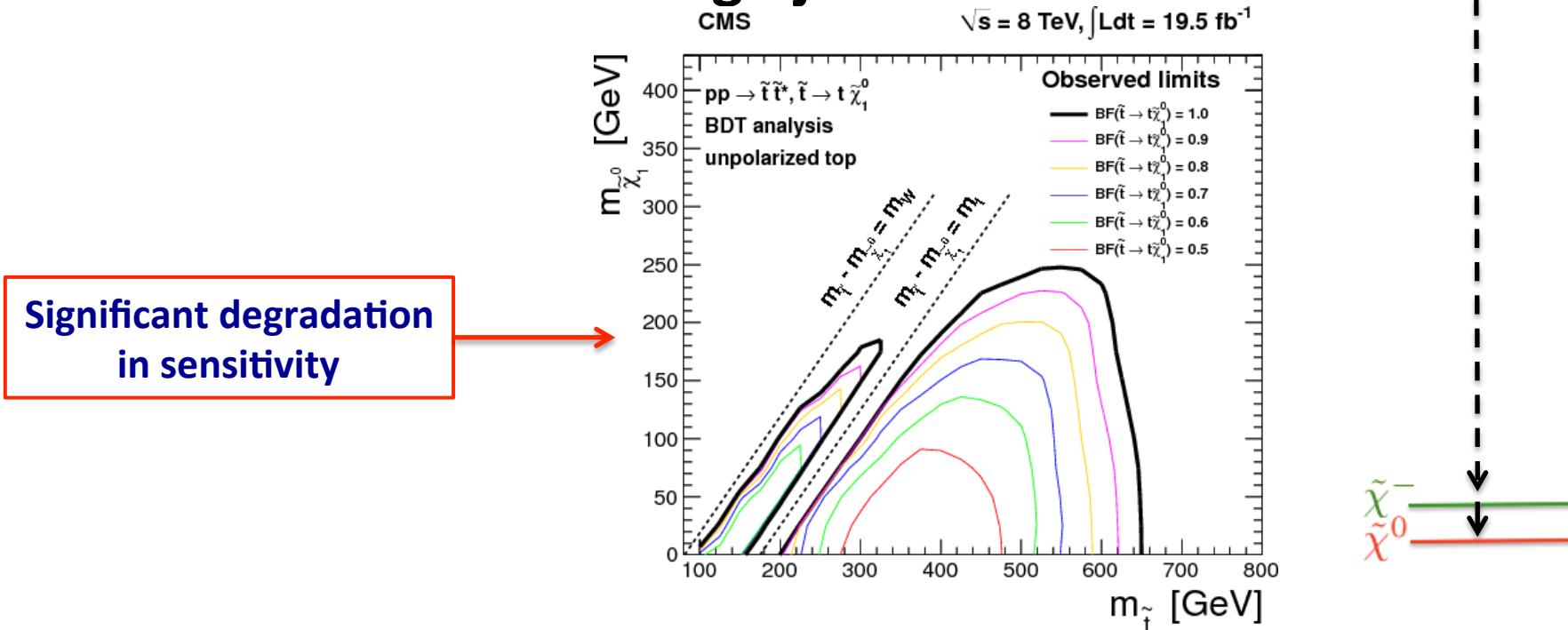
- If one of the stop quarks decays through the chargino, this analysis has no sensitivity
- This is because the SM particles in the chargino decay are so soft that are not detectable → not enough jets



Mixed decay loophole: nearly degenerate chargino-LSP

\tilde{t} —

- If one of the stop quarks decays through the chargino, this analysis has no sensitivity
- This is because the SM particles in the chargino decay are so soft that are not detectable → not enough jets

