GRIFFITHS 10.13]

With 
$$\vec{S}$$
 constant in time  $\vec{S} = \vec{r} - \vec{r}' + t_R = t - \xi$ 
 $\vec{E}(\vec{r},t) = \frac{1}{4\pi\epsilon_0} \int P(\vec{r}',t_R) + \frac{3}{5\epsilon} (\vec{r}',t_R) = \frac{3}{5\epsilon} (\vec{r}',0)$ 

Since  $\vec{J}$  constant in time  $\frac{3}{5\epsilon} (\vec{r}',t_R) = \frac{3}{5\epsilon} (\vec{r}',0)$ 

which then must mean that  $P(\vec{r}',t_R) = P_0 + kt_R$ 

where  $P_0 = P(\vec{r}',0) = \frac{3}{5\epsilon} (\vec{r}',t_R) = \frac{3}{5\epsilon} (\vec{r}$ 

$$\vec{J}(\vec{r}',t_{R}) = \vec{J}(\vec{r}',t) + d\vec{J}(\vec{r}',t)(t_{R}-t)$$

$$\vec{J}(\vec{r}',t_{R}) = \vec{J}(\vec{r}',t) + d\vec{J}(\vec{r}',t)(-\frac{2}{2})$$

$$\vec{J}(\vec{r}',t_{R}) \approx \vec{J}(\vec{r}',t) - \frac{2}{2} d\vec{J}(\vec{r}',t) \quad (1)$$
Teking derivative of this, neglecting 2nd derivatives, I get
$$d\vec{J}(\vec{r}',t_{R}) \approx d\vec{J}(\vec{r}',t) \quad (2)$$

$$dt \quad (2)$$
Putting equations (1) and (2) into the equation for  $\vec{B}$  I get
$$\vec{B} = \frac{1}{4\pi} \int \vec{J}(\vec{r}',t) \times \hat{\vec{S}}$$

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GRIFFITHS 10.37 Imagine that collision happens at t=0 For tzo we have field lines that look like a squished dipole. Squished becouse see Figure 10.10 (Soure on ) this side) After the collision, t >0 we have two distinct region. At a distance T < ct from the origin, there will be no electric field.

At a distance 12 ct from the Origin, the "news" that the two charges have neutrolized each other has not arrived IT WILL LOOK AS IF THE TWO CHARGES HAD CONTINUED THEIR TRAVEL This means, looking look of my exetch es if to is on the left and of is on the right (VERY WEIRD) The direction of the # lines is REVERSED Since Field lines are continous in regions of no charge, at or near 1=ct the Field lines from the two sides, pin

At r=ct the field lines are very close together. This is then a region of very high field that moves out at Speed = C. Like on EM field pulse floot is generated and moves out