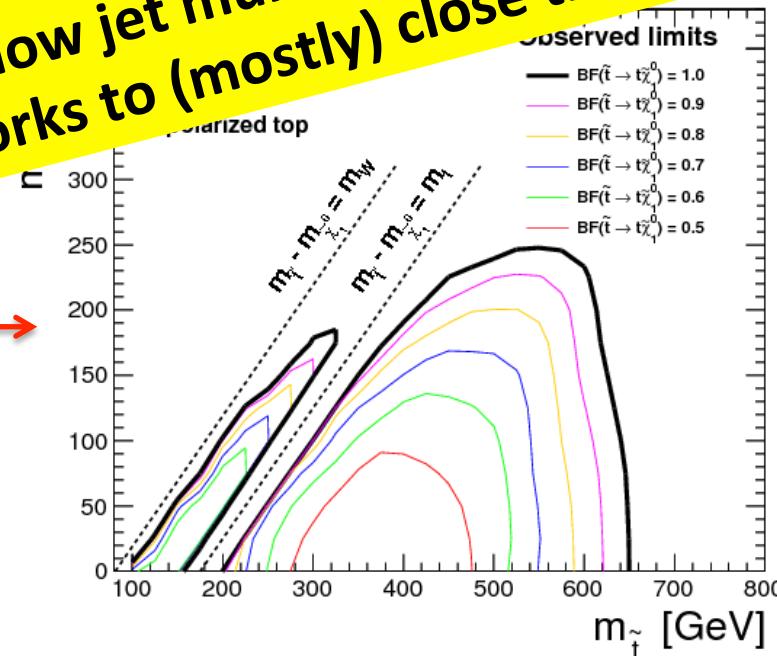


Mixed decay loophole: nearly degenerate chargino-LSP

- If one of the stop quarks decays through the chargino, this analysis has no sensitivity
- This is because the SM particles in the chargino decay are so soft that are not detectable → not enough jets

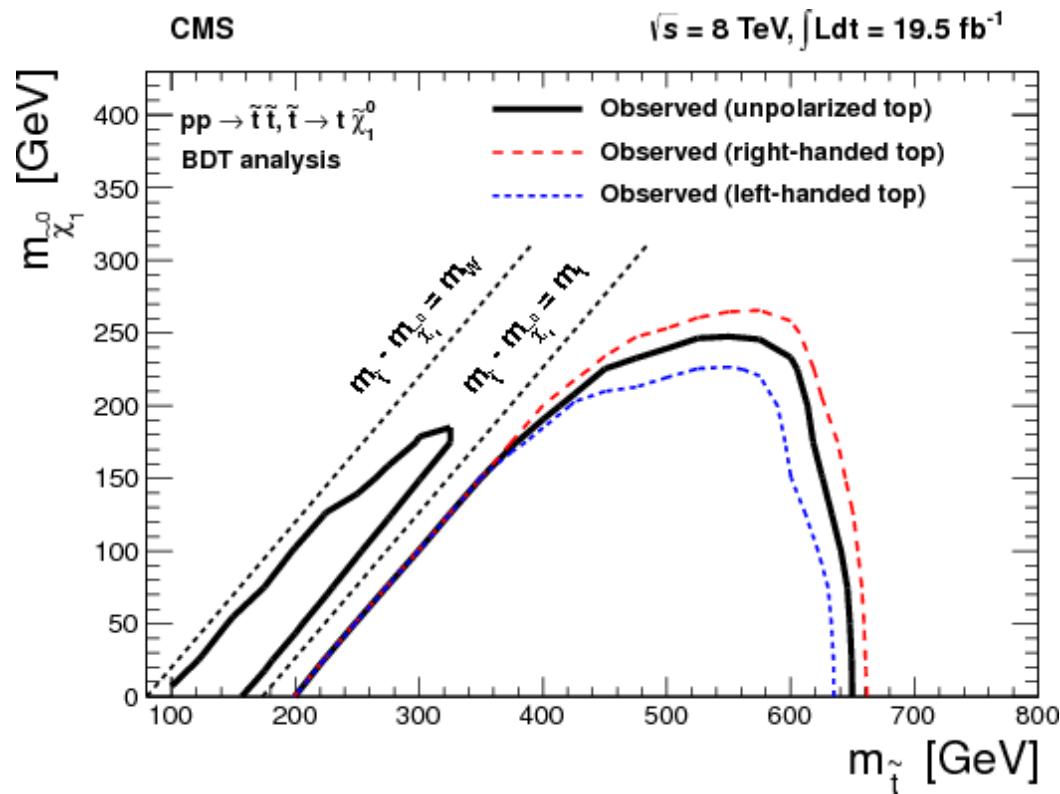
Combination with low jet multiplicity fully hadronic search is in the works to (mostly) close this loophole

Significant degradation
in sensitivity

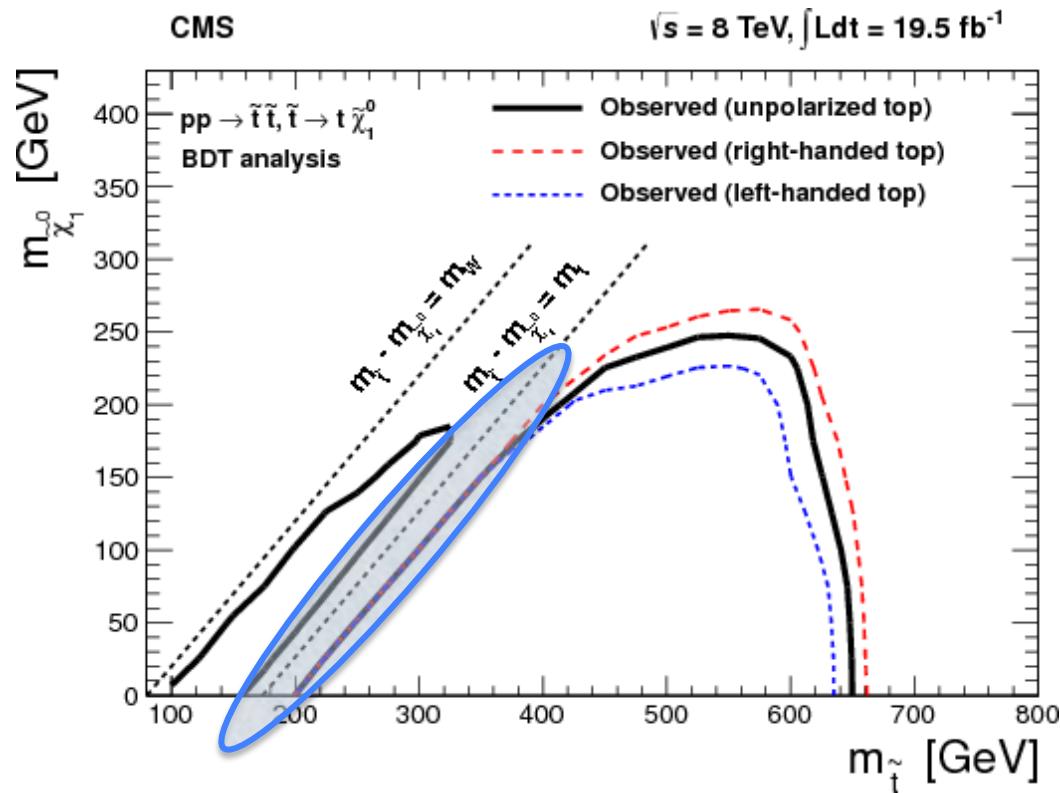


End of (slightly) dirty laundry

The hole in sensitivity



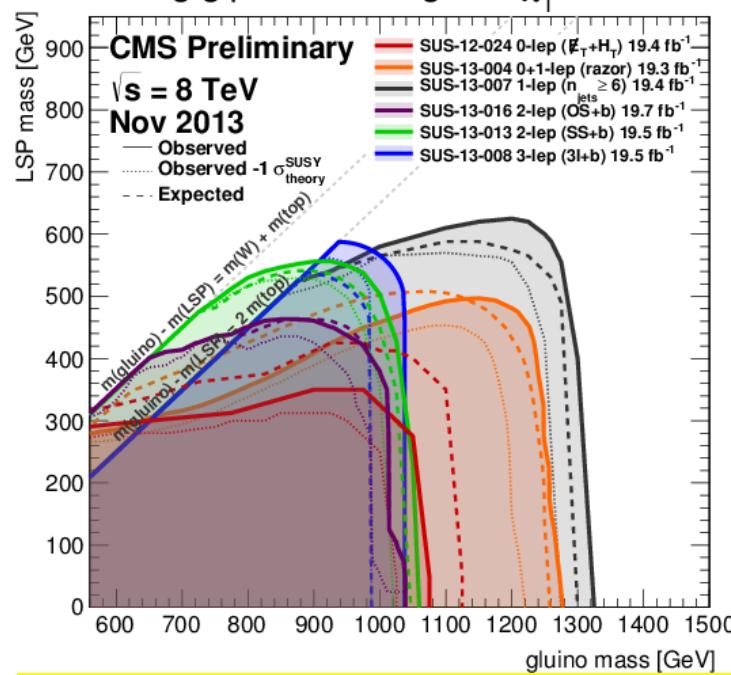
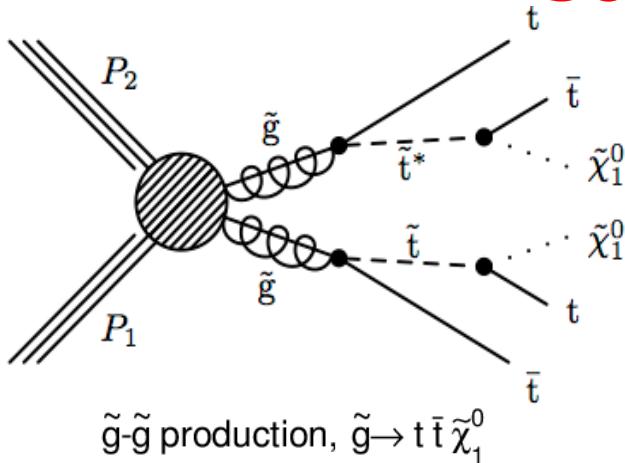
The hole in sensitivity



Three ways of addressing it

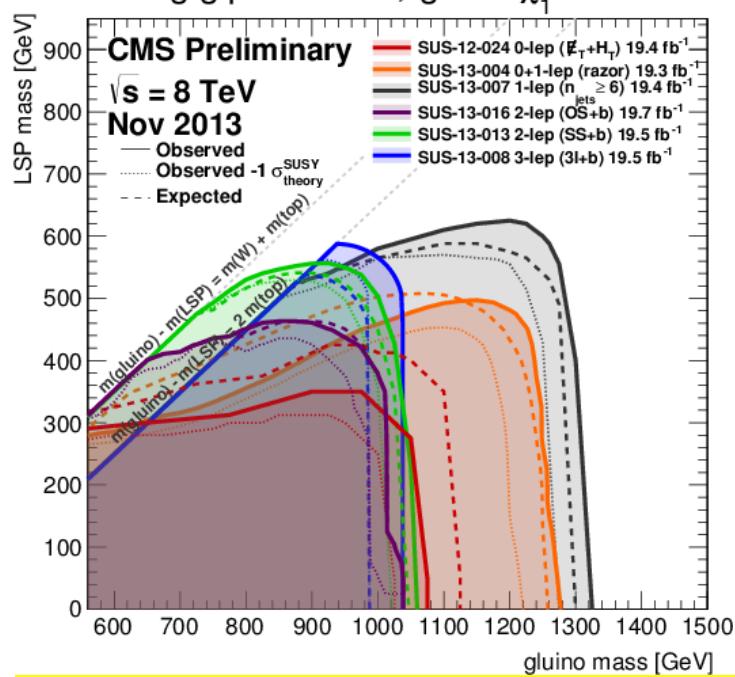
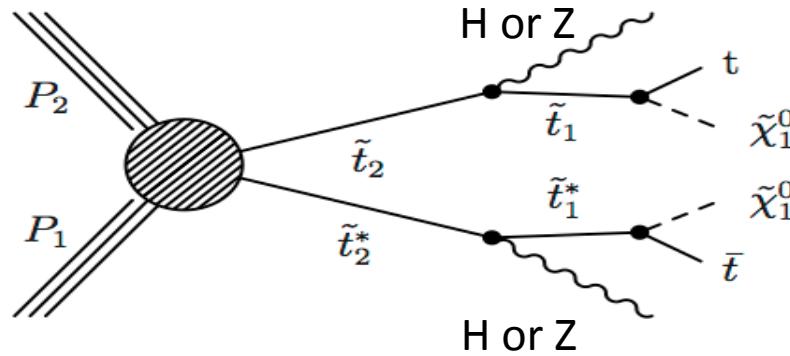
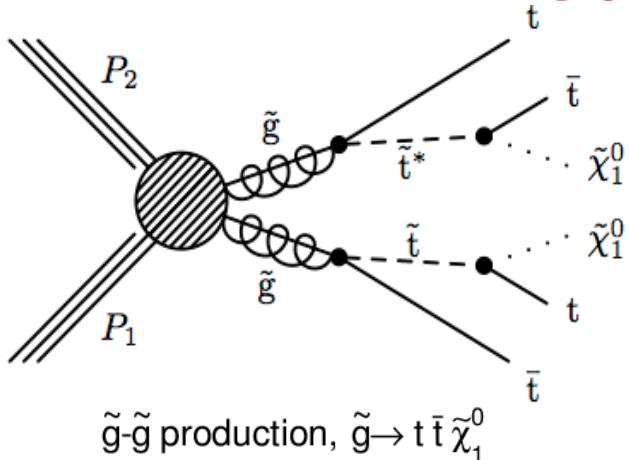
1. Cascade decays
2. Top cross-section constraints
3. Boosted events

Cascade decays

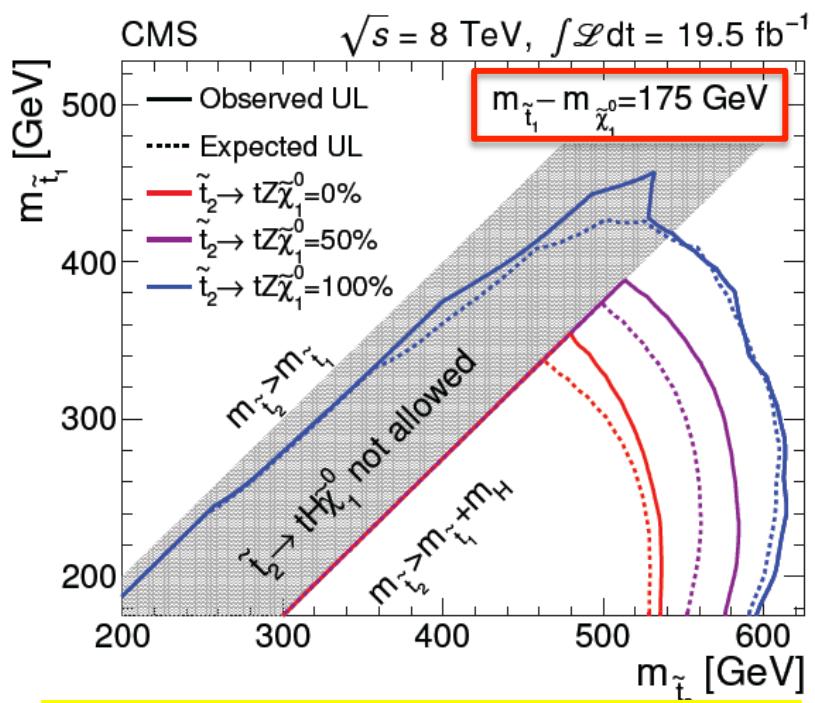


Hole is closed for 100% BR if
 gluino mass below $\sim 1.3 \text{ TeV}$

Cascade decays

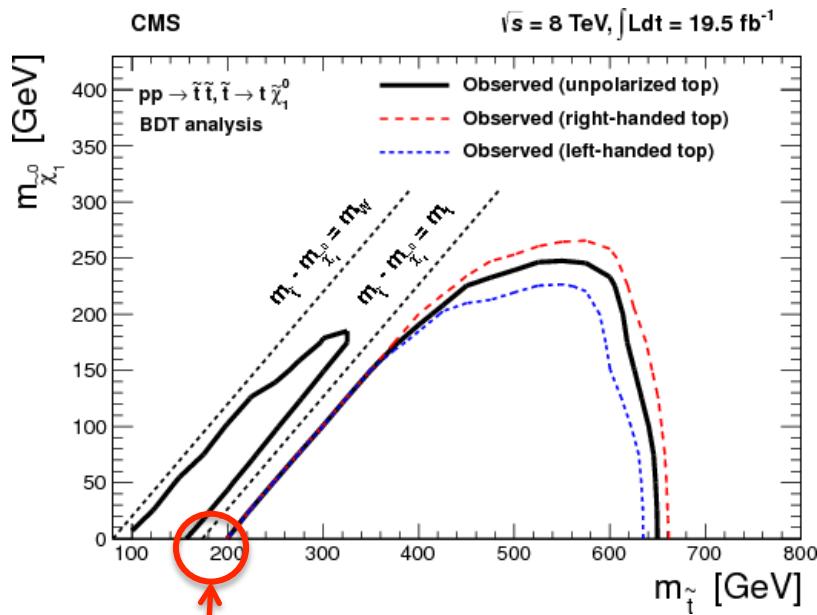


Hole is closed for 100% BR if
gluino mass below $\sim 1.3 \text{ TeV}$



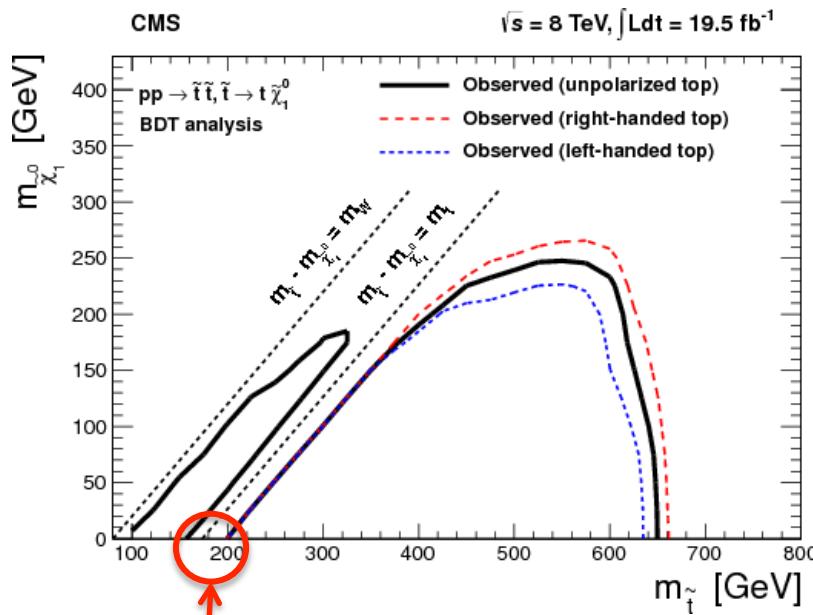
Hole is \sim closed for \tilde{t}_2
mass below $\sim 550\text{-}600 \text{ GeV}$

Precision ttbar cross-section measurement



Would increase measured $\sigma(t\bar{t})$ by $\sim 15\%$
NNLO theory $\Delta\sigma \sim 6\%$
Experiment $\Delta\sigma \sim 4\%$

Precision ttbar cross-section measurement



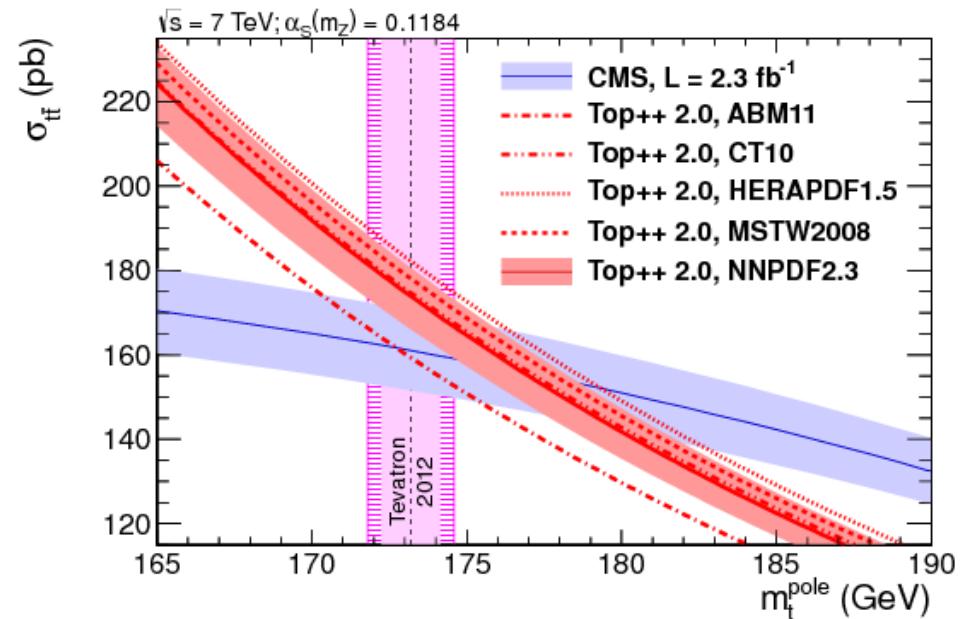
Would increase measured $\sigma(t\bar{t})$ by $\sim 15\%$
NNLO theory $\Delta\sigma \sim 6\%$
Experiment $\Delta\sigma \sim 4\%$

Problem:

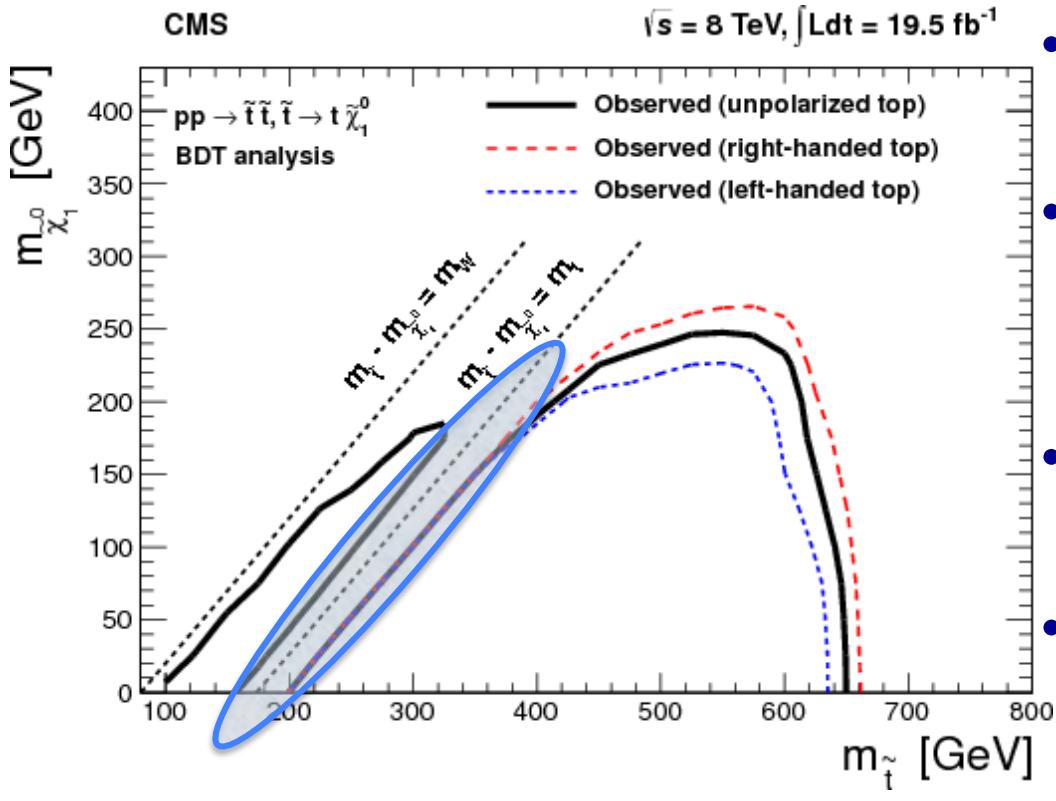
Such light stop would have also biased top mass measurement in unknown way.

Theory and expt $\sigma(t\bar{t})$ depend on M_{top}

Situation not clear!



Boosted Events



- Design event selection for events recoiling against ISR
- ISR boost \rightarrow momentum to LSP which is \sim at rest in stop rest frame
- Looks like we can get $\sim 2\sigma$ sensitivity
- To be combined with dilepton mode for $\sim 3\sigma$ sensitivity

Conclusions

- **No sign of stop quarks at CMS**
 - Atlas has similar results
- **These null searches are beginning to be a serious challenge for the natural SUSY concept**
- **There remain loopholes, even for relatively light top squarks**
 - Some of them are being addressed with current data
- **The higher energy data to be collected starting next year will extend the (exclusion) sensitivity to $> 1 \text{ TeV}$**